





## 1. SCOPE

1.1 This document is the ASME Code Section III Paragraph N-142 Stress Report for the shroud stabilizers for horizontal girth welds H1 through H7 in the core shroud.

## 2. APPLICABLE DOCUMENTS

2.1 General Electric Documents. The following documents form a part of this stress report to the extent specified herein.

### 2.1.1 Supporting Documents

- |  |               |
|--|---------------|
| a. Code Design Specification                   | 25A5480 Rev 0 |
| b. Shroud Repair Hardware Design Specification | 25A5579 Rev 0 |

2.1.2 Supplemental Documents. Documents under the following identities are to be used with this stress report.

None

2.2 Codes and Standards. The following documents of the specified issue form a part of this specification to the extent specified herein.

### 2.2.1 American Society of Mechanical Engineers (ASME) Boiler and Pressure Vessel Code

- a. Section III, 1965 Edition and Addenda through Winter 1965

### 2.2.2 Other Documents

- a. General Electric Drawing 886D449 P2, Sht. 1 Rev. 11
- b. General Electric Drawing 886D449, Sht. 7, Rev. 8, "Vessel Loadings"
- c. Babcock and Wilcox Report dated May 16, 1973, "Stress Report for Peach Bottom Unit 2 Reactor Vessel" (VPF #1896-146-1)
- (1) Report No. 20 "Shell Analysis", Rev. 0
  - (2) Report No. 11 "Shroud Support System Analysis", Rev. 2
  - (3) Report No. 10 "Brackets", Rev. 0.
  - (4) Report No. 8, "Support Skirt Analysis", Rev. 0



- d. Babcock and Wilcox Report dated September 5, 1973, "Stress Report for Peach Bottom Unit 3 Reactor Vessel" (#610-0146-51/52)
  - (1) Report No. 20 "Shell Analysis", Rev. 0
  - (2) Report No. 11 "Shroud Support System Analysis", Rev. 2
  - (3) Report No. 10 "Brackets", Rev. 0.
  - (4) Report No. 8, "Support Skirt Analysis", Rev. 0
- e. "Theory of Plates and Shells", by S. Timoshenko, 2nd Edition
- f. "Roark's Formulas for Stress and Strain", by W.C. Young, 6th Edition
- g. General Electric Drawing No. 112D6490, Rev. 0, "Detail Support, Lower."
- h. "Reactor Pressure Vessel Power Rate Stress Report Reconciliation for Peach Bottom Nuclear Power Plant Units 2 and 3", G.E. Report No. NEDC-32166, Class II, dated January 1993
- i. "Fatigue Evaluation of the Peach Bottom II and III Reactor Vessels", G.E. Report No. GE-NE-523-61-0493, dated May 1993.
- j. General Electric Drawing No. 729E762, Rev. 0, "Reactor Thermal Cycles."
- k. General Electric Drawing No. VPF # 1896-64-7, "Shroud Support."

### 3. GENERAL DESCRIPTION

3.1 The purpose of the shroud stabilizers is to structurally replace all of the horizontal girth welds in the core shroud and shroud support. These welds were required to both horizontally and vertically support the core top guide, core support plate, and shroud head, and to prevent core bypass flow to the downcomer region. The core top guide and core support plate horizontally support the fuel assemblies and maintain the correct fuel channel spacing to permit control rod insertion.

3.2 The design requirements for the shroud stabilizers were separated into two documents. The first document addressed those requirements that were not under the jurisdiction of the ASME Code (Paragraph 2.1.1.b). The second document addressed those requirements that were under the jurisdiction of the ASME Code (Paragraph 2.1.1.a).

3.3 This Stress Report documents the acceptability of the structural integrity requirements of the Code Design Specification defined in Paragraph 2.1.1.a.



## 4. ANALYSIS

4.1 The Design Specification (2.1.1.a) defines three new design mechanical loads on the reactor pressure vessel. These loads and their point of application are shown in Figure 1 and Table 1. These loads are separated by a distance of greater than  $2.5 \sqrt{Rt} = 70"$  (2.2.1.a) and therefore, can be treated as separate forces. Each of  $F_1$ ,  $F_2$ , and  $F_3$  are addressed below.

4.2 The force  $F_1$  ( $= 89600$  lbs) is applied to the reactor pressure vessel (RPV) shell 72 inches above the shroud support plate. It is a local force applied in the radial direction by the shroud repair during a maximum credible earthquake (MCE). At this elevation the RPV shell is 6.125 inches thick minimum (2.2.2.c(1)).

4.2.1 Compute stresses induced in RPV due to  $F_1 = 89.6$  kips applied at approximately 72 inches above the support plate during MCE:

Use theory of plate and shells by S. Timoshenko (2.2.2.e, pg. 471)

$$\begin{aligned} R_i &= 125.5" && \text{Inside R of RPV} \\ h &= 6.125" && \text{Thickness of RPV exclusive of cladding} \\ \alpha &= 125.5 + 6.125/2 = 128.563" && \text{mean radius} \end{aligned}$$

$$\beta = \left( \frac{3(1-\nu^2)}{\alpha^2 h^2} \right)^{1/4}$$

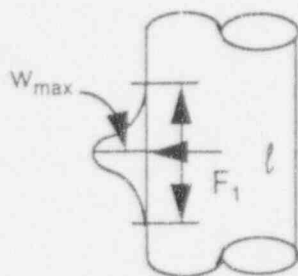
$$\nu = 0.29 \text{ Poisson's ratio (2.2.2.c(1))}$$

$$\beta = \left( \frac{3(1-0.29^2)}{128.563^2 \times 6.125^2} \right)^{1/4} = 0.046$$

$$M_{MAX} = P/4\beta \text{ and } P = F_1/2l$$

where  $l$  is contact width of upper contact plate, 5 in.

$$M_{MAX} = \frac{F_1}{(2)(5)(4\beta)} = 48.7 \text{ in-k/in}$$



From paragraph 2.2.2.e page 474 deflection under load is

$$W_{MAX} = \frac{P_1 \alpha^2 \beta}{2Eh} = \frac{8.96 \times 128.563^2 \times 0.046}{2 \times 28.7 \times 10^3 \times 6.125} = 0.0193"; \text{ since } E = 28.7 \times 10^3 \text{ ksi (2.2.2.c(1))}$$

$$\sigma_t = 6M_{MAX}/h^2 = 7.81 \text{ ksi}$$

$$\sigma_r = EW_{MAX}/\alpha + 6 \nu M_{MAX}/h^2 = 2.26 \text{ ksi}$$

$$\sigma_1 = 7.81 \text{ ksi}$$

$$\sigma_2 = 2.26 \text{ ksi}$$

4.2.2 The maximum value of  $P_t$  stress intensity due to this load is negligible and the maximum value of  $P_b$  stress intensity due to this load is 7.81 ksi. These stress intensities occur directly under the point of load application.

