

PSEG Early Site Permit – RAI 67 Response NRC Public Meeting

July 1, 2013



- Introductions
- Purpose of Meeting
 - Present methodology for performing ESP Flood Re-Analysis
 - RAI 67 Response Approach
 - JPM-OS Methodology
 - ADCIRC Storm Surge Model
 - Facilitate technical discussion with NRC staff
 - Discuss remaining actions for RAI #67 response



- Background
- Discussion of JPM Approach
- Application of JPM at PSEG Site
- Selection of Storm Surge Model
 - FEMA Model Description
 - ADCIRC V&V Steps
 - Comparisons to FEMA Results
 - Refine FEMA ADCIRC Mesh
 - Validate Updated ADCIRC Model



RAI No. 67 Requested:

... PSEG provide an analysis of the PMH events using a conservative, current practice approach such as those predicted by a two-dimensional storm surge model (e.g., ADCIRC, FVCOM, SLOSH, other) with input from appropriate PMH scenarios and with resolution that captures the nuances of the bathymetry and topography near the project site. Note that, to account for wave-induced water level effects (wave setup), PSEG will likely need to couple a nearshore wave transformation model to a hydrodynamics model.



- Original PSEG ESPA Storm Surge Analysis based on PMH Storm (NWS 23) modeled with Bodine storm surge model, coupled with HEC-RAS and the wind setup model of Kamphuis.
- JLD-ISG-12-06 states Bodine storm surge model recommended in RG 1.59 is not consistent with current state of knowledge.
- JLD-ISG-12-06 also provides the first NRC guidance on probabilistic storm surge analysis and points to NUREG/CR-7134.



JPM Approach and Application to the PSEG Site



Outline of JPM Development

- Approach to JPM for Tropical and Extratropical storms
 - Definition of Response Surface and storm probabilities
 - River discharge effects on surge probabilities
 - Analysis of the effects of tides on total depth probabilities
- Comparison to and consistency with extrapolated FEMA results
- Incorporation of Epistemic and Aleatory Uncertainties
- Wind field generation
 - Definition and V&V for tropical wind fields
 - Definition of Extratropical storm wind field characteristics and probabilities
- Independent Reviewer Selected (Dr. Jennifer L. Irish Associate Professor, Virginia Tech)



• For combined Extratropical and Tropical storms, we use the form:

$$P_{c}(\eta) = 1 - (1 - P_{trop})(1 - P_{extrop})$$

where *P* denotes an exceedance probability and the subscripts *c*, *trop*, and *extrop* refer to combined tropical and extratropical storm set. Since, by definition $P(\eta) = 1 - F(x)$ where $F(\eta)$ is the cumulative distribution function, this is equal to

$$1 - F_c(\eta) = 1 - F_{trop}(\eta) F_{extrop}(\eta)$$



Application of Response Surface Joint Probability Method to combined storm populations

 The cumulative distribution is defined via an integral over the storm parameters which influence surge generation (similar to Resio *et al.*, 2012 – NUREG/CR-7134):

$$F_{c}(\eta) = \int \dots \int p(x_{1}, \dots, x_{n}) H[\eta - \Lambda(x_{1}, \dots, x_{n}) dx_{1} \dots dx_{2}$$
$$+ \int \dots \int p(z_{1}, \dots, z_{m}) H[\eta - \Lambda(z_{1}, \dots, z_{n}) dz_{1} \dots dz_{2}$$

where the first integral represents contributions due to tropical storms and the second integral represents contributions due to extratropical storms, and

 $x_1, ..., x_n$ are the n parameters influencing tropical surge generation;

- $z_1, ..., z_m$ are the m parameters influencing extratropical surge generation;
- *p* is the multivariate probability function; and
- Λ is the model (system) which links the parameters to surge levels at each point of interest



- Our simulation domain will cover the probability range from 10⁻⁵ to 10⁻⁷
- Similar to earlier efforts, the primary parameters influencing extreme surges at this site include: landfall location, storm intensity and storm size
- The sensitivity to track angle is expected to be much larger than on the open coast
- Forward storm speed does not appear to have a pronounced influence on surge levels at the site

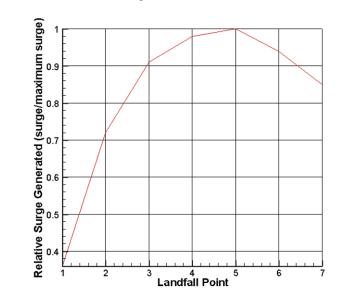


Quantification of the Response Surface



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Relative Surge: Landfall



- Angle restricted to ±22.5 deg
- Size response similar to that of Resio *et al*, 2012.
- Surge increases monotonically with intensity
- Effects of tides and river discharge on water level probabilities are being investigated

Comparison to FEMA Region 3 Analysis

- FEMA analyses focused on 10 – 500 year range of return periods
- PSEG will focus on much longer return periods
- FEMA could neglect uncertainties in their analyses, given their range of applicability
- PSEG analyses cannot neglect uncertainty
- Modeling tools should be comparable

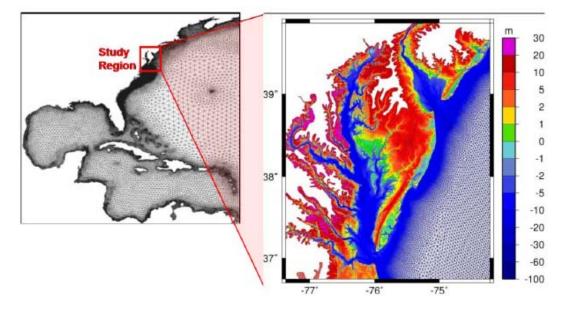
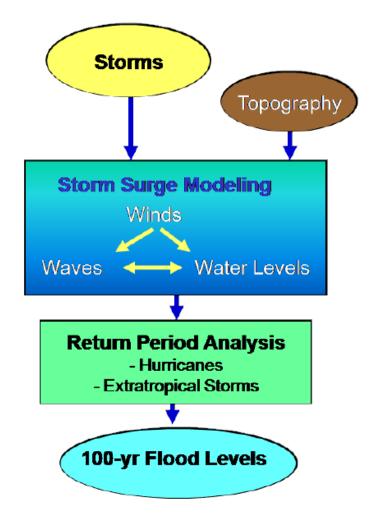


Figure 1.2. FEMA Region III unstructured modeling mesh, showing the overall modeling domain (left), and topographic detail within Region III (right).



