

LABORATORY NOTEBOOK

308

Scientific Notebook #195
Q20000504006

CNWRA / SWRI

NOTEBOOK NO. _____

ISSUED TO Jim Winterle

ON 10-9 **19** 96

DEPARTMENT _____

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Entries in this log book will be made by Jim Winterle.

Objectives:

One of the primary objectives of this work is to determine if matrix diffusion occurs during groundwater transport in the tuffaceous rocks that underlie Yucca Mountain, NV. Matrix Diffusion could act to significantly retard any contaminant plume that might occur in the area. If matrix diffusion is indeed occurring, it is desirable to quantify this process in order to determine the extent of retardation.

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Tracer tests conducted at the "C-well complex" by the USGS can be helpful in this effort. Computer modeling will be used to fit theoretical curves to the field data. The model used depends on the method by which the tracer test was conducted.

Initial modeling will be based on input of a conservative tracer into an observation well "C#2", and monitoring the arrival of the tracer at a pumped well "C#3". A computer code developed by Alan F. Moench of the U.S.G.S is used. Refer to WRR, 31(8) pp 1823-1835, 1995 for a thorough discussion of theory and modeling.

This Book will document model inputs, changes to the model (if made), and modeling results compared to field data (assuming USGS will be forthcoming in providing field data).

note that source software has been attached to a disk in Scientific Notebook #206

The Original model source code is titled RCVZAMOS.F and is linked to subroutines in ZBSUBS.F and MACHCON.F. These are compiled using SUN F77 and can be found in a Dopey/GWitt/Moench

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Use of Alan Moench's model RCV2AMOS is described next:

A single input file is used - RCV2AMOS.INP - some descriptions of the input parameters are described in the source code. However, I found it necessary to refer to the Moench (1995) article.

Input File: RCV2AMOS.INP

- contains 10 lines of input

Line 1 - 3 parameters: LOGT, NLC, NOX

- LOGT = set to 1 if output file is to have equal time steps on log plot
= set to zero for arithmetic plot.

- NLC = when LOGT=1, specifies # of log cycles covered by output

- NOX = when LOGT=1, # of points per cycle

Line 2 - 5 parameters: TDFIRST, DELTD, TDP, XMUI, XMUW

- TDFIRST = First value of Dimensionless time

- DELTD = For LOGT=0, incremental increase in dimensionless time

- TDP = Time duration of Tophat pulse, only used when ~~INTPP~~^{INTPP} INPTRA = 2 (see Line 3).

- XMUI = well bore mixing factor for injection well. set to zero if no mixing occurs

- XMUW = same as XMUI for withdrawal well

Line 3 - 4 parameters: INPTRA, NTS, KT, IFLUX

- INPTRA = specifies type of input pulse pulse for tracer. zero for constant input; 1 for Dirac (instantaneous) input; 2 for Tophat pulse.

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Line 3 (cont'd)

- NTS = Number of time steps - used in conjunction with DELTD when LOGT = zero.
- KT = Number of type curves to be generated. Program will vary value of GAMMA for each type curve. However, if $KT > 1$, the last Type curve will be for SIGMA = zero (no matrix storage)

- IFLUX = TRACE source Boundary Type:
0 - In-situ concentration
1 - FLUX AVERAGE concentration

LINE 4 - 4 parameters: PE, RWD, RTARD, XMULT

- PE = Peclet # (see Table 1)
- RWD = Dimensionless Radius of Pumped well (see Table 1)
- RTARD = RETARDATION Factor for fracture system. RTARD = 1 for a conservative Tracer
- XMULT = when $KT > 1$, This value is added to (GAMMA) for additional type curves.

LINE 5 - 3 parameters: BIGT, METH, NN

- BIGT = max value of Dimensionless Time
- METH = Method of solution
= 1 epsilon algorithm
2 ordinary quotient difference
3 quotient difference

(Test Runs show no difference between methods reflected in out put)

- NN = Determines Truncation error. Tested as low as $NN = 10$ as high as $NN = 40$ w/no effect on output. leave at 40

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LINE 6 - 2 parameters: N, IQD

- N = Number of size fractions. Use if Aquifer is well characterized and sizes of "matrix blocks" can be divided into distinct size groups. Otherwise $N = 1$ and estimate "effective" size of matrix blocks.
- IQD - set to zero to eliminate effect of matrix diffusion. Set to 1 otherwise.

LINE 7 - FB(I) NUMBER OF FB VALUES on this line should equal N from line 6. FB is the Fraction of size (I)

LINE 8 - GAMMA(I) Dimensionless Diffusion parameter for matrix diffusion rate. (I) ^{FW} is the size fraction. should have N values (see Table 1)

LINE 9 - SIGMA(I) Dimensionless storage parameter for amount of tracer that can be stored in matrix. (N) values (see Table 1)

LINE 10 - SK(I) Fracture skin Parameter for Resistance to matrix diffusion due to fracture coatings. Set to zero for no fracture skin effect. (N) values must be entered. (see Table 1)

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Following is the table of dimensionless parameters from Moench (1995)

Table 1. Dimensionless Expressions

Information potentially subject to copyright protection was redacted from this location. The redacted material is from the following reference:

Moench, A.F. "Convergent Radial Dispersion of a Double Porosity Aquifer with Fracture Skin: Analytical Solution and Application to a Field Experiment in Fractured Chalk." Water Resources Research. Vol. 31, No. 8. pp. 1,823-1,835. 1995.