4.2.3 The existing primary membrane stress intensities in the shell per the original Stress Report (Paragraph 2.2.2.c(1), Page B-9-20) are 26.8 ksi ( $P_l$ ) and 28.2 ksi ( $P_t + P_b$ ).

4.2.4 The new value of  $P_t$  is same as original value of 26.8 ksi. The new value of  $P_l + P_b$  can be conservatively calculated as  $28.2 + 7.81 = 36.01$  ksi.

4.2.5 The allowable value of primary membrane  $P_m$  stress intensity is  $S_m$ , which equals 26.7 ksi and the allowable value of primary local ( $P_l$ ) plus primary bending ( $P_t + P_b$ ) stress intensity is  $3 S_m$ , which equals 80.0 ksi.

4.2.6 Primary stress intensity ( $P_b$ ) for normal/upset condition  $F_1 = 33.4 \text{ kips} = 33.4/89.6 \times 7.81 = 2.91 \text{ ksi}$ . and primary local stress intensity ( $P_l$ ) is negligible.

4.2.6.1 The existing  $P_t = 26.8 \text{ ksi}$ . and ( $P_t + P_b$ ) = 28.2 ksi. The new  $P_t = 26.8 \text{ ksi}$  while new ( $P_t + P_b$ ) =  $28.2 + 2.91 = 31.11 \text{ ksi} < 40 \text{ ksi (1.5} S_m)$ .



4.3 The force  $F_2$  is applied to the reactor pressure vessel (RPV) shell 244 inches above the shroud support plate. It is a local force applied in the radial direction by the shroud repair during a MCE. At this elevation the RPV shell is 6.125 inches thick minimum (Paragraph 2.2.2.c(1)).

4.3.1 Stresses in RPV due to  $F_2 = 31.2$  kips applied at approximately 244 inches above the shroud support plate during MCE, can be obtained by scaling from values obtained for  $F_1 = 89.6$  kips.

$$\sigma_1 = 3.40 \text{ ksi}$$

$$\sigma_2 = 0.99 \text{ ksi}$$

4.3.2 The maximum value of  $P_t$  Stress intensity due to this load is negligible and the maximum value of  $P_b$  is 3.40 ksi. These stress intensities occur directly under the point of load application.

4.3.3 The existing primary membrane stress intensities in the shell per the original Stress Report (Page B-9-20 of 2.2.2.c(1)) is 26.8 ksi, ( $P_t$ ) and 28.2 ksi ( $P_t + P_b$ ).

4.3.4 The new value of  $P_t$  is conservatively same as existing value of 26.8 ksi. The new value of  $P_t + P_b$  can be conservatively calculated as  $3.40 + 28.2 = 31.60$  ksi.

4.3.5 The faulted allowable value of primary membrane stress intensity is  $S_m$ , which equals 26.7 ksi and the allowable value of primary local ( $P_t$ ) and the primary plus bending ( $P_t + P_b$ ) stress intensity is  $3 S_m$ , which equals 80.0 ksi.

4.3.6 Since the faulted stress intensities ( $P_t$ ) and ( $P_t + P_b$ ) are below upset condition allowable of 40 ksi., the primary stress intensity for normal/upset condition  $F_2 = 16,800$  lbs is satisfied by inspection as the  $F_2$  is lower than  $F_2$  of MCE condition.

4.4 The force  $F_3$  is applied to vertical plate at 4.25 (2.2.2.g) inches from the inside surface of the RPV shell (This results in moment arm of  $4.25 + 6.125/2 = 7.3$  at RPV shell center line). The value of  $F_3$  is 448,770 pounds for maximum MCE, and 321,933 pounds for emergency and 168,600 pounds for DBE conditions. The effects of  $F_3$  on shell are addressed in 4.4.1 thru 4.4.5 and on baffle plate junction with shell in Section 4.4.6.

4.4.1 Apply  $F_3$  in any condition as vertical load and it will transfer as axial load  $V = F_3$  lbs and moment of  $7.31 F_3$  k-in. This load  $V = F_3$  kips. and moment  $7.31 F_3$  k-in. will be assumed to be resisted by the width of RPV shell equal to the width ( $b = 13.5$ " ), of the horizontal plate of stabilizer lower support (paragraph 2.2.2.g).

4.4.2 Using analysis methods for edge loads for  $m_o$  (para. I-233 of 2.2.1.a) and direct membrane stress as  $P/t$ , the stresses in shell are as follows:

$$\sigma_t = 6 m_o / t^2 + P / t;$$



$$\sigma_t = \frac{EW_o}{R_m} + 6\nu \frac{m_o}{t^2}$$

where

$m_o$  = End moment =  $7.31 F_3/13.5$  k-in/in;

$t$  = Thickness of shell = 6.125";

$P$  =  $V/13.5$  kips/in;

$E$  = Young's Modulus =  $28.7 \times 10^3$  ksi;

$R_m$  = Vessel Mean Radius = 128.5625 in.;

$\nu$  = Poisson's ratio = 0.29;

$W_o$  = Deflection at edge (calculated below).

