

## **EXHIBITS A & B**

### **EXHIBIT A**

1. BWNT Calculation Summary No. 32-1240855-00, "Flaw Evaluation for Ocone-2 CRDM Nozzle No. 23," November 1995.

### **EXHIBIT B**

The above listed document contains information which is considered Proprietary in accordance with Criteria c of the attached affidavit.



CALCULATION SUMMARY SHEET (CSS)

DOCUMENT IDENTIFIER 32-1240855-00

TITLE Flaw Evaluation for Oconee-2 CRDM Nozzle No. 23

PREPARED BY:

NAME D.E. Killian

SIGNATURE [Signature]

TITLE Principal Engineer

DATE 11/15/95

COST CENTER 41020

REF. PAGE(S) 12

REVIEWED BY:

NAME K.K. Yoon

SIGNATURE [Signature]

TITLE Technical Consultant

DATE 11/20/95

TM STATEMENT: REVIEWER INDEPENDENCE K.E. 11

PURPOSE AND SUMMARY OF RESULTS:

PURPOSE:

The purpose of this analysis is to determine time-to-failure for axial and circumferential flaws of the type indicated in Oconee-2 CRDM nozzle number 23. The flaws, assumed to have an initial depth of 0.079" (2 mm) and an initial length of 0.370" (9.4 mm), are subjected to cyclic heatup and cooldown loadings and long-term steady state loadings for a maximum time period of 3 years, the equivalent of at least two fuel cycles of normal operation.

SUMMARY OF RESULTS:

Results of fracture mechanics crack growth analyses are shown in Tables 3 and 4. An axial flaw grows to 75% of the wall thickness in 26 heatup/cooldown cycles, or 2.89 years, whereas a circumferential flaw is acceptable for at least 3 years.

Note: The FORTRAN program listings in Appendices A and B are considered to be proprietary information that can not be released outside of the company.

THE FOLLOWING COMPUTER CODES HAVE BEEN USED IN THIS DOCUMENT:

CODE / VERSION / REV

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THIS DOCUMENT CONTAINS  
ASSUMPTIONS THAT MUST BE  
VERIFIED PRIOR TO USE  
ON SAFETY-RELATED WORK

YES ( ) NO ( X )

## RECORD OF REVISIONS

<u>Revision</u>	<u>Description of Revision</u>	<u>Date</u>
0	Original Release	11/95

Prepared by: D.E. KillianDate: 11/14/95Reviewed by: K.K. YoonDate: 11/15/95

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## 1.0 Introduction

During the CRDM nozzle inspection at Oconee Unit 2 completed in October 1994, several indications were detected using eddy current examination techniques. Numerous shallow crack-like indications were identified in nozzle 23 between the top and bottom of the weld on the uphill (180°) side of the nozzle. The indications occurred near the phase threshold of the indication criteria per the applicable BWNT procedure. A dye penetrant test (PT) revealed 20 individual indications in nozzle 23. Eighteen of the indications are axially oriented and two are circumferentially oriented.

An ultrasonic (UT) examination of nozzle 23 was also performed, but no indications were detected. The UT method used is qualified to size axially-oriented CRDM nozzle flaws having depths of 0.079" (2 mm) and greater. Thus, all indications were estimated to be less than 0.079" deep. In addition, the length of the longest flaw indication was 0.370" (9.4 mm), for a length-to-depth ratio of 4.70. Such indications are acceptable for one fuel cycle based on the allowable flaw sizes calculated in Reference 1 for axial flaws and in Reference 2 for circumferential flaws.

Acceptable flaw sizes in References 1 and 2 were calculated using stresses obtained from a BWNT/B&WOG nonlinear finite element model developed in 1992/1993 (Ref. 3). This model was used to generically obtain maximum stress profiles within CRDM nozzles in B&W 177-Fuel Assembly (FA) plants. Loading conditions included shrink fit of the nozzle during installation, weld shrinkage, cold hydrotest, and steady state operating conditions. Two separate models were developed, one each for a hillside location and the center nozzle. Stresses calculated from the nonlinear model were strongly dependent on the yield strength of the Alloy 600 nozzle material. A value of 64.4 ksi was used since this is the maximum yield strength of all CRDM nozzle materials in B&W 177-FA plants.