Table 1 and Notation from Moench (1995)

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Estimation of Model Parameters:

First, I want to put together what is known about the aquifer parameters based on other studies. Two reports by Geldon (1993, 1996) do a good job of describing the site of the "C-wells" and are used for much of the parameter estimation. Well C#2 is the injection well; well C#3 is the pumped well. Here we investigate "Phase-1 Tracer Test"

* The distance between the wells, r_L , is 30.4 m

* radius of the pumped well, r_w , is 0.251 m

USGS (personal communication) reports Total of 7,907,000 gallons pumped during 46 days of Tracer

* Test: this converts to $Q_0 = 650 \text{ m}^3 \text{ d}^{-1}$

* This tracer test was conducted over the full thickness of the Bullfrog member of the Crater Flat Tuff (~180m). However in well C#2, nearly all production comes from a 36 m fracture zone; in well C#3 nearly all production comes from a 46 m thick zone. Taking the

* average thickness of production zones, $h = 41 \text{ m}$ (Geldon, 1996, Tables S & 6) Geldon (1993, Table 6) lists Fracture Frequency in well C#1 as 0.54 m^{-1} in central Bullfrog member, and 1.07 m^{-1} in the lower Bullfrog. These fractures dip an average of 76°

Fig 1. Taking the average fracture frequency of 0.81 m^{-1} gives an apparent spacing of 1.25 m. Correcting this for dip angle of fractures (Fig 1)

$$\begin{aligned} \text{True spacing} &= \text{Apparent spacing} \cdot \cos \theta \\ &= 1.25 \cdot \cos 76^\circ \\ &= 0.30 \text{ m} \end{aligned}$$

* indicates calculation performed.

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PARAMETER ESTIMATION CONT'D

Given that the production zones are "very heavily" fractured compared to the "sparsely to moderately" fractured areas in the rest of the Bullfrog member, it is probably a good assumption that the fracture spacing is less in the productive zones.

I will begin by estimating fracture spacing of 0.2m. The parameter b' is the "effective" radius, or half fracture spacing, therefore, $b' = 0.1m$.

The Tracer used is 5Kg NaI dissolved in 500L of water. This is considered to be a conservative tracer, so $R = 1$ and $R' = 1$.

From NUREG-1464, 1985, Appendix B, $\phi_F = 1.3 \times 10^{-5}$ and $\phi' = 0.19$ to 0.32 - Taking the Average, $\phi' = 0.26$. These are the fracture and matrix porosities, respectively, for Bullfrog welded Tuff. These are probably very rough estimates - curve fitting will give us more insight.

Based on a Review by Gelhar (1992, Fig 3), on a scale of 30m, the longitudinal dispersivity $\alpha_L = 1 m$.

We are now ready to compute initial estimates for model inputs based on Aquifer characteristics. Assume well bore mixing is negligible.

$$\begin{aligned} RWD &= R = 1 \quad \text{(gaw 1/7/97)} \\ INPTRA &= 1 \quad \text{(Tracer added as pulse)} \\ PE &= Pe = r_L / \alpha_L = 30 / 1 = 30 \\ RWD &= r_w / r_L = 0.25 / 30.4 = 0.008 \\ RTARD &= R = 1 \\ SIGMA &= (\phi' R) / [R(1 - \phi_F) \phi_F] = \frac{0.26 \cdot 1}{1.3 \times 10^{-5}} \end{aligned}$$

SIGMA = 20000 (seems high but lets press on)

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GAMMA - This is a parameter I hope to obtain from modeling but let's get an initial estimate.

$$\gamma = D' [r_L^2 - r_w^2] \pi h \phi_F [R g_{0M} (b')^2]^{-1}$$

D' is effective Diffusion parameter in absence of sorption

errors
corrected
in
Red
gaw

$$D' \approx \frac{\phi' D_m}{\tau \phi} \quad \text{Assume } \tau = 1.5$$

and $D_m = 10^{-9} \frac{m^2}{s} = 8.6 \times 10^{-5} \frac{m^2}{d}$

$$D' \approx \frac{6 \times 10^{-5}}{1.5 \times 0.26} = 1.54 \times 10^{-5} \frac{m^2}{d}$$

$$\gamma = \frac{1.54 \times 10^{-5} [424] \pi \cdot 41}{[650(0.1)^2] \cdot 6 \times 10^{-5} [924] \pi \cdot 41 / [650(0.1)^2]}$$

$$\gamma \approx 2^{gaw} \quad \gamma \approx 0.3^{gaw} \quad \boxed{\gamma \approx 1} \quad \text{also seems high}$$

SK - There is no way to estimate SK at this time. For now, Assume No fracture skin: $SK = 0$

* Sigma seems very high, let's try to get another estimate of ϕ_F .

I have reviewed this notebook and find it in general compliance with QAP-001. Minor variances with QAP-001, conveyed to J. W. Wierle. There is sufficient information for another qualified person to repeat the activity.

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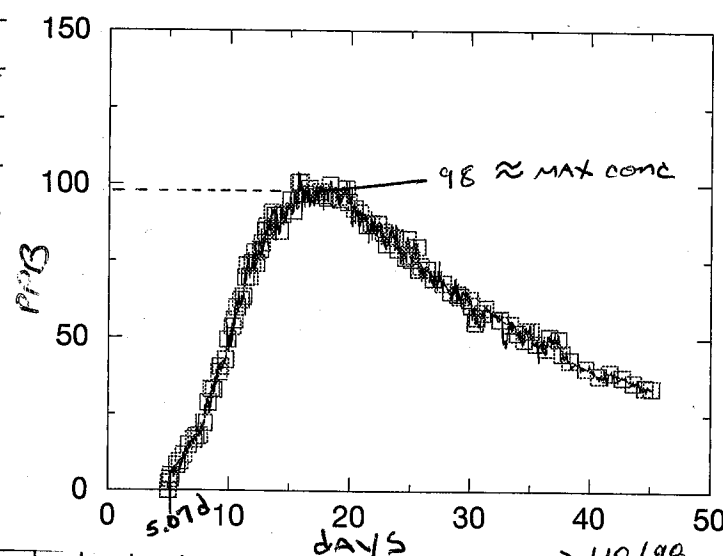
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Welcome Back!