Using para. I-232(2) of 2.2.2.1.a, the limiting value of  $W_o = m_o/2\beta^2 D$ , where  $D = Et^3/12(1-\nu^2)$ ,  $\beta = 4\sqrt{\frac{3(1-\nu^2)}{R_m^2 t^2}}$  and substituting values of  $D$ ,  $\beta$  in terms of  $E$ ,  $t$ ,  $R_m$ , the expression for  $\sigma_t$  can be

$$\text{simplified as } \sigma_t = \frac{6m_o}{t^2} \left( \nu + \sqrt{\frac{1-\nu^2}{3}} \right). \text{ And with } \nu = 0.29 \quad \sigma_t = \frac{6m_o}{t^2} (0.84).$$

Further, since  $t = 6.125$ ", the final  $\sigma_t = 0.094 F_3$  ksi,  $\sigma_l = 0.073 F_3$  ksi.

These  $\sigma_t, \sigma_l$  stresses will be used to calculate the stress intensity by principle stress difference formulas. Since shear stress is zero, the principle stresses are  $\sigma_1 = \sigma_t$ ;  $\sigma_2 = \sigma_l$ . Primary stress intensity is maximum of  $\sigma_1$ ,  $\sigma_2$  or  $\sigma_1 - \sigma_2$ .

4.4.3 Primary local membrane plus bending ( $P_l + P_b$ ) stress intensity for faulted conditions  $F_3 = 448.77$  kips are as follows:

$$4.4.3.1 \quad \sigma_t = \sigma_1 = 0.094 \times 448.77 = 42.18 \text{ ksi}$$

$$\sigma_l = \sigma_2 = 0.073 \times 448.77 = 32.65 \text{ ksi}$$

Thus the maximum primary stress intensity ( $P_l + P_b$ ) = 42.18 ksi

4.4.3.2 From page B-9-20 of original stress report (2.2.2.c(1)) the existing maximum primary local membrane stress intensity is 26.8 ksi and ( $P_l + P_b$ ) is 28.2 ksi. And as the major stresses due to  $F_3$



are  $P_b$ , i.e.; while  $P_t = 0.007 F_3 = 3.14$  ksi,  $P_b$  is  $0.087 F_3 = 39.0$  ksi out of a total  $P_t + P_b$  of 42.18 ksi. And conservatively the new values will be

$$P_t = 26.8 + 3.14 = 29.14 \text{ ksi}$$

$$\text{and } P_t + P_b = 28.2 + 42.18 = 70.38 \text{ ksi}$$

However, the maximum  $P_t$ ,  $P_t + P_b$  values from page B-9-20 of the existing stress report at location of  $F_3$  (i.e. elem. #20 of Seal Shell model on page B-2-1 of 2.2.2.c(1)), are 17.86 ksi and 19.81 ksi. Thus these values could be used if required.

The allowable  $P_t$  and  $P_t + P_b$  stress intensity is  $1.5S_m = 40$  ksi in the original stress report. However, this is a faulted event and per 2.2.1.a the allowable for faulted conditions is  $3S_m = 80$  ksi.

4.4.4 Primary stress intensity ( $P_t + P_b$ ) and ( $P_t$ ) for emergency conditions  $F_3 = 321,933$  lbs are as follows:

4.4.4.1 The primary stress intensity value from 4.4.3.2 for  $F_3 = 448,770$  lbs can be used to get the  $\sigma_1$  as follows:

$$\begin{aligned} \sigma_1 &= \frac{321933}{448770} \times 42.18 \text{ and } \sigma_1 = \frac{321933}{448770} \times 3.14 \\ &= 30.26 \text{ ksi } (P_t + P_b) = 2.25 \text{ ksi } (P_t) \end{aligned}$$

4.4.4.2 Using same existing maximum primary stress intensity of 4.4.3.2 (for faulted condition) of  $P_t = 26.8$  ksi and  $P_t + P_b = 28.2$ , ksi., the new values are:

$$\begin{aligned} P_t + P_b &= 28.2 + 30.26 \quad \text{and} \quad P_t = 26.8 + 2.25 \\ &= 58.46 \text{ ksi} < 60 \text{ ksi (2.1.1.a)} \quad = 29.05 \text{ ksi} < 2.25 S_m = 60 \text{ ksi. (2.1.1.a)} \end{aligned}$$

4.4.5 Normal/upset conditions evaluations required for primary, primary plus secondary, and peak stress intensities per 2.2.1.a are shown in this section.

4.4.5.1 Primary stress intensity evaluation is required for  $F_3 = 168,600$  pounds which will give  $P_b$  value of  $\frac{168,600}{448,770} \times 42.18 = 15.85$  ksi. and  $P_t = \frac{168,600}{448,770} \times 3.14 = 1.18$  ksi

4.4.5.2 The existing primary stress intensity at this location for operating condition is  $P_t = 17.86$  ksi. and  $P_t + P_b = 19.81$  ksi. (page B-9-1 of 2.2.2.c(1)). Thus the new value of  $P_t + P_b$  at this location is

$$\begin{aligned} P_t + P_b &= 19.81 + 15.85 \quad \text{and} \quad P_t = 17.86 + 1.18 \\ &= 35.66 \text{ ksi} < 1.5 S_m = 40 \text{ ksi} \quad = 19.04 \text{ ksi} < 1.0 S_m = 26.7 \text{ ksi} \end{aligned}$$





4.4.5.3 The primary plus secondary stress intensity for upset condition load  $F_3$  is required for two (2) sets of loading cycles as follows (at RPV shell):

$$F_3 = 177,000 \text{ lbs for 120 cycles excluding loss of feedwater pump transient}$$

and

$$F_3 = 240,400 \text{ lbs for 10 cycles of loss of feedwater pump transient}$$

4.4.5.4 Primary plus secondary stress range for 120 cycles is  $S_n = \frac{177,000}{448,700} \times 42.18 = 16.64 \text{ ksi}$ . The existing value of same primary plus secondary stress intensity range is 35.0 ksi (page C-9-21 of 2.2.2.c(1)). Thus the new value of  $S_n = 35.0 + 16.64 = 51.64 \text{ ksi} < 3 S_m = 80 \text{ ksi}$ .