Extratropical Storm Methodology Used Empirical Simulation Technique (EST)

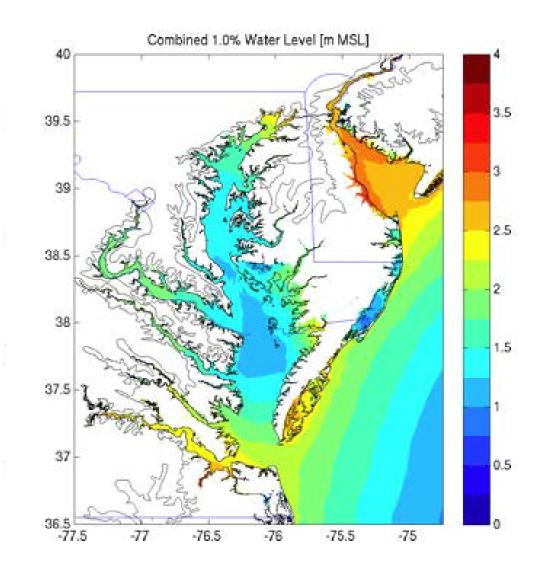
- Period of record covered 1975 2009
- Cumulative Distribution Function defined using equivalent to Gumbel plotting position n/(N+1), where n is the rank and N is the total number of years included in the analysis.





100-year combined total water levels

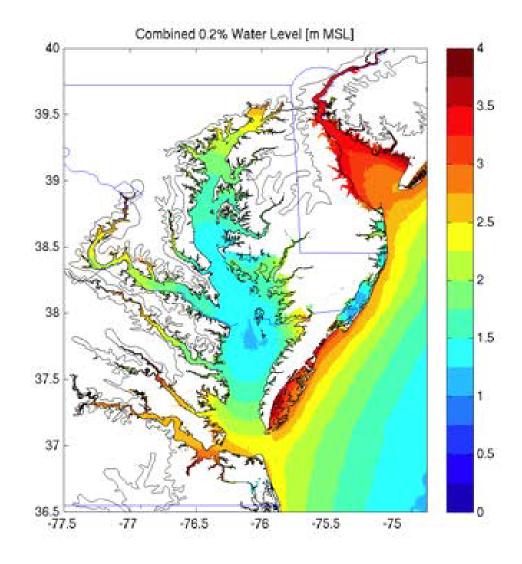
 Combined 100-year water levels are less than 3 m.





500-year combined total water levels

 Combined 500-year water levels are less than 3.5 m.





The EST method also did not include epistemic or aleatory uncertainty

 This will be included within the JPM analysis conducted for the PSEG Site

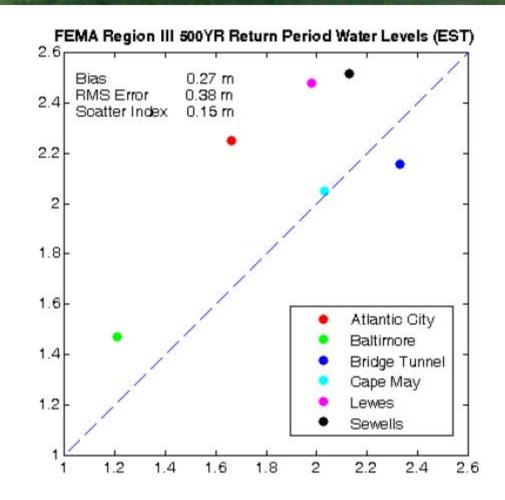


Figure 2.22. 500-year return period scatter plot with error estimates at validation stations.



Modeling range depends on asymptotic surge response to parameters

Functional dependence of the surge on forcing parameters as they become large-valued.

<u>Becomes</u> Asymptotic

$$\zeta = \left(\frac{\rho_a}{\rho_w}\right) \frac{c_d V^2}{g} \int_0^L \frac{dx}{h(x)} = \left(\frac{\rho_a}{\rho_w}\right) \frac{c_d V^2}{g \langle h \rangle} L \qquad \zeta = \left(\frac{\rho_a}{\rho_w}\right) \frac{c_d}{\langle h \rangle} \frac{\lambda \Delta p}{\rho_a g} L \qquad \text{NO}$$

$$\frac{\zeta = \chi_1 \Delta p \frac{L_*}{h_* \phi_*} \psi_x \left(\frac{R}{L_*}\right) \qquad \psi_x \left(\frac{R}{L_*}\right) = \left(\frac{R}{L_*}\right) \qquad \text{when} \left(\frac{R}{L_*}\right) \leq 1$$

$$\frac{\zeta = \chi_1 \Delta p \frac{L_*}{h_* \phi_*} \psi_x \left(\frac{R}{L_*}\right) \psi_x \left(\frac{t_*}{t_\infty}\right) \qquad \psi_x \left(\frac{t_*}{t_\infty}\right) = \left(\frac{t_*}{t_\infty}\right) \qquad \text{when} \left(\frac{t_*}{t_\infty}\right) \leq 1$$

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If we focus on the "tail" of the distribution, we see that some physical limits appear.