After a very long Interruption, I am back to modeling C-well data.

Iodide Test

- tracer data provided by Chad Glen. filename = iodide.asc.
- data is missing start time (only has time and date sample was taken); however, from Ameri and Gelden Draft report, first Iodide above detection limit arrived at 5.07 days.
- tracer data from iodide.asc processed into Plot file such that first iodide arrives in 5.07 days. (see below) → iodide.btc
- XVG used to pick 100 points off curve. This file will be used for fitting model → iodide.piks
- 5.9 Kg of tracer (KI (NaI)) was injected with 500 L water
- $C_{max} \approx 98$ ppb RAW 2/18/98



iodide breakthrough curve from c-well test begun on 2/13/96. squares represent 100 data points that will be used for least-squares model fit.

Files Plotted: iodide.asc = all points
iodide.piks = 100 picks

Fig 2-18-98-1

2/18/98

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Moench curves are plotted with the ordinate in terms of C/C_{max} , where C_{max} is max. observed conc.

- There is a good deal of noise in breakthrough data, but 98 ppb is about in the middle of noise at C_{max} .
- generated C/C_{max} breakthrough curve file → iodide.ndm

- for dirac-type input, model plots dimensionless concentration in terms of:

$$C_D = \frac{C}{M} \cdot [\pi h \phi_f (r_L^2 - r_w^2)] \quad \text{eq. \# 1-18-98-1}$$

where M is mass injected → 5.9 kg
 h is aquifer thickness → 41 m
 ϕ_f is fracture porosity → unknown
 r_L is distance from pumped well center to the injection well → (30.4 m)
 r_w is pumped well radius → (0.251 m)

In the above eqn, the variables term in square brackets is also part of the δ' parameter (see pg. 6 for defn).

- Model output is also in terms of dimensionless time (t_D)

$$t_D = \frac{t \cdot q_p}{[\pi h \phi_f (r_L^2 - r_w^2)]} \quad \text{eq. 1-18-98-2}$$

where q_p is pump rate → 650 m³/d
 t is clock time

Since ϕ_f is the only variable we can write $C_D(\phi_f)$ and $t_D(\phi_f)$

$$C_D = 20174.3 \cdot \phi_f \cdot C$$

$$t_D = \frac{[m^3/Kg] \cdot [] \cdot [Kg/m^3]}{0.005461 \cdot \phi_f \cdot t} \rightarrow \text{time in days}$$

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From Page No. _____ let's take a crack at getting ballpark model parameters:

$$1. \text{ Gamma } (\gamma) = \frac{D' (r_e^2 - r_w^2) \pi h \phi_f}{R q_{0.1} (b')^2} = \frac{D' (r_e^2 - r_w^2) \pi h (1 - \phi_f)}{R q_{0.1} b^2}$$

Let $b = 1 \text{ m} \cong$ half fracture spacing

$$h = 41 \text{ m}$$

$$q_0 = 650 \text{ m}^3/\text{d}$$

$$\phi_f = 0.01$$

$$M = \frac{\phi_f}{(1 - \phi_f)}$$

$$R = 1 \text{ For conservative tracer}$$

$$D \approx 2 \times 10^{-11} \frac{\text{m}^2}{\text{s}} = 1.728 \times 10^{-6} \text{ m}^2/\text{d}$$

$$\gamma = \frac{1.728 \times 10^{-6} \frac{\text{m}^2}{\text{s}} \cdot 119,028.4 \text{ m}^3 \cdot 0.01 [0.99]}{1 \cdot 650 \frac{\text{m}^3}{\text{d}} \cdot 0.01 \cdot 1 \text{ m}^2}$$

$$\gamma = 3.13 \text{ E-4}$$

$$2. \text{ SIGMA } (\sigma) = \frac{\phi_m R_m}{R \mu} = \frac{\phi_m R_m (1 - \phi_f)}{R \phi_f}$$

Let $R_m = 1$ For conservative tracer

$\phi_m = 0.2$ For BullFrog tuff

$$\sigma = \frac{0.2 \cdot 1 \cdot 0.99}{1 \cdot 0.01}$$

$$\sigma = 19.8$$

$$3. S_k = \text{Fracture skin Factor} = \frac{D'}{K_s b}$$

where K_s is mass transfer coeff.

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we want to ignore fracture skin effect, for now. According to Moench $S_k < 0.001$ is negligible skin resistance, so we can use

$$S_k = 0.0001$$

- Let's hold on to these numbers and review the moench method for fitting the model to the data.

1. Find arrival time of non-sorbing tracer, use this as basis for estimating R_f for any tracers that arrive later

2. Record the following for each tracer
Mass injected (M)
 C_{max}
Percent Mass Recovered
Free water Diffusion coefficient (temperature dependent)
Retardation Factors estimated for step #1.

3. Evaluate Pelet no. as follows:
a. Generate Family of type curves for single porosity ($\sigma = 0$), non-sorbing tracer, covering range of expected Pelet no., say $10 < Pe < 100$, use log-log scale

b. Plot tracer data in terms of C/C_{max} versus Time, using log-log

c. overlay tracer plot on type-curve plot and find and align type curve that matches rising limb of data. This gives value for $Pe_{\frac{C}{C_{max}}}$

d. Pick match point on type curve where $C_0 = 1$ and $t_0 = 1$

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3e. Read match points on tracer data plot to see what time it lines up with. This is a rough estimate of arrival time (t_a).

f. t_a can be used to estimate ϕ_F using the eqn

$$t_a = \frac{\pi h \phi_F (r_o^2 - r_w^2)}{q_o}$$

$$\phi_F = \frac{t_a q_o}{\pi h (r_o^2 - r_w^2)}$$

EG 2-19-98-1

4. Type ^{curve} matches: ignoring fracture skin, ^{1/19/98} SK can be set to zero

$$S_K = 0$$

a. again, use plot of tracer on log-log scale in terms of C/C_{max} vs. time.

b. overlay dimensionless type curves for different values of δ or γ to get best fit. Match points should be noted.

c. from match points - read (t_a) to get time of pure advective transport. Ideally, this should be the same for all tracers.