4.4.5.5 Primary plus secondary stress intensity range for 10 cycles (of Loss of Feedwater Pump Transient) is  $S_n = \frac{240,400}{448,770} \times 42.18 = 22.60 \text{ ksi}$ . The existing value of the same primary plus secondary stress intensity range is 35.0 ksi (page C-9-21 of 2.2.2.c(1)). Thus the new value of  $S_n = 35.0 + 22.60 = 57.60 \text{ ksi} < 3 S_m = 80 \text{ ksi}$ .

4.4.5.6 Fatigue, i.e., peak stress intensity range, evaluation for 120 plus 10 cycles together  $F_3$  is as follows:

$$S_a = K_e \cdot \frac{S_n}{2} \cdot \text{Since } S_n < 3 S_m, K_e = 1.0 \text{ for both sets. (i.e., 120 cycles \& 10 cycles)}$$

And there is no stress concentration factor per section C-8 of 2.2.2.c(1)

$$S_a = 27.0 \text{ (existing } S_a, \text{ page C-10-1 of 2.2.2.c (1))} + 22.60/2 = 38.3 \text{ ksi.}$$

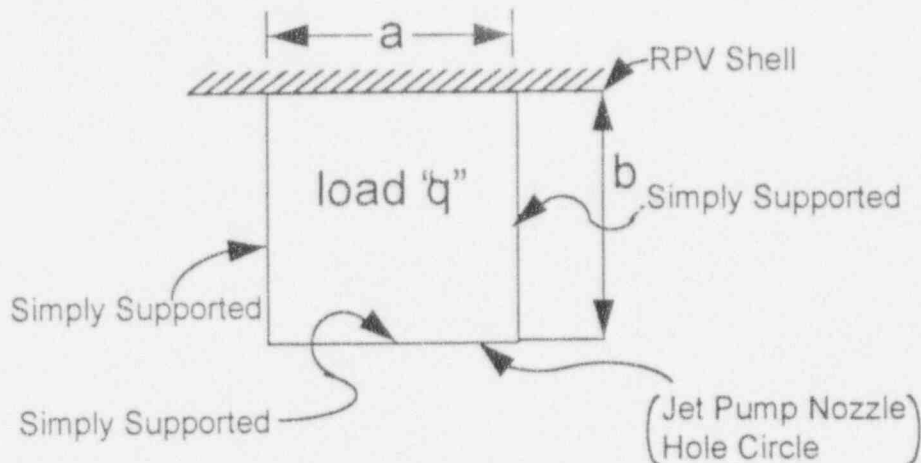
$$N_{all} = 8500 \text{ (Figure N-415(A) of 2.2.1.a)}$$

$$\text{Usage Factor} = UF = 262/8500 = 0.03 < 1.0 \text{ since 262 are total cycles in original report.}$$

#### 4.4.6 Evaluation of RPV Shell and Baffle Plate Junction

##### 4.4.6.1 For Faulted Condition $F_3$

Due to the support afforded by jet pump nozzles to the baffle plate, the load  $F_3$  will be essentially distributed over a rectangular plate between RPV shell and jet pump nozzle hole circle with the width equal to the width of the lower support plate as shown on the next page.



where

$a$  = Width of horizontal lower support plate (2.2.2.g) = 13.5";

$b$  = Distance (radial) between shell inside radius (=125.5") and jet pump nozzle hole circle radius =  $226.5/2 = 113.25$ " (per 2.2.2.k) = 12.25";

$q$  = Distributed load =  $F_3/13.5 \times 12.5 = 448.77/12.25 \times 13.5 = 2.713$  ksi;

Using formulas for middle of fixed edge moments (for uniformly loaded plate with one edge fixed, other three edges simple supported) from Timoshenko (2.2.2.e, page 241), the moment  $\bar{M}_y = d_2 q l^2$  (symbols per 2.2.2.3). Further, since  $b/a = 0.907$   $d_2 = 0.0914$  from Table 52 of 2.2.2.e. And since  $l = 12.25$ " (smaller of  $a = 13.5$ " or  $b = 12.25$ "),

$$\begin{aligned}\bar{M}_y &= 0.0914 * 2.713 * (12.25)^2 \\ &= 37.2 \text{ in-kips/in.}\end{aligned}$$

Further the bending stress  $\sigma_b = 6 \bar{M}_y/t^2$  and with  $t = 2.0625$ " (thickness of baffle plate), the bending stress value is

$$\begin{aligned}\sigma_b &= 37.2 * 6/(2.0625)^2 \\ &= 52.5 \text{ ksi}\end{aligned}$$

And shear stress  $\tau = F_3/\text{Area} = F_3/\text{Perimeter} * 't'$

$$\begin{aligned}\tau &= 448.77/2 (12.25 + 13.5)(2.0625) \\ &= 4.22 \text{ ksi}\end{aligned}$$



$$\text{Principal stress } \sigma_1 = 52.5/2 + \sqrt{\left(\frac{52.5}{2}\right)^2 + (4.22)^2} = 52.84 \text{ ksi}$$

$$\sigma_2 = -0.34 \text{ ksi}$$

$$\text{The maximum stress intensity} = \sigma_1 - \sigma_2 = 52.84 - (-0.34) = 53.18 \text{ ksi}$$

The maximum primary membrane plus bending stress intensity at this location from the existing stress analysis (paragraph 2.2.2.c(2), page B-16-6) is 16.7 ksi. Therefore, the new maximum primary membrane plus bending ( $P_t + P_b$ ) stress intensity is  $= 16.7 + 53.18 = 69.88$  ksi which is less than faulted allowable of  $3 S_m = 80$  ksi (pages B-17-1, B-17-5 of 2.2.2.c(2)). However, this is very conservative since  $F_3 = 448.77$  kips includes new MCE loads which are lower than the original MCE loads included in the 16.7 ksi stress intensity. (This is proven by fact that new MCE load transferred by shroud support  $M_6$  is only 123.9 k-ft while the original stress report used loads much greater than 4885 k-ft for DBE and large portion of 11724 k-ft. moment for max. seismic plus jet load as given in document 2.2.2.b, Table 10. This is stated on page B-11-A of 2.2.2.c(2) document.) Thus the actual additional load  $F_3$  to be addressed in faulted condition is only tie-rod pressure load equal to 321.93 kips. Thus the revised primary membrane plus bending stress intensity in faulted condition is  $P_t + P_b = 16.7 + 321.93/448.77 \times 53.18 = 54.85$  ksi which is less than  $3 S_m = 80$  ksi.