Linear stress analysis was also performed for several repair designs for CRDM nozzles (Ref. 4) for cyclic thermal and pressure loadings experienced during heatup and cooldown transients. As a base case, this linear analysis was also conducted for the original CRDM hillside and center nozzles.

Flaws are considered to be acceptable for a given period of plant operation if it can be demonstrated that flaw growth will not violate any of the following criteria:

1. Fracture toughness margins of Section XI of the ASME Code (paragraph IWB-3612)
2. Flaw depth does not exceed 75% of the wall thickness (NEI criterion)
3. For circumferential flaws, flaw length does not exceed 1.383" on the inside surface.

For semi-elliptical inside surface flaws with a 6:1 length-to-depth ratio, the following flaw sizes were determined to be acceptable for one fuel cycle of operation (1.5 years):

Acceptable 6:1 Semi-Elliptical Inside Surface Flaws for 1.5 Years of Operation		
Flaw Orientation	Limiting Criterion	Flaw Depth
Axial	Flaw size, $a/t = 0.192$	0.119"
Circumferential	Flaw length = 1.383"	0.231"

Although the largest flaw indication in nozzle 23 satisfies the above acceptance criteria, it is obvious that the plant could operate with such a flaw for longer than one fuel cycle. The purpose of the present analysis is to determine how long the plant could operate with the nozzle 23 flaw indication and still satisfy all applicable safety margins.

## 2.0 Basis for Analysis

The basis for the present analysis to maximize the operating period for nozzle 23 is the nonlinear (Ref. 1) and linear (Ref. 2) stress results for the original CRDM nozzles at the outermost hillside location. Nonlinear, long-term steady state stresses, which include the effects of residual weld distortions, are used to predict crack growth under primary water stress corrosion cracking (PWSCC) conditions. Linear stresses for heatup and cooldown transient conditions are used to determine fatigue crack growth for cyclic loads. Furthermore, the fracture mechanics methodology utilized in the current calculations for the nozzle 23 flaw indications is the same as documented in References 1 and 2.

There are several conservatisms in the present analytical procedure, as discussed below.

1. The analyzed flaw depth is an upper bound on the depth of the actual flaw indication. The assumed depth of 2 mm is based on the threshold of detectability for the UT inspection equipment, since no indication was actually detected by UT.
2. As noted previously, a value of 64.4 ksi was used for the yield strength of the Alloy 600 nozzle material in the nonlinear analysis to determine steady state operating stresses. Since this is the maximum value for all the CRDM nozzles in 177-FA plants, nozzle 23 obviously has a lower yield strength, which would result in lower residual weld stresses and as well as lower steady state stresses. From Reference 5, the yield strength value for nozzle 23 is 55.2 ksi.
3. The P. Scott crack growth model (Ref. 6) used for PWSCC crack propagation is reported to yield higher growth rates than those experienced in European PWR plants that have a program for monitoring in-service flaws.

### 3.0 Results

FORTTRAN computer programs AXFLAW and CIRCFLAW, listed in Appendices A and B, respectively, were used to determine time-to-failure for axial and circumferential flaws of the type indicated in Oconee-2 CRDM nozzle 23. The flaws, assumed to have an initial depth of 0.079" (2 mm) and an initial length of 0.370" (9.4 mm), were subjected to cyclic heatup and cooldown loadings and long-term steady state loadings for a maximum time period of 3 years, the equivalent of at least two fuel cycles of normal operation. Based on a total of 360 heatup and cooldown transients over the design life of the Oconee-2 plant, 9 heatup/cooldown cycles are predicted to occur in a year, or 27 over 3 years.

The analysis calculated crack growth due to fatigue and PWSCC and evaluated fracture toughness margins and size limitations at each incremental crack depth against the acceptance criteria outlined in Section 1.0. The AXFLAW and CIRCFLAW computer programs are verified in Appendices C and D, respectively. Input files for the two FORTTRAN programs are listed in Tables 1 and 2, and the printed output is shown in Tables 3 and 4.