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4. d. where match point lines up on ordinate, can be used to determine the percent mass recovered (PMR). PMR should be 100 percent if a perfect tracer test is matched perfectly by a type curve. This is not to be confused with the actual mass recovered, that would require pump test to run forever to get all mass back. PMR refers to the fact that, in an ideal type curve, eventually 100% mass will be recovered, PMR is determined by difference between actual curve and ideal curve (e.g. $\frac{C_{max}(Actual)}{C_{max}(Predicted)}$)

EG 2-19-98-2

$$PMR = \frac{C_{max} [\pi h (r_o^2 - r_w^2)] \phi_F \cdot MPV}{M} \times 100$$

where: - MPV is match point value on vertical ($\frac{C}{C_{max}}$) axis

- M = mass of injected tracer

Actually, I find the term "percent mass recovered" to be misleading. It would be more appropriate to call it "percent predicted peak" or "percent of ideal recovery". But I'll stick with convention.

1/20/98

2/20/98

OK, now let's generate type curves.

First set $\delta = 20$

range of γ from 10^{-5} to 10^{-2}

- WAIT! on second thought I need to estimate P_e from type curves of $\delta = 0$

- Curve matching gives estimated Peclet #, $P_e = 10$, and pure advection travel time, $t_a = 22.3$ days. (see graph on next page)

- Geldon et al estimated $P_e = 11$ and $t_a = 17.75$ d.

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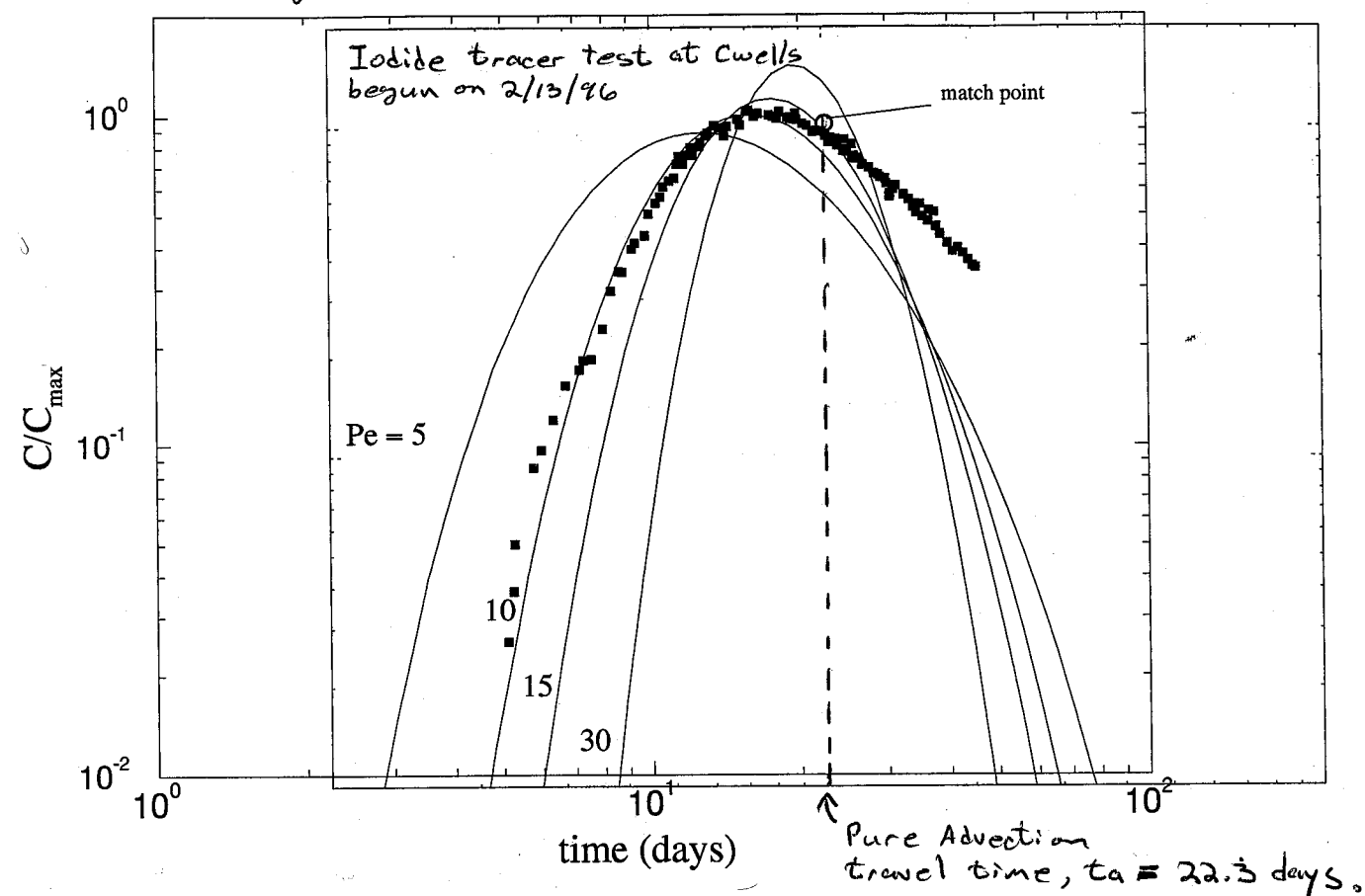
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Peclet. match, xvg



2/19/98/

from $t_a = 22.3$ d, we can estimate ϕ_F

$$\phi_F = \frac{t_a g_0}{\pi h (r_e^2 - r_w^2)} = \frac{22.3 \text{ d} \cdot 650 \text{ m}^3 \text{ d}^{-1}}{119,029 \text{ m}^3}$$

$$\boxed{\phi_F = 0.122}$$

- Geldon et al (1997) estimated ϕ_F to be 0.086, based on Pe of 11 and t_a of 17.75 d. So, I am pretty close to what they got. (Hurrah!)