4.4.6.2 Primary local membrane plus bending stress intensity ( $P_l + P_b$ ) for the Emergency condition  $F_3 = 321.933$  kips is same as for the Faulted condition (pressure load only) case. Thus new value is  $P_l + P_b = 54.85$  ksi which is less than  $2.25 S_m = 60$  ksi for this condition. (paragraph 2.1.1.a)

4.4.6.3 Primary stress intensity evaluation for upset conditions is required for  $F_3 = 168,600$  pounds which will give  $P_b$  value of  $168,600/448,770 \times 53.18 = 19.98$  ksi.

The existing primary stress intensity for operating conditions is 11.5 ksi (page B-16-8 of 2.2.c(2)). Thus the new value of  $P_l + P_b$  at this location is

$$P_l + P_b = 11.5 + 19.98$$

$$= 31.48 \text{ ksi} < 1.5 S_m = 40 \text{ ksi}$$

4.4.6.4 The primary plus secondary stress intensity range for upset condition  $F_3$  is required for two (2) sets of loading cycles as follows (at junction of baffle plate and shell):

$$F_3 = 177,000 \text{ lbs for 120 cycles excluding loss of feedwater pump transient}$$

and

$$F_3 = 240,400 \text{ lbs for 10 cycles of loss of feedwater pump transient}$$



4.4.6.5 The primary plus secondary stress intensity range for 120 cycles is  $S_n = 177,000/448,700 \times 53.18 = 20.98$  ksi. The existing value of the same primary plus secondary stress intensity range is 51.6 ksi (page B-16-15 of 2.2.2.c(2) range of all cases except case VI See Table 2 for details). Thus the new value of  $S_n = 51.6 + 20.98 = 72.58$  ksi  $< 3 S_m = 80$  ksi.

4.4.6.6 The primary plus secondary stress intensity range for 10 cycles (Loss of Feedwater Pump Transient) is  $S_n = 240,400/448,770 \times 53.18 = 28.49$  ksi. The existing value of the same primary plus secondary stress intensity range is 72.0 ksi (per B-7-1 of 2.2.c(2) only cases III and VI are part of this transient, Table 4 for details). Thus the new value of  $S_m = 72.0 + 28.49 = 100.48$  ksi, which is greater than  $3 S_m = 80$  ksi. Thus simplified elastic-plastic analysis will be required.

4.4.6.7 Fatigue, i.e., peak stress intensity existing range, for 120 cycles is 66.3 ksi (Table 3 for details). Thus the new  $S_p = 66.3 + (20.98)(1.64) = 100.70$  ksi where 1.64 is the bending stress concentration factor, pg. B-17-2.

$$S_a = K_e \cdot S_p/2. \text{ Since } S_n < 3 S_m, K_e = 1.0$$

$$S_a = 100.7/2 = 50.35 \text{ ksi}$$

$$N_{all} = 4200 \text{ (Figure N-415(A) of 2.2.1.a)}$$

$$\text{Usage Factor} = UF1 = 120/4200 = 0.029$$

4.4.6.8 The peak stress intensity evaluation for 10 cycles F3 is as follows:  $S_n = 100.48$  ksi which exceeds  $3 S_m = 80$  ksi. And with material parameters of  $m = 2$ ,  $n = 0.2$  (per page B-17-5 of 2.2.2c(2)  $S_m < S_n < m \cdot 3 S_m$ . Thus

$$K_e = 1.0 + [(1-n)/(m-1)n] [S_n/3 S_m - 1] \text{ (per 2.2.1.a)}$$

$$= 1.0 + 0.8/1 \times 0.2 [100.48/80 - 1] = 2.02$$

4.4.6.9 Fatigue evaluation for these 10 cycles is as follows: The existing peak stress intensity per page B-17-3 of 2.2.c(2) is 146.8 ksi (Table 5 for details). The extra peak stress intensity for this F3 load is (28.48) (Bending stress concentration factor of 1.64 per page B-17-2 of 2.2.2.c(2)) = 46.71 ksi.

The new (total) peak stress intensity  $S_p = 146.8 + 46.71 = 193.51$  ksi. And with  $K_e = 2.02$ , the alternating stress  $S_a = 2.02/2 \times 193.51 = 195.5$  ksi. The allowable cycles at this  $S_a$  level per Figure N-415(A) of 2.2.1.a are 95. Thus usage factor  $UF2 = 10/95 = 0.11$

4.4.6.10 The cumulative usage factor (revised) is as follows:

$$UF = UF1 + UF2 + UF3 \text{ [For (260-130) cycles at } S_a \text{ of } 31.3/2 = 15.7 \text{ ksi (page B-17-5 of 2.2.2c(2))}]$$

$$UF3 = 130/400,000 \approx 0 \text{ [400,000 are allowable cycles } S_a = 15.7 \text{ ksi]}$$



The cumulative  $UF = 0.029 + 0.11 + 0 = 0.14 < 1.0$  below limits of 2.2.1.a

The usage factor being less than 0.50 (either for shell or junction of shell and baffle plate) no power raterate evaluation will be required per 2.2.2.h.

4.5 Evaluation for Peach Bottom Unit 2 for  $F_1$ ,  $F_2$ ,  $F_3$  and their effects on all code requirements is satisfied as documented in sections 4.1 through 4.4. The original stress report for Peach Bottom Unit 3 (2.2.2.d) states that stress reports 20 (2.2.2.d(1)) and stress report 11 (2.2.2.d(2)) for Unit 3 are exact duplicates of same reports for Unit 2. Hence  $F_1$ ,  $F_2$ ,  $F_3$  assessments for Unit 3 is same as shown above for Unit 2 and thus meets all the code (2.2.1.a) requirements. It should be noted that seismic shears and overturning moments for shroud support used in the analysis (page B-11-A of 2.2.2.c(2)) are higher than those required by G.E. Drawing Design (2.2.2.b).