A review of the analytical results in Tables 3 and 4 reveals that an axial flaw grows to 75% of the wall thickness in 26 heatup/cooldown cycles, or 2.89 years, whereas a circumferential flaw is acceptable for at least 3 years.

### 4.0 Conclusions

Analysis has determined that a 0.370" long by 0.079" deep inside surface flaw, which bounds the indications found in Oconee-2 CRDM nozzle 23, is acceptable for 2.89 years of continuous, normal reactor operation.

Table 1. Input File for Program AXFLAW

Filename AX.INP

0.1274	!	a/t	Uphill at top of weld for cooldown
4.7	!	1/a	
1.3825	!	inner radius of cylinder	
2.000	!	outer radius of cylinder	
4.09E-10	!	Paris Law scaling constant	
3.349	!	Paris Law slope constant	
303.085	!	KIc	
56.80	!	yield stress	
86.80	!	flow stress	
1	!	number of fatigue groups	
1	!	fatigue group ID	
27	!	number of fatigue cycles	
0.000 0.250 0.500 0.750 1.000	!	x/t locations for hoop stresses	
19.133 21.638 22.871 28.399 42.275	!	maximum operating stresses	
54.307 57.011 67.774 75.840 73.148	!	steady state residual + operating	

Table 2. Input File for Program CIRCFLAW

Filename CIRC.INP

0.1274	!	a/t	Uphill at 7/8" above weld for cooldown
4.7	!	1/a	
1.3825	!	inner radius of cylinder	
2.000	!	outer radius of cylinder	
4.09E-10	!	Paris Law scaling constant	
3.349	!	Paris Law slope constant	
303.085	!	KIc	
56.80	!	yield stress	
86.80	!	flow stress	
1	!	number of fatigue groups	
1	!	fatigue group ID	
27	!	number of fatigue cycles	
0.000 0.250 0.500 0.750 1.000	!	x/t locations for axial stresses	
7.774 5.037 2.492 -0.043 -2.648	!	maximum operating stresses	
49.826 36.004 21.156 5.656 -9.469	!	steady state residual + operating	

Table 3. Output File for Program AXFLAW

Filename AX.OUT

Date 11/14/95

Semi-Elliptical Inside Surface Axial Flaw in a Cylinder

Evaluation for Normal/Upset Conditions per IWB-3612 for  $l/a = 4.7$ 

Cycle	a (in)	c (in)	KI(a_e) (ksi*in <sup>.5</sup> )	KI(c_e) (ksi*in <sup>.5</sup> )	p <sub>o</sub> (ksi)	a/t
Group 1						
0	.0787	.1849	9.02	6.31	26.701	.1274
1	.0834	.1960	9.43	6.60	26.681	.1351
2	.0886	.2081	9.86	6.90	26.658	.1434
3	.0941	.2212	10.31	7.23	26.628	.1524
4	.1002	.2354	10.78	7.57	26.593	.1622
5	.1067	.2507	11.28	7.92	26.549	.1728
6	.1137	.2673	11.79	8.30	26.495	.1842
7	.1213	.2851	12.34	8.69	26.429	.1965
8	.1295	.3043	12.90	9.11	26.348	.2097
9	.1383	.3250	13.49	9.54	26.249	.2240
10	.1478	.3473	14.10	10.00	26.128	.2393
11	.1580	.3712	14.75	10.48	25.980	.2558
12	.1689	.3969	15.43	10.99	25.799	.2735
13	.1806	.4245	16.15	11.54	25.579	.2925
14	.1932	.4541	16.91	12.13	25.313	.3129
15	.2068	.4860	17.73	12.77	24.990	.3349
16	.2214	.5202	18.62	13.46	24.600	.3585
17	.2371	.5572	19.60	14.23	24.129	.3839
18	.2540	.5970	20.68	15.08	23.561	.4114
19	.2724	.6402	21.89	16.04	22.878	.4411
20	.2923	.6870	23.27	17.13	22.056	.4734
21	.3141	.7381	24.84	18.37	21.069	.5086
22	.3379	.7940	26.68	19.81	19.884	.5471
23	.3640	.8554	28.83	21.49	18.462	.5895
24	.3929	.9233	31.37	23.45	16.755	.6363
25	.4250	.9988	34.41	25.73	14.709	.6883
26	.4609	1.0830	38.07	28.39	12.257	.7463
27	.5011					.8114 > 0.75