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Here are some problems I see with this method.

1) the value for ϕ_F is pretty darn high.

Furthermore, if one considers that really, This however, is the porosity for only the two productive zones within the Bullfrog-Tram interval. IF I use the full interval thickness for h (180m), then ϕ_F is much lower

$\phi_F = 0.028$ which is much more what we expect. Therefore, ϕ_F is the fracture porosity of the productive interval. DOE used only "transmissive thickness" of Bullfrog tram interval.

2/25/98

Fit type curves for $\delta = 20$ (see plot on next page)

for fit to $\gamma = 0.007$, match point is 23 for t_D and 2.2 for C/C_{max} .

* note that match point of 23 is very close to t_a of 22.3 days

* vertical match point (2.2) can be used to estimate PMR using eqn 2-19-98-2

$$PMR = \frac{C_{max} [\pi r_e^2 - r_w^2] \phi_F \cdot MPV}{M} \times 100$$

$$PMR = \frac{0.098 \text{ g}}{\text{m}^3} \times \frac{119,029 \text{ m}^3 \times 0.122 \cdot 2.2}{5,900 \text{ g}} \times 100$$

$$PMR = 53\%$$

* The actual mass recovered was estimated at 47% at time test ended. The model can be constrained by fact that PMR must be greater than actual recovery, but cannot be greater than 100% →

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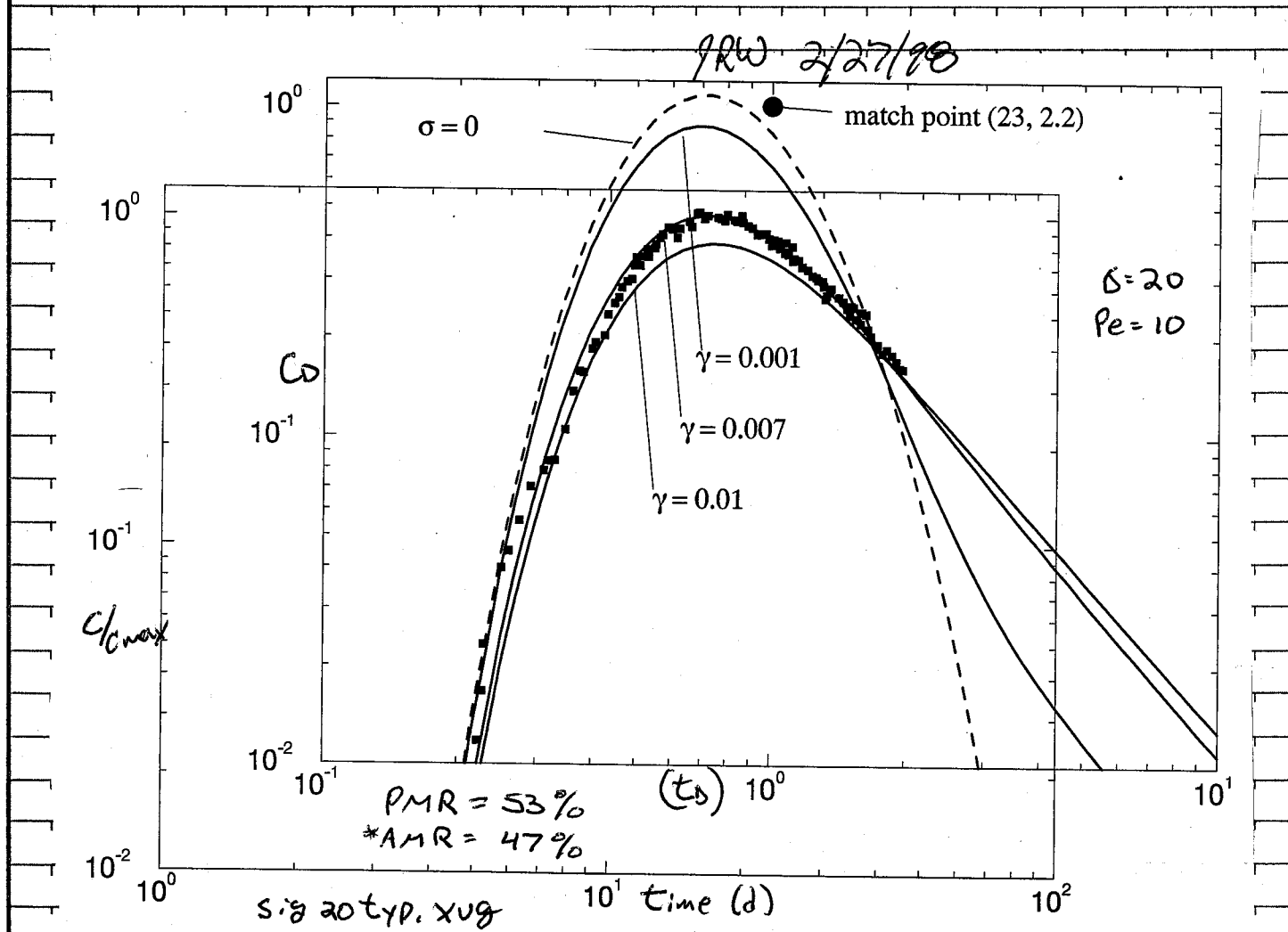
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From Page No. 2/27/98 Continue Fit of 2-13-96 Tracer test.
 The PMR that I obtain from this type curve fit is probably quite low, even though it falls within constraints. This is because 47% mass was recovered at end of test; but looking at fig 2-18-98-1, The area under this curve represents 47% of total mass; if you extend this curve in your mind, it looks like you could get at least another 10% more of the total mass. Thus, I would guess that PMR should be closer to 60%, perhaps higher. But we really aren't too far off.