The inclusion of epistemic and aleatory uncertainty in JPM estimates

• The epistemic uncertatinty is added via:

$$F_{c}(\eta) = \int ... \int p(x_{1}, ..., x_{n}, \varepsilon) H[\eta - \Lambda(x_{1}, ..., x_{n}) + \varepsilon] dx_{1} ... dx_{2}$$
$$+ \int ... \int p(z_{1}, ..., z_{m}) H[\eta - \Lambda(z_{1}, ..., z_{n})] dz_{1} ... dz_{2}$$

where

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 ε is the random uncertainty term, assumed to follow a Normal distribution with a mean of zero and a standard deviation given by the sum of a number of error contributions

$$\sigma_{total}^{2} = \sigma_{tide}^{2} + \sigma_{model}^{2} + \sigma_{B}^{2} + \sigma_{waves}^{2} + \sigma_{vsinds}^{2} + \sigma_{residual}^{2} + \sigma_{sampling}^{2}$$
Epistemic uncertainty
Aleatory uncertainty
Has a different form than epistemic

Aleatory uncertainty becomes very large at large return periods

Uncertainty in an estimate is very difficult to estimate without some assumptions regarding parent distributions and the "effective" number of samples (which depends on the autocorrelation attributes of the phenomenon).

For extremes, the overall characteristics tend to vary as a function of the return period and the number of samples.

$$S_x \sim \phi \left(\frac{T}{\sqrt{N}}\right)$$
, where S_x is the rms of the Gaussian uncertainty band

For a Gumbel Distribution, with a distributional rms of S

$$S_x \sim S_y \sqrt{\frac{1.100y^2 + 1.1396y + 1}{N}}$$
, for large $T \ y \approx \ln(T) - \frac{T}{2}$

Unfortunately, this makes the estimation of very-low-probability events very uncertain. For hurricane surges the typical rms value of the uncertainty is in the 10% range for the 100-year return period (assuming a Gumbel Distribution).

For very low frequencies (very large T), the confidence limits become much larger than the predicted surge values.



Examples of influence of aleatory uncertainty in very low probabilities

Using standard form for CDF and return period, we can develop a continuous estimate for central pressures from Table 7 in the report.

a)
$$F'(x) = \exp\left\{-\exp\left[-\left(\frac{x-a_0}{a_1}\right)\right]\right\}$$
 $x = 1013 - c_p,$

where

 $a_0 = 31.7$ and $a_1 = 12.34$

F'(x) is the best fit to the data not adjusted to an annual basis and the Poisson-Gumbel Distribution for return period is:

b)
$$T_r = \frac{1}{\lambda [1 - F'(x)]}$$

where

 λ is the annual frequency (= 16/280)

[Note: $280 = 70 \times 4$ adjusts for size differential in sample] and;

 T_r is the return period in years; which yields for the annualized CDF, $F(\eta)$:

c)
$$F(x) = 1 - \frac{1}{\lambda T_r}$$
.



Equation for aleatory risk from Resio et al. (2013) Nat. Haz.

Inclusion of Aleatory risk can be accomplished by incorporating the effect of sampling uncertainty on the input parameters to the JPM.

Examples here are for central pressures.

$$p(x) = \int_{0-\infty}^{\infty} \int_{-\infty}^{\infty} p[\hat{x}(T_r) + \varepsilon \mid \hat{x}] p(\hat{x}) p(\varepsilon) \delta(\hat{x} + \varepsilon - x) d\varepsilon d\hat{x}(T_r)$$

where

 $\hat{x}(T_r)$ denotes the deterministic estimate of x for a given return period and ε denotes the deviation from the the deterministic surge estimate.



Aleatory Impact on Encounter probabilities of central pressures

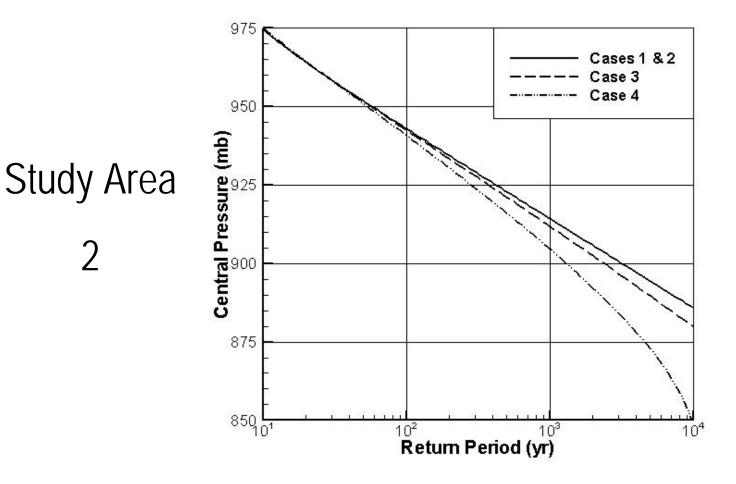
975 Cases 1 & 2 Case 3 Case 4 950 Study Area Central Pressure (mb) 006 006 875 850 L 10 10² 10^{3} 10⁴ 10⁵ Return Period (yr)

> Estimated return periods with and without uncertainty: Case 1&2: deterministic and delta function approximation Case 3: estimated standard deviations divided by 2 Case 4: estimated standard deviations

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Aleatory Impact on Encounter probabilities of central pressures



Estimated return periods with and without uncertainty: Case 1&2: deterministic and delta function approximation Case 3: estimated standard deviations divided by 2 Case 4: estimated standard deviations

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Wind Field Generation

- Wind fields will be generated using models consistent with recent FEMA and USACE surge studies
- V&V will include comparisons of radial wind profiles, maximum winds, and wind angles within storms
- Extratropical storms will include storms which have transitioned from tropical origins to extratropical form