Summary of Results for  $a/t = .7463$ 

$p = 2.500$  ksi  
 $KIc = 303.085$  (ksi\*in<sup>.5</sup>)

Fracture Toughness Margins:

at deepest location:  $7.960 > 3.162$  (OK)  
at surface location:  $10.676 > 3.162$  (OK)  
Limit Load Margin:  $4.903 > 1.000$  (OK)

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Table 4. Output File for Program CIRCFLAW

Filename CIRC.OUT

Date 11/14/95

Semi-Elliptical Inside Surface Circumferential Flaw in a Cylinder

Evaluation for Normal/Upset Conditions per IWB-3612 for  $l/a = 4.7$ 

Cycle	a (in)	c (in)	KI(a,e) (ksi*in <sup>.5</sup> )	Po (kips)	a/t	l (in)
Group 1						
0	.0787	.1849	2.80	565.834	.1274	.3697
1	.0819	.1925	2.88	565.512	.1327	.3851
2	.0854	.2007	2.96	565.155	.1383	.4013
3	.0890	.2093	3.04	564.760	.1442	.4185
4	.0929	.2184	3.12	564.322	.1505	.4368
5	.0970	.2280	3.21	563.838	.1571	.4560
6	.1013	.2382	3.29	563.303	.1641	.4763
7	.1059	.2489	3.38	562.712	.1715	.4978
8	.1107	.2601	3.46	562.060	.1793	.5203
9	.1157	.2720	3.55	561.342	.1874	.5440
10	.1210	.2844	3.63	560.552	.1960	.5687
11	.1265	.2973	3.72	559.685	.2049	.5947
12	.1323	.3109	3.80	558.736	.2142	.6218
13	.1383	.3250	3.88	557.697	.2240	.6500
14	.1445	.3397	3.95	556.563	.2341	.6793
15	.1510	.3549	4.02	555.329	.2445	.7097
16	.1577	.3706	4.09	553.989	.2554	.7412
17	.1646	.3869	4.16	552.536	.2666	.7738
18	.1718	.4037	4.22	550.967	.2782	.8073
19	.1791	.4209	4.27	549.275	.2901	.8419
20	.1867	.4386	4.32	547.456	.3023	.8773
21	.1944	.4568	4.37	545.505	.3148	.9136
22	.2023	.4753	4.41	543.419	.3276	.9507
23	.2103	.4943	4.44	541.194	.3406	.9885
24	.2185	.5135	4.47	538.828	.3539	1.0271
25	.2269	.5331	4.50	536.317	.3674	1.0663
26	.2353	.5530	4.52	533.660	.3811	1.1060
27	.2439	.5731	4.53	530.856	.3950	1.1463

Summary of Results for  $a/t = .3950$ 

P = 51.012 kips

KIc = 303.085 (ksi\*in<sup>.5</sup>)

Fracture Toughness Margin

at deepest location: 66.834 &gt; 3.162 (OK)

Limit Load Margin: 10.407 &gt; 1.000 (OK)

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## 5.0 References

1. Hill, L.T., "Calculation of Allowable Flaws in CRDM Nozzles," BWNT Doc. No. 32-1229754-01, September 1994.
2. Hill, L.T., "Fracture Mechanics Assessment of Circumferential CRDM Nozzle Flaws," BWNT Doc. No. 32-1234569-00, September 1994.
3. Killian, D.E., "CRDM Nozzle Stress Analysis," BWNT Doc. No. 32-1224271-00, May 1993.
4. Killian, D.E., "Stress Analysis for CRDM Nozzle Repair Designs," BWNT Doc. No. 32-1228411-00, June 1994.
5. Campbell, C.A., "CRDM Nozzle Characterization," BWNT Doc. No. 51-1219143-00, December 1992.
6. Scott, P.M., "An Analysis of Primary Water Stress Corrosion Cracking in PWR Steam Generators," Proceedings of the Specialists Meeting on Operating Experience with Steam Generators, Paper No. 5-6, Brussels, Belgium, September 16-20, 1991.