From Page No. 2/27/98, based on a value of $\beta = 0.007$, let's see what this tells us.

$$\gamma = \frac{D' (r_e^2 - r_w^2) \pi h \phi_f}{R g_o \mu (b')^2} = 0.007$$

$$\frac{D' \phi_f}{R g_o \mu (b')^2} = 5.88 \times 10^{-8} \text{ m}^2 \cdot 6.50 \times 10^{-1} \text{ d}^{-1}$$

$$\frac{D' \phi_f}{\mu b'^2} = 3.82 \times 10^{-5} \text{ d}^{-1} \cdot \frac{1 \text{ d}}{86400 \text{ s}}$$

$$\frac{D' \phi_f}{\mu b'^2} = 4.42 \times 10^{-10} \text{ s}^{-1}$$

given the rather high value estimated for ϕ_f , b' is probably fairly low in the transmissive interval, say around 0.1 m for back of envelope purposes. Then,

$$D' \approx [4.42 \times 10^{-10} \cdot 0.01] \frac{\text{m}^2}{\text{s}} \cdot \mu$$

PRW 2/27/98

$$D' \approx 44 \times 10^{-12} \frac{\text{m}^2}{\text{s}}$$

This is a fairly low value for D' which is around what we might expect for a large anion. This is about an order of magnitude smaller than what Tray et al estimated for FeO_4 anions.

PRW 2/27/98

Forget to multiply by $\mu = \frac{\phi_f}{1 - \phi_f} = 0.14$

$$D' \approx 6.1 \times 10^{-13} \frac{\text{m}^2}{\text{s}} \text{ For } b' = 0.1 \text{ m}$$

which is about two orders of magnitude lower than typical lab values.

Also forgot to multiply by $1/\phi_f$ (i.e. $\frac{\mu}{\phi_f}$) correction gives

$$D' \approx 5.1 \times 10^{-12} \frac{\text{m}^2}{\text{s}} \text{ For } b' = 0.1 \text{ m}$$

about 1 order of magnitude lower than typical lab values in tuff (Tray et al)

From Page No. 2/27/98

- Note that a slight increase in b' will bring Diffusion coeff (D) more in line with what is commonly observed in the lab.

3/2/98 No Entry This day

4-21-98

Interpretation of Cwell Hydraulic & TRACER TESTS.

- UE25 C#3 pumped in all tracer tests
- Flow distribution

- Bullfrog (lower): 70%
- Upper Trum: 20%
- All other: 10%

Observation Wells

C#2 30.4 m from C#3 at sfc.
All intervals respond to pumping

C#1 60.4 m from C#3 at sfc.
All intervals respond.

ONC-1 842.8 m from C#3 at sfc.
only extends 36 m below w.t.
and includes Calico Hills and Prow Pass, separated by Packers. Lower transducer in Prow Pass used for pressure head data.

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From Page No. H-4 2245 m from C#3

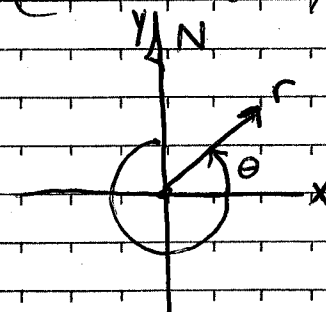
Piezometers installed in upper packed-off interval that includes Prow Pass, Bullfrog, Trum, and upper Lithic Ridge tuff; and in lower packed interval in lower Lithic Ridge tuff. Both packed intervals monitored by transducers, only upper used in analysis.

WT-14 2249 m from C#3 at sfc.
extends ~53 m below w.t.
open to TSW and Calico Hills ftns.
no packers.

WT#3 3526 m from C#3 at sfc.
~48 m below w.t.
open to Bullfrog Tuff

4/27/98

Created Flow Transmissivity ellipse program
(see directory cc/cwell/ellipse)



using Polar Coordinates:

angle θ is with respect to North ($0^\circ < \theta < 360^\circ$) with pumped well at the origin.

r = length of ray from origin

$$r = \frac{1}{\sqrt{T}}$$

where T is Transmissivity between pumped and observation wells

For Polar coordinate conversion:

$$x = r \sin \theta$$

$$y = r \cos \theta$$

$$\tan \theta = \frac{y}{x}$$

$$r^2 = x^2 + y^2$$

note: \sin & \cos changed because θ begins from North = 0.

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From Page No. 5/12/98

Using N-S as y-axis and E-W as x-axis,
a Transmissivity ellipse is given by

$$Ax^2 + Bxy + Cy^2 = 1 \quad \text{eqn 5-12-98.1}$$

converted to polar coordinates gives

$$Ar^2 \sin^2 \theta + Br^2 \sin \theta \cos \theta + Cr^2 \cos^2 \theta = 1$$

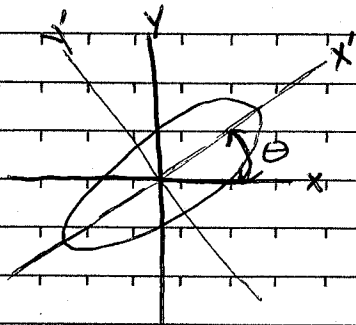
$$r^2 [A \sin^2 \theta + B \sin \theta \cos \theta + C \cos^2 \theta] = 1$$

OR

$$\frac{1}{r^2} = A \sin^2 \theta + B \sin \theta \cos \theta + C \cos^2 \theta$$

here $\frac{1}{r^2}$ = directional transmissivity, so $(T(\theta))$
 $r \Rightarrow \sqrt{\frac{1}{T(\theta)}}$