Summary of JPM approach for PSEG Site

- JPM method used for tropical storms is equivalent to those used in previous USACE, FEMA, and NRC studies
- Very-low probability surges from extratropical storms will likely be dominated by tropical systems that have transitioned to extratropical form and by well-defined storms of extratropical origin
- Definition of combined tropical and extratropical surge probabilities is straightforward
- Wind field methodologies are well-tested
- Incorporation of uncertainty will be performed using previously tested and published methods



Selection of Storm Surge Model



Storm Surge Model Selection

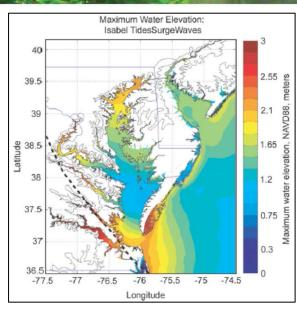
- JLD-ISG-12-06 describes ADCIRC as a current state of the art storm surge model.
- JLD-ISG-12-06 also describes SWAN (Simulating Waves Nearshore) as a capable model for analyzing wave conditions.
- FEMA Region III Storm Surge Study using ADCIRC w/SWAN



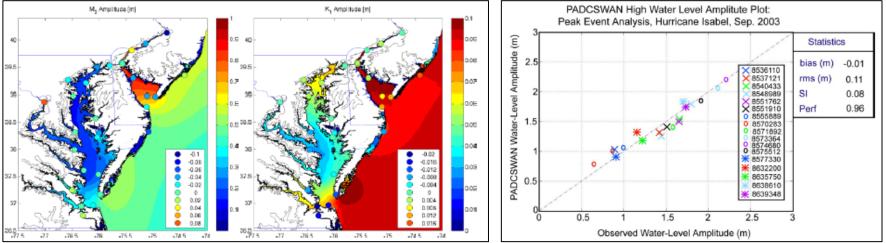
Overview of FEMA Region III Risk Assessment Analysis



FEMA Study



- Region III (includes Delaware Bay)
- Corps of Engineers were the technical lead
- Model system to assess storm surge risk
- Developed a high resolution ADCIRC mesh
- 10-, 50-, 100- and 500-yr flood levels
- Used the same ADCIRC+SWAN model system that is being applied to the ESP Flood Re-analysis



Source: U.S. Army Corps of Engineers, ERDC/CHL TR-13-XX, Submission No. 2

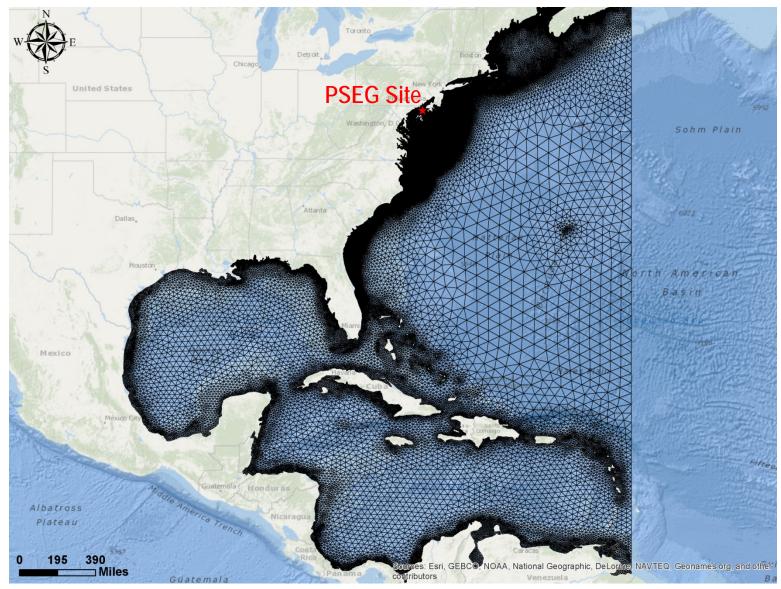


<u>Advanced Circulation, Two-Dimensional Depth-Integrated</u> (ADCIRC-2DDI) model

- Long-wave, coastal and ocean circulation model
- Finite element based
- Simulates astronomic tides and hurricane storm surge
- Can include wave influences through coupling with SWAN
- Both ADCIRC and SWAN are in the current ISG as recommended modeling tools for surge and waves