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Date: 11/14/95

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Appendix C

## Verification of FORTRAN Program AXFLAW

Referenced output file: AX.OUT

Geometry Data:

Ro = 2.0000 in.  
 Ri = 1.3825 in.  
 t = 0.6175 in.  
 R = 1.6913 in.  
 Ri/t = 2.2389  
 R/t = 2.7389  
 l/a = 4.7  
 a = 0.4609 in.  
 c = 1.0831 in.

Material Data:

Sy = 56.8 ksi (yield strength)  
 Sf = 86.8 ksi (flow stress)  
 KIc = 303.085 ksi\*in<sup>0.5</sup>

Internal Pressure: p = 2.500 ksi

## Hoop Stresses:

Thru-Wall Stress Distributions		
Position	Oper.	SS
x/t	S (ksi)	S (ksi)
0.00	19.133	54.307
0.25	21.638	57.011
0.50	22.871	67.774
0.75	28.399	75.840
1.00	42.275	73.148

3rd Order Polynomial Fits		
	Oper.	SS
Coeff.	Si (ksi)	Si (ksi)
S0	19.15463	54.269
S1	17.8959	-15.922
S2	-46.0606	135.120
S3	51.30667	-100.357

## C.1 Limit Load

$$\begin{aligned}
 M &= [1 + (1.61c^2)/(Rt)]^{0.5} \\
 x &= a/t \\
 po &= Sf(t/Ro) [1-x]/[1-(x/M)] \\
 po/p &
 \end{aligned}$$

	Spread-sheet	Program Output
=	1.675873	
=	0.746397	
=	12.254	12.257
=	4.902	4.903

ksi

## C.2 Stress Intensity Factor Solutions

i	A1	A2	A3	A4	A5	A6	A7	m	r
0	1.77670	-2.59750	2.75200	-1.32370	0.23630	1.06	0.28	0.58	0.41
1	0.10450	0.41890	0.00000	0.00000	0.00000	0.25	0.20	0.22	0.26
2	0.02038	-0.00397	0.42126	0.00000	0.00000	0.07	0.16	0.10	0.06
3	0.07283	-0.36006	0.66883	0.00000	0.00000	0.085	0.02	0.05	0.00

Stress Intensity Factor at Deepest Point

$$KI = (\pi \cdot t)^{.5} \cdot \text{SUM}(Si \cdot Gi), \quad i=0,1,2,3$$

$$Gi = (A1 \cdot \alpha_i + A2 \cdot \alpha_i^2 + A3 \cdot \alpha_i^3 + A4 \cdot \alpha_i^4 + A5 \cdot \alpha_i^5) / F$$

$$\alpha_i = (a/t) / (a/c)^m$$

$$F = [0.102(Ri/t) - 0.02]^{.05} = 0.924573$$

$$ry = 1/(6 \pi) \cdot (KI(a)/Sy)^2$$

$$ae = a + ry$$

$$a = 0.4609 \text{ in.}$$

$$c = 1.0831 \text{ in.}$$

$$ry = 0.021388$$

$$ae = 0.4823 \text{ in.}$$

$$c = 1.0831 \text{ in.}$$

i	alpha(a)	G(a)	KI(a) - ksi*in <sup>.5</sup>		alpha(ae)	G(ae)	KI(ae) - ksi*in <sup>.5</sup>	
			Spread-sheet				Spread-sheet	Program Output
0	1.22515	1.090923			1.282002	1.135528		
1	0.900751	0.46941			0.942549	0.509042		
2	0.812974	0.259897			0.850699	0.296147		
3	0.778974	0.166987			0.815122	0.197239		
For max. operating conditions:			36.06				38.08	38.07
For steady state conditions:			97.62					

Stress Intensity Factor at Surface Point

$$KI = (\pi \cdot t)^{.5} \cdot \text{SUM}(Si \cdot Gsi), \quad i=0,1,2,3$$

$$Gsi = Gi \cdot [A6 + A7(a/t)^2] \cdot (a/c)^r$$

i	Gs(a)	KI(a) - ksi*in <sup>.5</sup>		Gs(ae)	KI(ae) - ksi*in <sup>.5</sup>	
		Spread-sheet			Spread-sheet	Program Output
0	0.934515			0.984574		
1	0.135859			0.151643		
2	0.039293			0.047154		
3	0.016055			0.019172		
For max. operating conditions:		26.94			28.39	28.39
For steady state conditions:		72.77				