4.6 In accordance with power raterate analysis/reconciliation documentation (2.2.2.h) and fatigue evaluation of Peach Bottom II and III Reactor Vessels for power raterate (2.2.2.i), there are no changes required to the original stress analysis (2.2.2.c and 2.2.2.d) in the regions affected by loads  $F_1$ ,  $F_2$ , and  $F_3$ . Thus power raterate analysis is still valid.

4.7 All of the stress intensities due to the new design mechanical loads  $F_1$ ,  $F_2$ , and  $F_3$  satisfy the allowable stress intensities of the original Code of Construction (Paragraph 2.2.1.a).

4.8 The new seismic loads on the stabilizer bracket location ( $F_4$ ) is 334,000 lbs for MCE. These when conservatively converted into individual bracket loads (i.e., taken two bracket only in any one directional earthquake) result in individual bracket loads of 167 kips (for MCE). This load is less than the stabilizer bracket seismic loadings of 300 kips (conservatively DBE only) per document 2.2.2.b, Table 9. Thus the effect of  $F_4$  (as a result of shroud stabilizer modification) on RPV is enveloped by the existing analysis (2.2.2.c(3)) since page 12 of 2.2.2.c(3) states that it is using seismic loads from 2.2.2.b. Power raterate analysis (2.2.2.h and 2.2.2.i) have no effect on the stabilizer bracket evaluations.

4.9 The new seismic forces and moments on the base of RPV skirt are  $F_5$  and  $M_5$ . The max. of these values (MCE values) are  $F_5 = 280$  kips and  $M_5 = 6611$  kip-ft. These values are less than the seismic values of  $H_B = 1083$  kips and  $M_B = 40,138$  kip-ft (2.2.2.b) which are used in the original skirt stress analysis reports (page B-15-4 of 2.2.2.c(4) and 2.2.2.d(4)) for Peach Bottom Units 2 and 3 respectively. Thus original stress analysis of RPV skirt is still valid. These loads are only primary loads and do not affect fatigue evaluation. The power raterate analysis documentation (2.2.2.h and 2.2.2.i) reevaluates support skirt but since seismic loading used in power raterate is the same as the original loading (2.2.2.b), the power raterate documentation is unaffected by these stabilizer modification forces and moments  $F_5$  and  $M_5$ .

4.10 The new seismic overturning moments and shears at the shroud support location are  $M_6 = 123.9$  k-ft,  $F_6 = 136.78$  kips in MCE. These loads are lower than the seismic moment of 4885 k-ft and 238 kips (conservatively DBE only) per Table 10 of 2.2.2.b. Thus effects of  $M_6/V_6$  (new) on RPV is enveloped by the existing analysis since page B-11-A of 2.2.2.c(2) states that it is using seismic loads



higher than those given in GE drawing (2.2.2.b). Power rerate reconciliations (2.2.2.h and 2.2.2.i) are not affected by this shroud support evaluations.

5.0 Based on the best of my knowledge and belief, it is hereby certified that the analysis documented in this Stress Report satisfies the requirements of ASME Boiler and Pressure Vessel Code Section III, 1965 Edition with Addenda through Winter 1965 and Design Specification listed in Paragraph 2.1.1.a. This certification is provided as required by Paragraph N-142 of said Section III.

Signature: Asherdelian

Date: 9/24/94

License Number: C23562

State: California



Table 1 - ADDITIONAL DESIGN MECHANICAL LOADS

Force	(Normal/Upset) DBE + Normal Pressure	Emergency	(Faulted) MCE + LOCA	Remarks
F <sub>1</sub>	33,400 lbs	-	89,600 lbs	Primary Stress
F <sub>2</sub>	16,800 lbs	-	31,200 lbs	Primary Stress
F <sub>3</sub>	168,600 lbs	321,933 lbs	448,770 lbs	Primary Stress
	177,000 lbs	-	-	Pri plus Sec. S.I Range (120 cycles) and fatigue
	240,400 lbs	-	-	Pri plus Sec. S.I Range (10 cycles) and fatigue
F <sub>4</sub>	-	-	334,000 lbs	Seismic (Total) Tangential Load @ stabilizer Bracket
F <sub>5</sub>	-	-	280,000 lbs	Seismic Shear Only @RPV skirt
M <sub>5</sub>	-	-	6,611,000 ft-lb	Seismic Moment @RPV skirt
M <sub>6</sub>	-	-	123,900 ft-lb	Seismic Moment @Shroud Support
F <sub>6</sub>	-	-	136,780 ft-lb	Seismic Shear @ Shroud Support

NOTES

- 1) F<sub>1</sub>, F<sub>2</sub>, F<sub>3</sub> and F<sub>4</sub> are discrete loads applied over a small area. At any one point in time, F<sub>1</sub>, F<sub>2</sub>, F<sub>3</sub> are each applied to one location. At any one point in time, F<sub>3</sub> is applied to 4 locations 90° apart for the installation of four shroud stabilizer assemblies. DBE is a Design Basis Earthquake (OBE). MCE is a Maximum Credible Earthquake (SSE).
- 2) The stress intensities shall meet the stress allowables of the ASME Code, Section III, for the load combinations defined by the Peach Bottom UFSAR. The original Code of Construction did not include Faulted load combinations. Faulted and Emergency load combinations shall meet the stress allowables as defined by the Peach Bottom UFSAR for the reactor pressure vessel
- 3) Loads F<sub>1</sub>, F<sub>2</sub>, F<sub>3</sub> to be used in the primary stress evaluation are from document 2.1.1.a. The load F<sub>3</sub> for upset conditions evaluation for cyclic loading are those required in document GENE-771-58-0994, Rev. 0. Loads F<sub>4</sub>, F<sub>5</sub>, M<sub>5</sub>, M<sub>6</sub> and F<sub>6</sub> are those for cracked condition as documented in GENE-771-60-0994, Rev. 0.





Table 2

Maximum primary plus secondary stress intensities ( $P + Q$ ), ksi, for 120 cycles case is range of all cases on page B-16-15 excluding case VI since it is L.O.F.W.P transistion case.