To Find principal coordinates x', y' you
need to rotate $x-y$ through an angle.
this removes the "xy" term
from eqn 5-12-98.1



To do this, rotate coordinate
axis through angle θ , where

$$\cot 2\theta = \frac{A-C}{B}$$

$$\tan 2\theta = \frac{B}{A-C}$$

$$2\theta = \arctan\left(\frac{B}{A-C}\right)$$

$$\theta = \frac{1}{2} \arctan\left(\frac{B}{A-C}\right)$$

Then substitute $x = x' \cos \theta - y' \sin \theta$
 $y = x' \sin \theta + y' \cos \theta$

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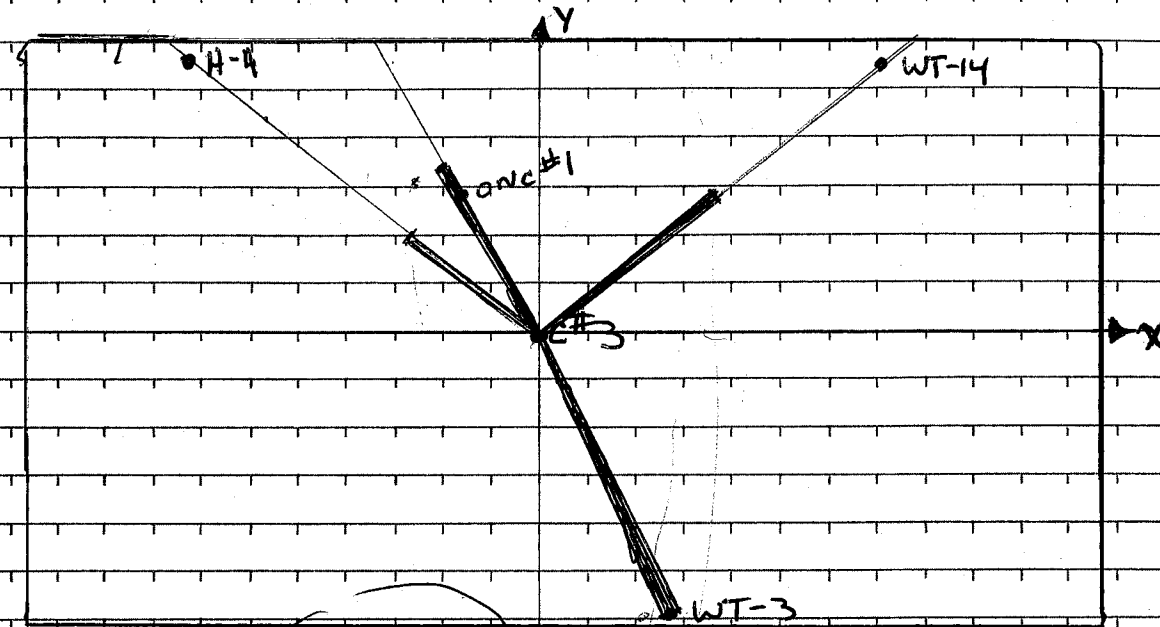
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From Page No. 5/12/98

Fitting ellipse to cwell Data
observation wells Identified on PP 20-21



Approx angles

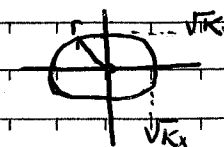
onc#1	35° CCW From N	T = 11,000 $\frac{ft^2}{d}$
H-4	53° CCW From N	T = 7,000 "
WT-14	307° " " "	" 14,000 "
WT-3	202° " " "	" 28,000 "

From Freeze & Cherry, pg 36

$$\frac{x^2}{K_x} + \frac{y^2}{K_y} = 1$$

for principal axes
aligned w/ Transmissivity

$$\frac{1}{r^2} = \frac{\cos^2 \theta}{K_x} + \frac{\sin^2 \theta}{K_y}$$



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From Page No. 5-14-98 Lets think about setting up a model. From Gelban et al. (1997) the following wtr sfc. contour map is inferred for c-well region:

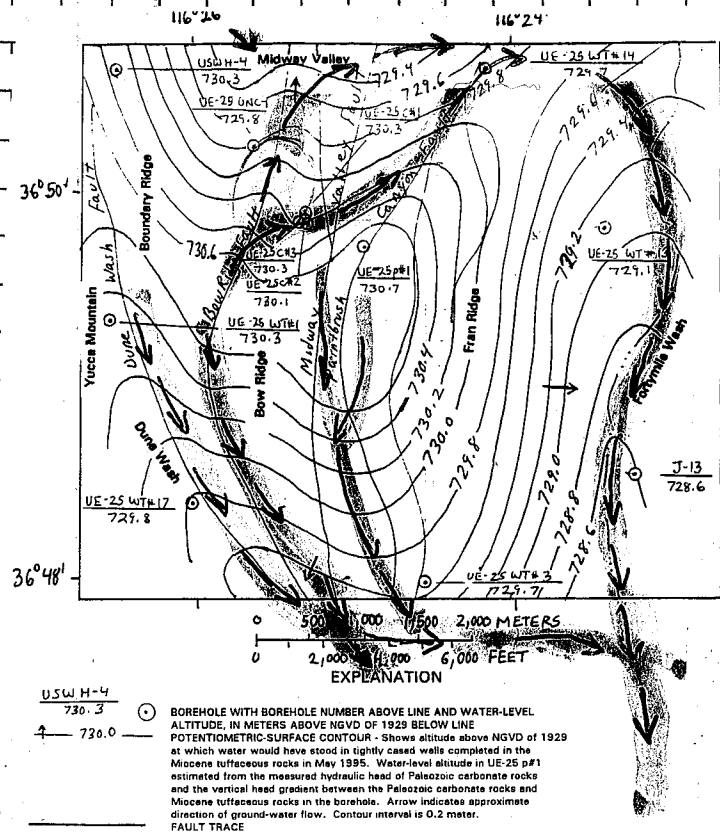


Figure 4 - Potentiometric surface of the Miocene tuffaceous rocks in the vicinity of the C-hole complex, May 1995 (Water-level altitudes from Graves and others, 1997; Geldon and others, in review)

Highlighted areas with arrows show surface drainage patterns which are more often than not associated with Faults.