## C.3 Crack Growth for One Design Cycle

Let:  $a = 0.4609 \text{ in.}$

---

Fatigue Crack Growth for One Design Cycle of Operating Stress

---

$K_{I\max} = 36.06 \text{ ksi} \cdot \text{in}^{.5}$

$K_{I\min} = 0.00 \text{ ksi} \cdot \text{in}^{.5}$

$da/dN = C \cdot (dK)^n \text{ in/cycle}$

where  $C = 4.09E-10$

$n = 3.349$

and  $dN = 1 \text{ cycle}$

$dK = 36.06 \text{ ksi} \cdot \text{in}^{.5}$

Then:  $da/dN = 0.0001 \text{ in/cycle}$

$da_{\text{fatigue}} = 0.0001 \text{ in.}$

---

Stress Corrosion Crack Growth for One Equivalent Design Cycle of Steady State Stress

---

$K_{I\max} = 97.62 \text{ ksi} \cdot \text{in}^{.5}$

$K_{I\text{sc}} = 8.19 \text{ ksi} \cdot \text{in}^{.5}$

$da/dt = C \cdot (K_{I\max} - K_{I\text{sc}})^n \text{ in/sec}$

where  $C = 6.241E-11$

$n = 1.16$

and  $dt = (1/9 \text{ yr}) \cdot (365 \text{ days/yr}) \cdot (24 \text{ hr/day}) \cdot (3600 \text{ sec/hr})$

$= 3504000 \text{ sec.}$

Then:  $da/dt = 1.15E-08 \text{ in/sec}$

$da_{\text{SCC}} = 0.0401 \text{ in.}$

---

Total Crack Growth

---

$da = da_{\text{fatigue}} + da_{\text{SCC}} = 0.0402 \text{ in.}$

	Spread-	Program	
	sheet	Output	
New crack depth = $a + da =$	0.5011	0.5011	in.

Appendix D

## Verification of FORTRAN Program CIRCFLAW

Referenced output file: CIRC.OUT

Geometry Data:

Ro = 2.0000 in.  
 Ri = 1.3825 in.  
 t = 0.6175 in.  
 R = 1.6913 in.  
 Ri/t = 2.2389  
 R/t = 2.7389  
 l/a = 4.7  
 a = 0.2439 in.  
 c = 0.5732 in.

Material Data:

Sy = 56.8 ksi (yield strength)  
 Sf = 86.8 ksi (flow stress)  
 K<sub>Ic</sub> = 303.085 ksi\*in<sup>1.5</sup>

Axial Load:  $P = \text{MAX}[S(\text{oper})] * \pi * (R_o^2 - R_i^2) = 51.012$  kips

Axial Stresses:

Thru-Wall Stress Distributions		
Position	Oper.	SS
x/t	S (ksi)	S (ksi)
0.00	7.774	49.826
0.25	5.037	36.004
0.50	2.492	21.156
0.75	-0.043	5.656
1.00	-2.648	-9.469

3rd Order Polynomial Fits		
	Oper.	SS
Coeff.	Si (ksi)	Si (ksi)
S0	7.772543	49.817
S1	-11.4338	-51.836
S2	2.409143	-14.931
S3	-1.39733	7.472

## D.1 Limit Load

	Spread-sheet	Program Output
$z = t / R_o$	= 0.30875	
$\theta = (\pi c) / (4 R_i)$	= 0.325615	
$x = a / t$	= 0.39498	
$A1 = x [(1-z)(2-2z+xz)+(1-z+xz)^2] / \{2[1+(2-z)(1-z)]\}$	= 0.154895	
$\alpha = \arccos [A1 \sin(\theta)]$	= 1.521226	
$P_o = 2 \pi R t S_f [2 * \alpha / \pi - (x * \theta / \pi)(2-2z+xz)/(2-z)]$	= 530.851	530.856 kip
$P_o / P =$	= 10.406	10.407