Western North Atlantic Tidal Model Domain



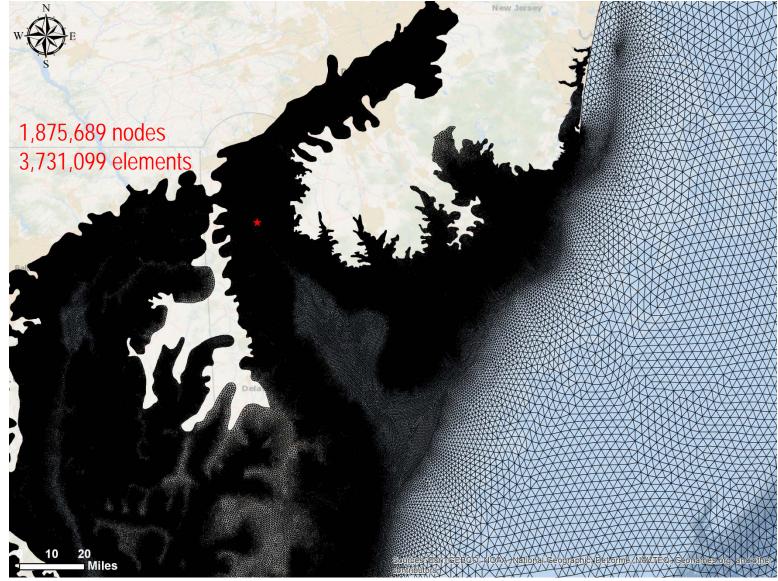


Study Region



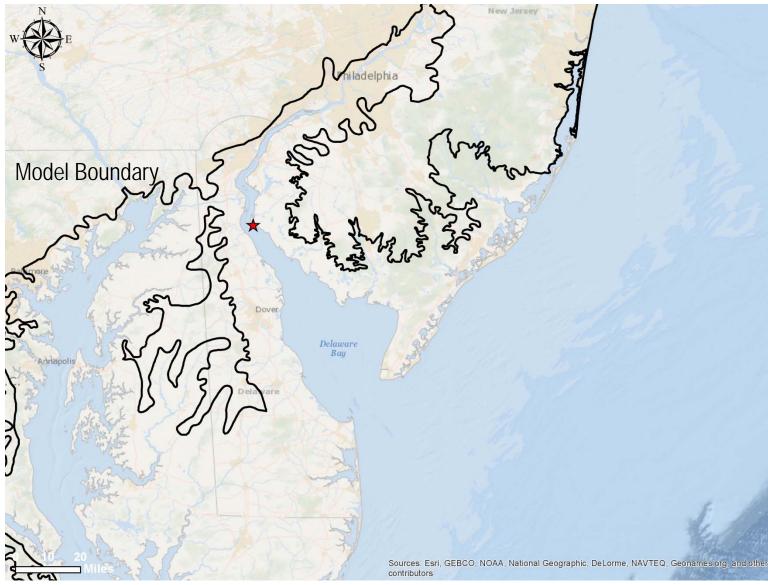


FEMA Region III ADCIRC Mesh





FEMA Region III ADCIRC Mesh





ADCIRC Verification and Validation for the PSEG ESPA Flood Re-Analysis



Goal: To develop and document a state-of-the-art modeling tool that will support JPM-OS work now underway

- Purpose A: Verify that the project computer platform produces the expected results
- Purpose B: Verify that site specific modifications made to the storm surge model produce the expected results



- Obtain ADCIRC mesh used in recent FEMA study for this region (Purpose A)
- Obtain input/output files from FEMA for a couple storm events to use for verification (Purpose A)
- Recreate FEMA results for the selected events using the project computer platform (Purpose A)
- Adjust ADCIRC mesh to incorporate PSEG site topography (Purpose B)
- Validate new PSEG ADCIRC mesh (Purpose B)



Modeling Platform

Stokes Advanced Research Computing Center at the University of Central Florida

- http://webstokes.ist.ucf.edu/
- ~16 trillion floating point operations per second
- 3100 total processing cores
- ~6 TB of RAM
- 144+ TB total storage
- RHEL 5.0-5.4 operating system (Linux environment)



Recreate FEMA Results Using the Project Computer Platform



45-day Tidal Spinup

- Allows enough time for full tidal resonance to be achieved within the domain
- "Hotstart" file is created from this simulation to jump start the ensuing ADCIRC+SWAN simulation

Tides+Surge+Waves

- ADCIRC+SWAN code
- Event specific wind files used



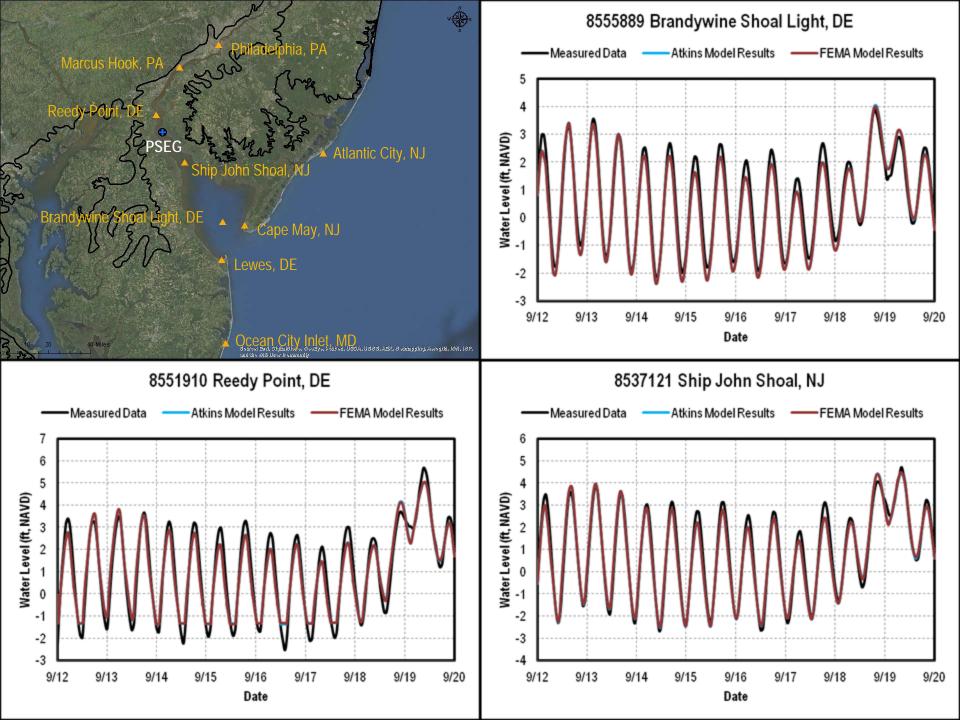
- Plots compare our results to the previous FEMA results to note any differences
- All results shown were produced using the ADCIRC+SWAN code



Hurricane Isabel

September 12, 2003 – September 20, 2003





Hurricane Isabel Peak Water Level Comparison

Location	NOAA Gage No.	Atkins Peak (ft)	FEMA Peak (ft)	Difference (%)	Difference (inch)
Ship John Shoal	8537121	4.44	4.48	-0.89%	-0.48
Marcus Hook	8540433	5.65	5.69	-0.70%	-0.48
Philadelphia	8545240	5.18	5.22	-0.77%	-0.48
Reedy Point	8551910	5.04	5.07	-0.59%	-0.36
Brandywine Shoal	8555889	4.05	4.01	0.99%	0.48