Case	TOP			BOTTOM			2.2.2.c(2)
	H-L	L-R	R-H	H-L	L-R	R-H	Page #
Max. Primary	+6.6	+2.2	+2.4	+1.8	+9.3	+0.3	B-16-15 Case (1)
Min. Primary	-1.2	-8.8	-1.0	-6.0	-2.1	-3.3	B-16-15 Case (2)
Max./Min of cases	+21.0	+9.3	+9.4	+26.2	+0	+11.2	B-16-15
III,IV,V	-6.9	-31.3	-9.2	-8.3	-37.4	-6.3	B-16-15
Total +	+28.5	+11.5	+11.8	+28.0	+9.3	+11.4	Max.
Total -	-8.1	-40.1	-10.2	-14.3	-39.5	-9.9	Min.
Existing Revised Range	+36.6	+51.6	+22.0	+42.3	+48.8	+21.3	(Max-Min)
Absolute Max. Range	-	+51.6	-	-	-	-	Existing Revised
Contribution From $F_3$	-	+20.98	-	-	-	-	177.0/448.77*53.18
Revised Value	-	72.58	-	-	-	-	Max = $S_n$





Table 3

Maximum primary plus secondary plus peak (P+Q+F) stress intensity in ksi for 120 cycles case is range of all cases on page B-17-3 except case VI since it is L.O.F.W.P. transient case

Case	TOP			BOTTOM	2.2.2.c(2)
	H-L	L-R	R-H		Page #
Case (1) Max. Primary	+11.6	+2.8	+4.1	Since "BOP" envelopes "BOTTOM" only "TOP" is evaluated for peak stress intensities to be consistent with original stress report.	Max. (+), B-17-3
Case (2) Min. Primary	-1.4	-15.6	-1.5		Max (-), B-17-3
Max./min of cases III, IV, V	+21.9	+16.6	+9.4		Max (+), B-17-3
	-6.9	-31.3	-10.1		Min (-), B-17-3
Max. (+)	+33.5	+19.4	+13.5		
Min. (-)	-8.3	-46.9	-11.6		
Range	+41.8	+66.3	+25.1		(Max-Min)
Absolute Max	-	+66.3	-		Existing for 120 cycles
Contribution of $F_3$	-	34.40	-		1.64*20.98
Sp Revised	-	100.7	-		Existing + Contri. of $F_3$



Table 4

Primary Plus Secondary Stress Intensity Range (P + Q)

Existing stress report page B-7-1 of 2.2.2.c(2) states that Case VI (which is L.O.F.W.P) is broken into two parts for down ramp i.e. VI iter 32 and VI iter 960 while up ramp is same as Case III. Thus maximum primary plus secondary stress intensities range (ksi) of original analysis for L.O.F.W.P. transient is as follows.

<u>Case</u>	<u>TOP</u>			<u>BOTTOM</u>			2.2.2.c(2)
	H-L	L-R	R-H	H-L	L-R	R-H	Page #
Case III (up)	-6.9	-2.1	9.0	-8.3	0	8.3	B-16-3
Case VI (max)	-	69.9	-	22.1	11.4	11.2	B-16-3
(min.)	-19.0	-	-50.9	-	-22.2	-33.5	B-16-3
Range (Case VI-Case III)	-12.1	72.0	-59.9	30.4	-22.2	-41.8	-
Absolute Max Range	-	+72.0	-	-	-	-	Existing Revised
Contribution of $F_3$	-	28.48	-	-	-	-	240400/448 770*53.18
Revised Value	-	100.48	-	-	-	-	Max $S_n$