## D.2 Stress Intensity Factor Solution at Deepest Point

$$KI = (\pi \cdot t)^{.5} \cdot \text{SUM}(Si \cdot (a/t)^i \cdot Gi), \quad i=0,1,2,3$$

$$Gi = A1 \cdot \alpha_i + A2 \cdot \alpha_i^2 + A3 \cdot \alpha_i^3 + A4 \cdot \alpha_i^4 + A5 \cdot \alpha_i^5 + A6 \cdot \alpha_i \cdot (R/t-5)$$

$$\alpha_i = (a/t)/(a/c)^m$$

i	A1	A2	A3	A4	A5	m
0	1.8143	-1.9881	1.4382	-0.4680	0.056696	0.50
1	1.0959	-0.9874	0.5399	-0.09303	0.0	0.38
2	1.1836	-2.3347	2.9756	-1.7652	0.39483	0.30
3	1.0029	-2.0160	2.5627	-1.4951	0.32759	0.25

$$r_y = 1/(6 \pi) \cdot (KI(a)/S_y)^2$$

$$a_e = a + r_y$$

$$\begin{aligned} a &= 0.2353 \text{ in.} \\ c &= 0.5530 \text{ in.} \\ a/t &= 0.3811 \end{aligned}$$

$$\begin{aligned} r_y &= 0.000336 \\ a_e &= 0.2356 \text{ in.} \\ c &= 0.5530 \text{ in.} \\ a_e/t &= 0.3816 \end{aligned}$$

i	KI(a) - ksi*in <sup>.5</sup>		KI(ae) - ksi*in <sup>.5</sup>		Program Output
	alpha(a)	G(a)	alpha(ae)	G(ae)	
0	0.584143	0.617457	0.584976	0.617976	
1	0.527219	0.375254	0.527971	0.375593	
2	0.492386	0.27964	0.493088	0.279866	
3	0.471793	0.227128	0.472467	0.227307	
For max. operating conditions:		4.52	4.52		4.52
For steady state conditions:		31.81			

## D.3 Crack Growth for One Design Cycle

$$\text{Let: } a = 0.2353 \text{ in.}$$

---

 Fatigue Crack Growth for One Design Cycle of Operating Stress
 

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$$KI_{\max} = 4.52 \text{ ksi} \cdot \text{in}^{.5}$$

$$KI_{\min} = 0.00 \text{ ksi} \cdot \text{in}^{.5}$$

$$da/dN = C \cdot (dK)^n \text{ in/cycle}$$

$$\text{where } C = 4.09E-10$$

$$n = 3.349$$

$$\text{and } dN = 1 \text{ cycle}$$

$$dK = 4.52 \text{ ksi} \cdot \text{in}^{.5}$$

$$\text{Then: } da/dN = 0.0000 \text{ in/cycle}$$

$$da_{\text{fatigue}} = 0.0000 \text{ in.}$$

---

 Stress Corrosion Crack Growth for One Equivalent Design Cycle of Steady State Stress
 

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$$KI_{\max} = 31.81 \text{ ksi} \cdot \text{in}^{.5}$$

$$KI_{\text{sc}} = 8.19 \text{ ksi} \cdot \text{in}^{.5}$$

$$da/dt = C \cdot (KI_{\max} - KI_{\text{sc}})^n \text{ in/sec}$$

$$\text{where } C = 6.241E-11$$

$$n = 1.16$$

$$\text{and } dt = (1/9 \text{ yr}) \cdot (365 \text{ days/yr}) \cdot (24 \text{ hr/day}) \cdot (3600 \text{ sec/hr})$$

$$= 3504000 \text{ sec.}$$

$$\text{Then: } da/dt = 2.44E-09 \text{ in/sec}$$

$$da_{\text{SCC}} = 0.0086 \text{ in.}$$

---

 Total Crack Growth
 

---

$$da = da_{\text{fatigue}} + da_{\text{SCC}} = 0.0086 \text{ in.}$$

	Spread- sheet	Program Output	
New crack depth = $a + da =$	0.2439	0.2439	in.

# PROPRIETARY INFORMATION

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