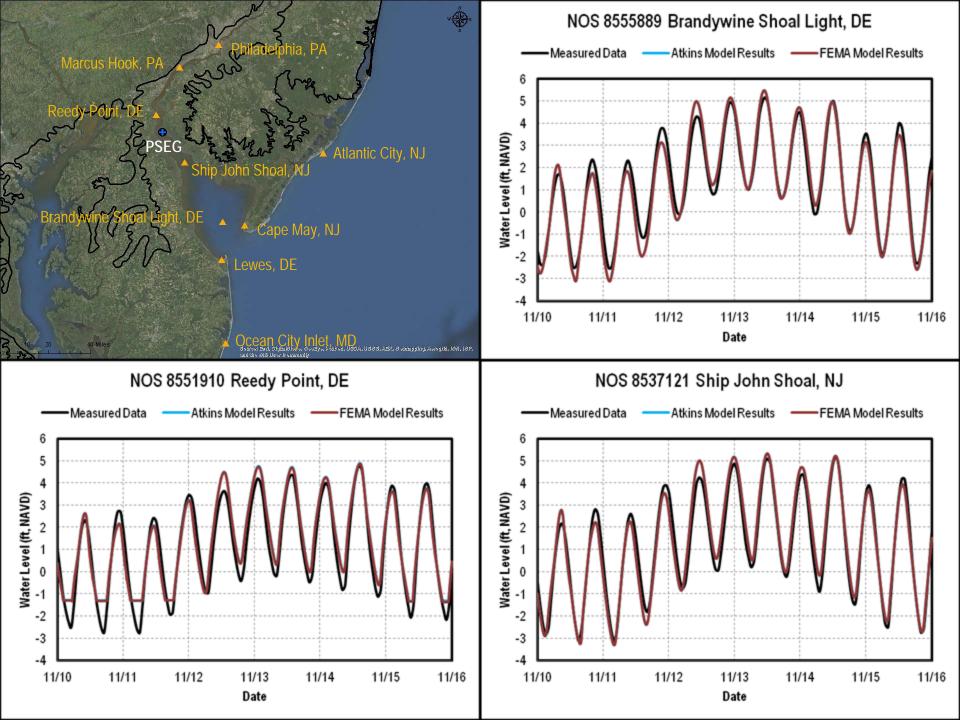
Note: Peak water level elevations are referenced to the NAVD88 vertical datum.



Nor'easter Ida

November 10, 2009 – November 16, 2009





Nor'easter Ida Peak Water Level Comparison

Location	NOAA Gage No.	Atkins Peak (ft)	FEMA Peak (ft)	Difference (%)	Difference (inch)
Ship John Shoal	8537121	5.35	5.34	0.19%	0.12
Marcus Hook	8540433	5.12	5.11	0.20%	0.12
Philadelphia	8545240	5.76	5.74	0.35%	0.24
Reedy Point	8551910	4.89	4.88	0.20%	0.12
Brandywine Shoal	8555889	5.50	5.49	0.18%	0.12

Note: Peak water level elevations are referenced to the NAVD88 vertical datum.



- Our modeling platform produces similar results to the FEMA modeling platform
- Slight differences exist due to differences in compilers, changes in the ADCIRC code (they used version 49.60 whereas we are using 50.84), etc.