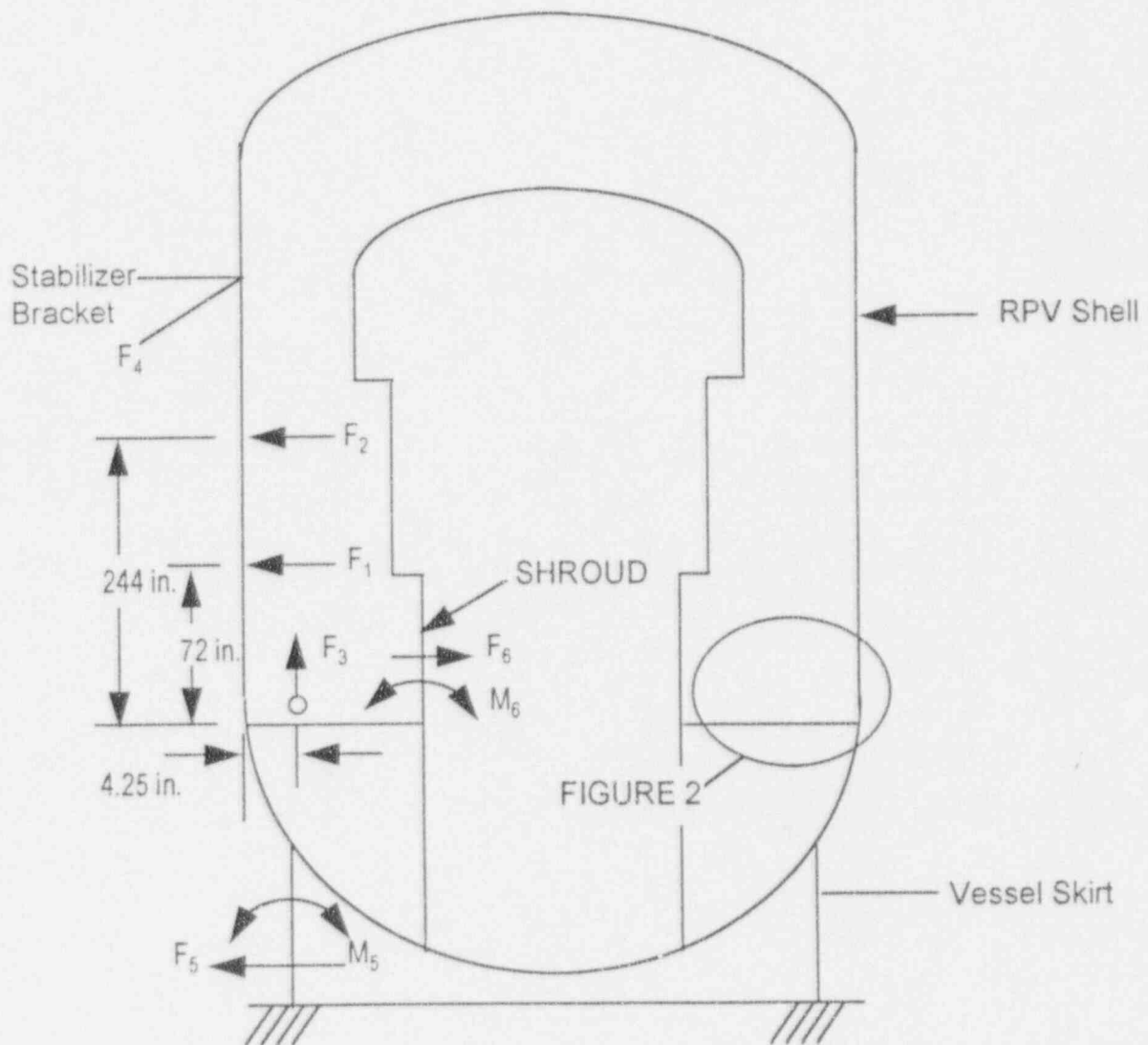


Table 5

Peak Stress Intensity (P + Q + F)

This revised maximum primary plus secondary stress intensity for 10 cycles of this transient is 94.46 ksi which is greater than  $3S_m = 80$  ksi. Thus simplified elastic-plastic approach will be used for fatigue evaluation. Based on similar statement used for (P + Q) stress intensities, revised (P + Q + F) stress intensities (ksi) are as follows:

<u>Case</u>	<u>TOP</u>			<u>Doc. 2.2.2.c(2)</u>	Remark
	H-L	L-R	R-H	Page #	
Case III (up)	-6.9	-2.1	9.0	B-17-3	• Original Report evaluated only "TOP" since it enveloped "BOTTOM" as shown on P + Q evaluation. This is also true for new values as seen on previous page.
Case IV Max.	-	+144.7	+12.2	B-17-3	
Case IV Min.	-68.5	0	-76.2	B-17-3	
Range	-61.6	+146.8	-85.2	Existing Revised	
Absolute Max. Range	-	146.8	-	-	
Contribution of F3	-	46.71	-	(1.64) (28.49)	• Using stress concentration factor for bending = 1.64 page B-17-2 of 2.2.2.c(2)
Revised Sp	-	193.51	-		



All other dimensions per 2.2.2.a

FIGURE 1. APPLICATION OF DESIGN MECHANICAL LOADS

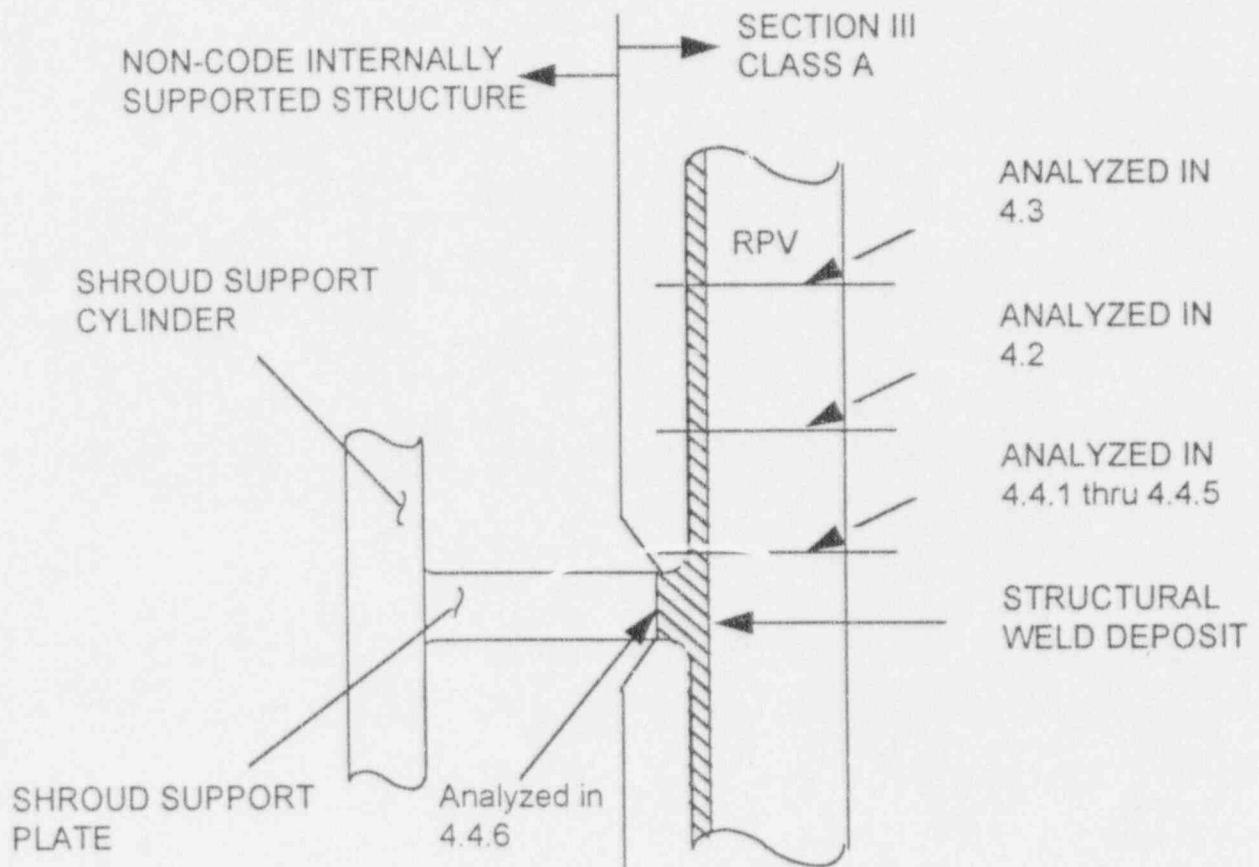


FIGURE 2. BOUNDARY OF ASME CODE JURISDICTION