Refine and Update FEMA ADCIRC Mesh with Site Specific PSEG Topography Data



Desktop Recon





Review PSEG Topo Data



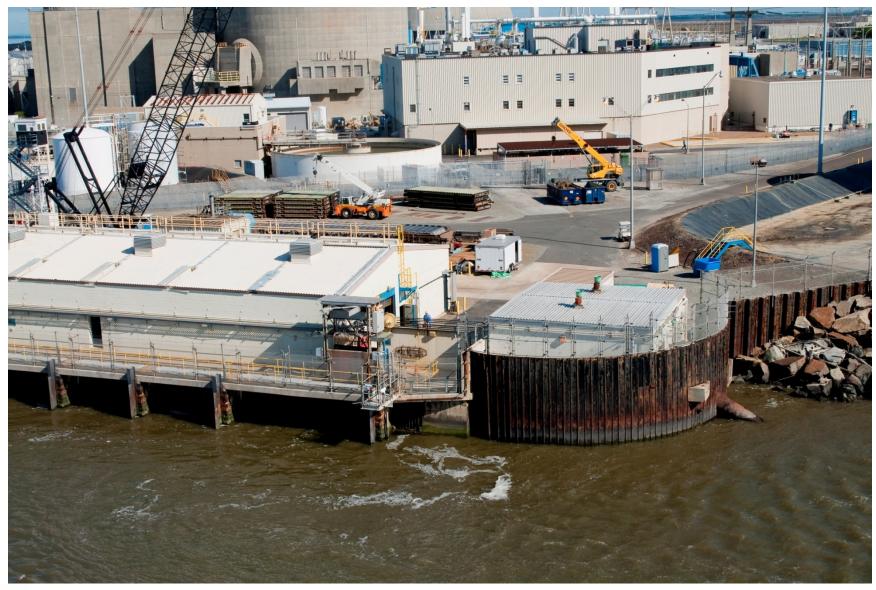


Site Photos



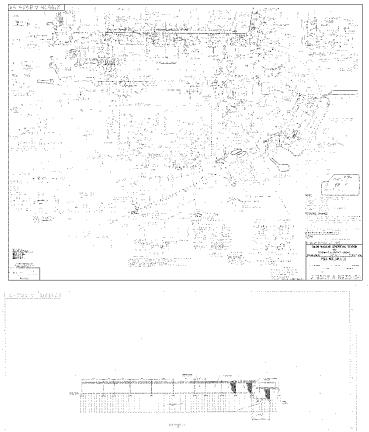


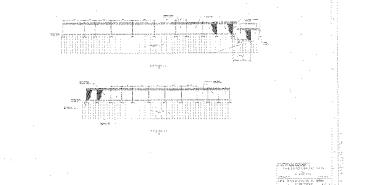
Site Photos

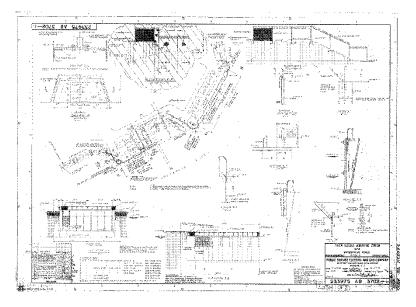




Additional Input







Construction Drawings -Sea wall crest elevations -Salem water intake topo



Updated PSEG ADCIRC Mesh





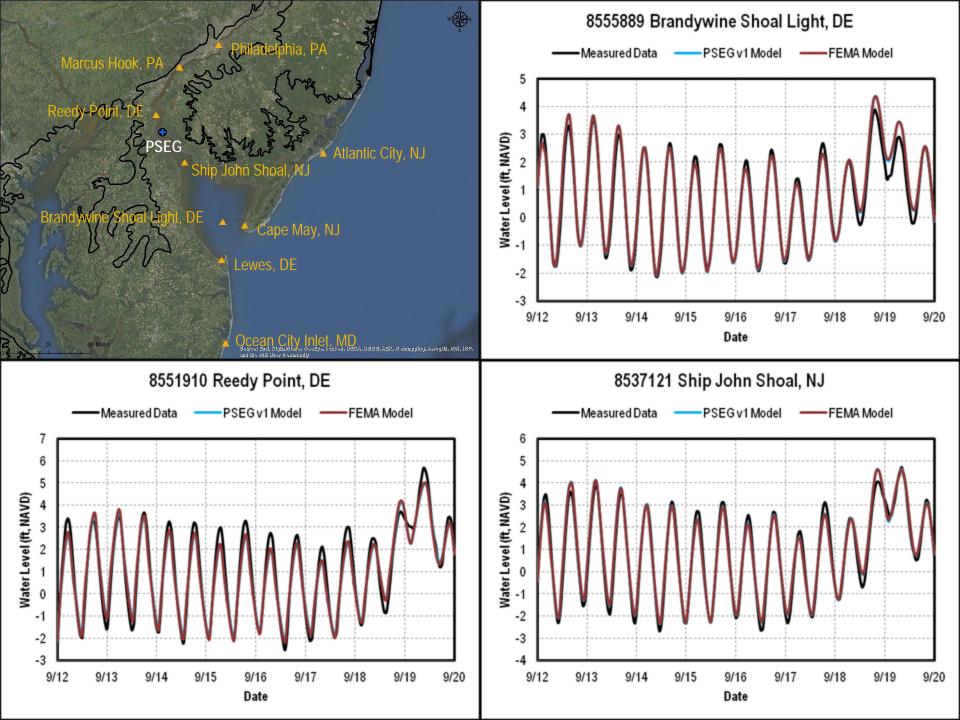
Validate Updated ADCIRC mesh with PSEG Site Specific Topography Included

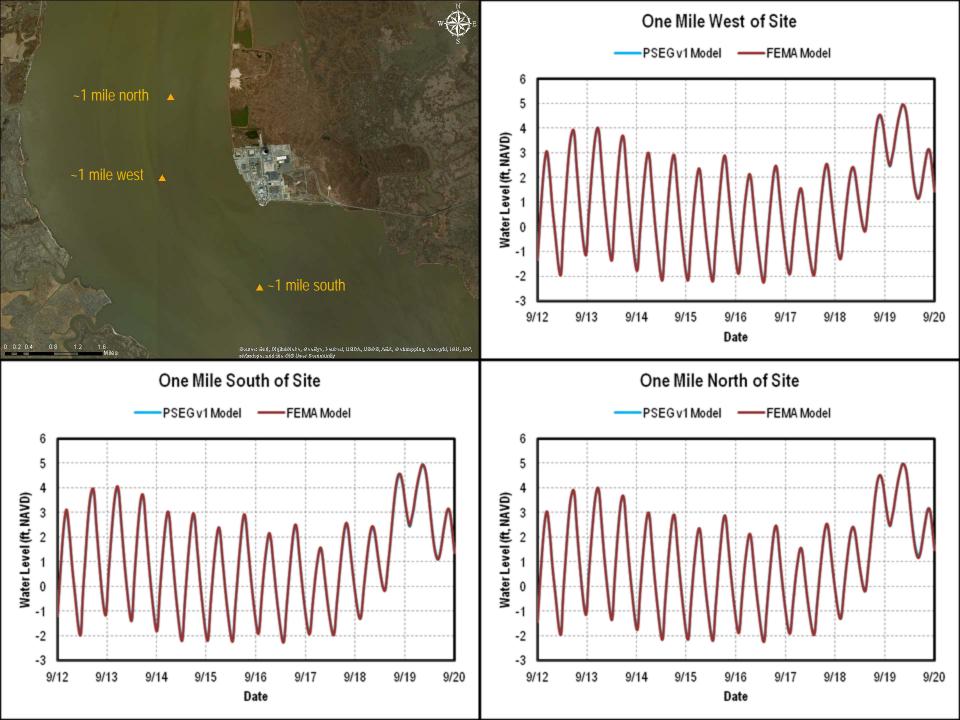


Hurricane Isabel

September 12, 2003 – September 20, 2003







Hurricane Isabel Peak Water Level Comparison

Location	Post-Grid Modification Peak (ft)	Pre-Grid Modification Peak (ft)	Difference (%)	Difference (inch)
One Mile West	4.95	4.98	-0.59%	-0.35
One Mile South	4.92	4.96	-0.79%	-0.47
One Mile North	4.97	4.99	-0.46%	-0.28

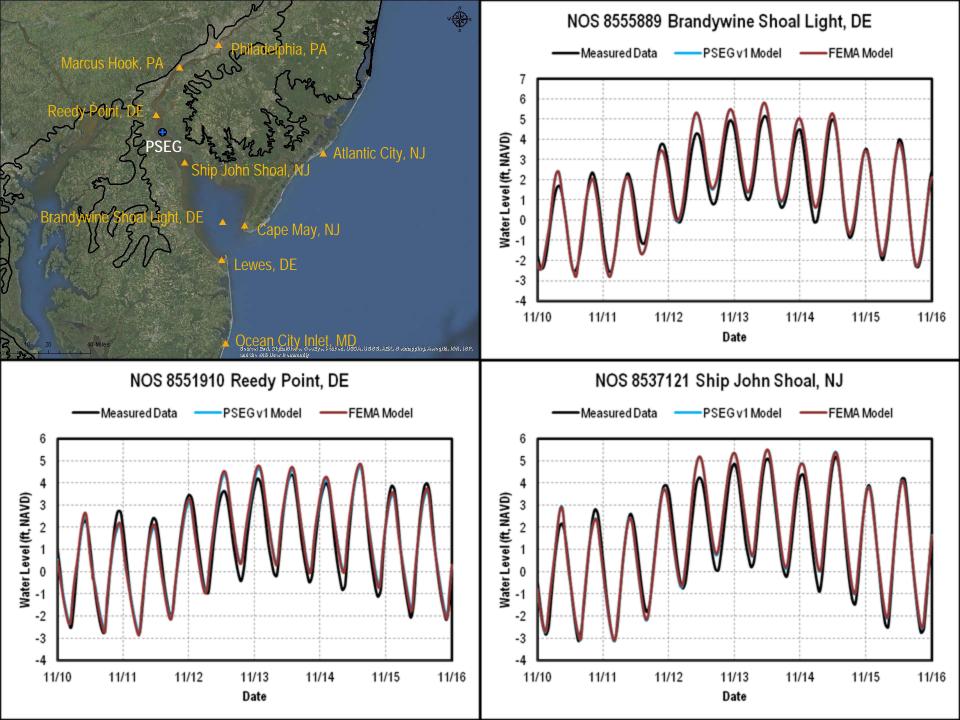
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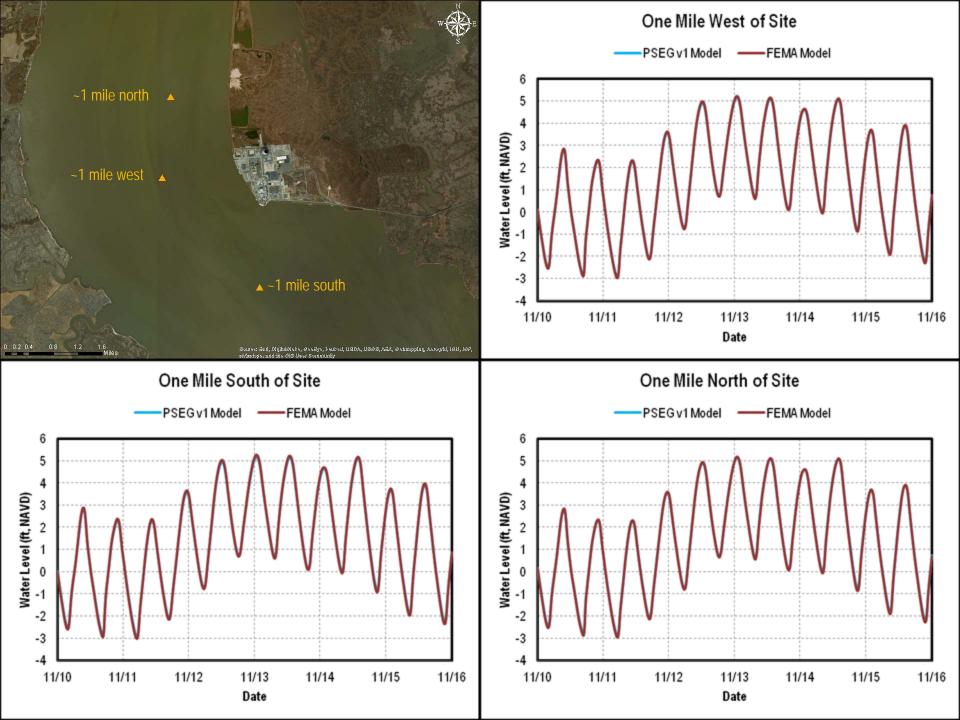


Nor'easter Ida

November 10, 2009 – November 16, 2009







Nor'easter Ida Peak Water Level Comparison

Location	Post-Grid Modification Peak (ft)	Pre-Grid Modification Peak (ft)	Difference (%)	Difference (inch)
One Mile West	5.18	5.25	-1.31%	-0.83
One Mile South	5.20	5.28	-1.49%	-0.95
One Mile North	5.15	5.20	-0.95%	-0.59

Note: Peak water level elevations are referenced to the NAVD88 vertical datum.



- Refined PSEG ADCIRC mesh produces results that are similar to FEMA's results in Delaware Bay
- Model is ready for the JPM process
 - Currently in progress
 - Preliminary simulations are underway



- Use of JPM Approach presented today
- Develop ADCIRC w/SWAN model that captures the nuances of the bathymetry and topography – presented today
- Refine PMSS parameters and develop synthetic storm set to determine the PMSS water level - Future
- Calculate Wave Run-up for PSEG Site Future



RAI 67 Response Schedule

NRC Public Meeting 7/1/2013 Today
 NRC Public Meeting 9/24/2013 On Schedule
 Submit Revised SSAR 10/31/2013 On Schedule Subsection 2.4.5



Thank You

Open for discussion and questions