IF you believe this map, some interesting items are:

1) Ridge in water table contour is associated with Paintbrush canyon Fault system

2) A lesser ridge associated with Bow Ridge Fault which has considerable offset and many splays (Day et al map) [~100m offset]

3) A trough is associated with Dune Wash Fault which also has much offset (~100m) but fewer splays.

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From Page No. 5-14-98

Q. Are ridges associated with recharge from below along fault, or from above through wash bottoms?

- * Review of S4Z model (Cohen et al, 1997), a Sub-Site-Scale Sat. Zone model:
 - Geologic framework taken from Clayton et al (1997)
 - Hydrologic Properties based largely on C-Hole data from Geldon (1993, 1996, 1997)
 - Temp. anomalies at w.t. near SCF and PCF may be due to upwelling through faults from Paleozoic aquifer.
 - Fracture properties obtained from Sonnenthal et al (1997) and Sweetkind et al (1997)
 - dual porosity formulation was developed for future use
 - All Faults treated as vertical - location is coincident with surface trace; only north-trending faults which have greatest displacement we considered - most of these are block bounding.
 - Fault zones can have unique properties, but they we treated as displacement only in this report
 - Hydraulic conductivities for each model layer are the bulk conductivity of fracture and matrix. eg., TSW $\rightarrow K = 10^{-12} m^2$; Porosity is fracture porosity only.

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From Page No. 6/9/98 Review of Streltsova-Adams (1978)

"Well Hydraulics in Heterogeneous Aquifer Formations"

- This paper is used to interpret wells from C-Well hydraulic tests.

- "For analysis of the fractured aquifer, it is essential to know where the pressure measurements are recorded — in the fracture or in a section with merely inter-granular porosity."

From above quote, this might explain why all intervals responded to pumping in c-wells, but pressure response varied, i.e., some of the packed-off intervals may not have been well-connected to fracture system.

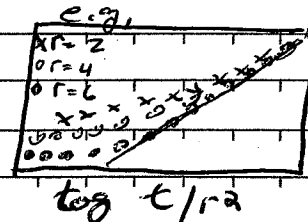
Rate of distribution of pressure change is proportional to hydraulic diffusivity coefficient $K = k/S_s$ [unitless?]

Fracture $K_p \gg$ matrix K_m

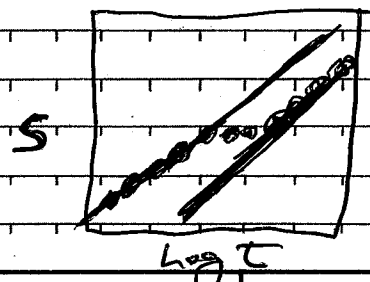
- Indications of fractured reservoirs from pump test response:

- 1) Fast response of observation well to pumping, even when widely separated.

- 2) "slower" pressure-time curves compared with homogeneous formations, in homogeneous, these lines should be on top of each other.



- 3) Parallel asymptotic lines on semi-log paper.



see Kruseman & de Ridder for interpreting this type of response

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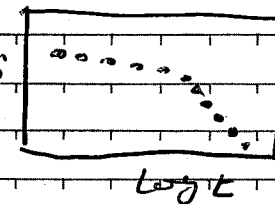
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6-9-98

From Page No. 6-9-98 (cont'd) (Streltsova-Adams)

- 4) An initial rise in "pore pressure" may take place near withdrawal well such that drawdown far from a well could temporarily exceed that near the pumped well.

- 5) increased rate of drawdown after matrix dewatering occurs. Noticeable as a kink in semi-log plot of time-drawdown e.g. S



- 6) ? not sure what she means here (another plot showing kinked line)

- Fractured medium as "double-porosity"

Assuming: (1) no flow in matrix

(2) no storage in fractures

we can use Barenblatt (1960) continuity model with type curves in Table I

further assume

(3) confined aquifer

(4) drainage from block prop. to pressure difference in F-MEX.

(5) large t

$$B_1 = \sqrt{\frac{k_1 h H}{k_0}} \leftarrow \text{could use } h \text{ and } H \text{ to}$$

derive "Block size" and "fracture aperture" see Fig 12.

- Type curves for Confined Aquifer in Table II & III

- Type curves in Table II are for fracture
- For Table III are for blocks (i.e. matrix)

These are used by Geldon to interpret well To Page No. _____

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6-9-98

From Page No. 7-10-98 Pump Test at C-Holes from 6/12 to 6/29, 1995 (pumping stopped on 6-16-95)
 Pumping well c#3 data:
 • Pump test data - drawdown vs. time on log-log plot have flat late-time response typical of delayed yield

• These data fit well to Neuman-type A curve (Neuman, 1975), but not enough late-time data to run into "type B" response

• $Q \approx 356 \text{ gpm} \pm 2 \text{ gpm}$
 $356 \text{ gpm} \times 0.1337 \frac{\text{FT}^3}{\text{gal}} \times \frac{1440 \text{ min}}{\text{day}} = 68530 \text{ FT}^3/\text{d}$

• saturated thickness - assume full penetrated depth of sat zone by well c#3
 $b = 1700 \text{ FT}$

(this assumption will probably be tested later when I look at partially penetrating well theory)

• Borehole radius: $r \approx 11''$ to 1 foot

• match to type A curve on opposite page

• $T = \frac{1}{4\pi} \cdot \frac{Q \cdot S_D^*}{S^*}$ (Neuman, 1975 eqn (6))

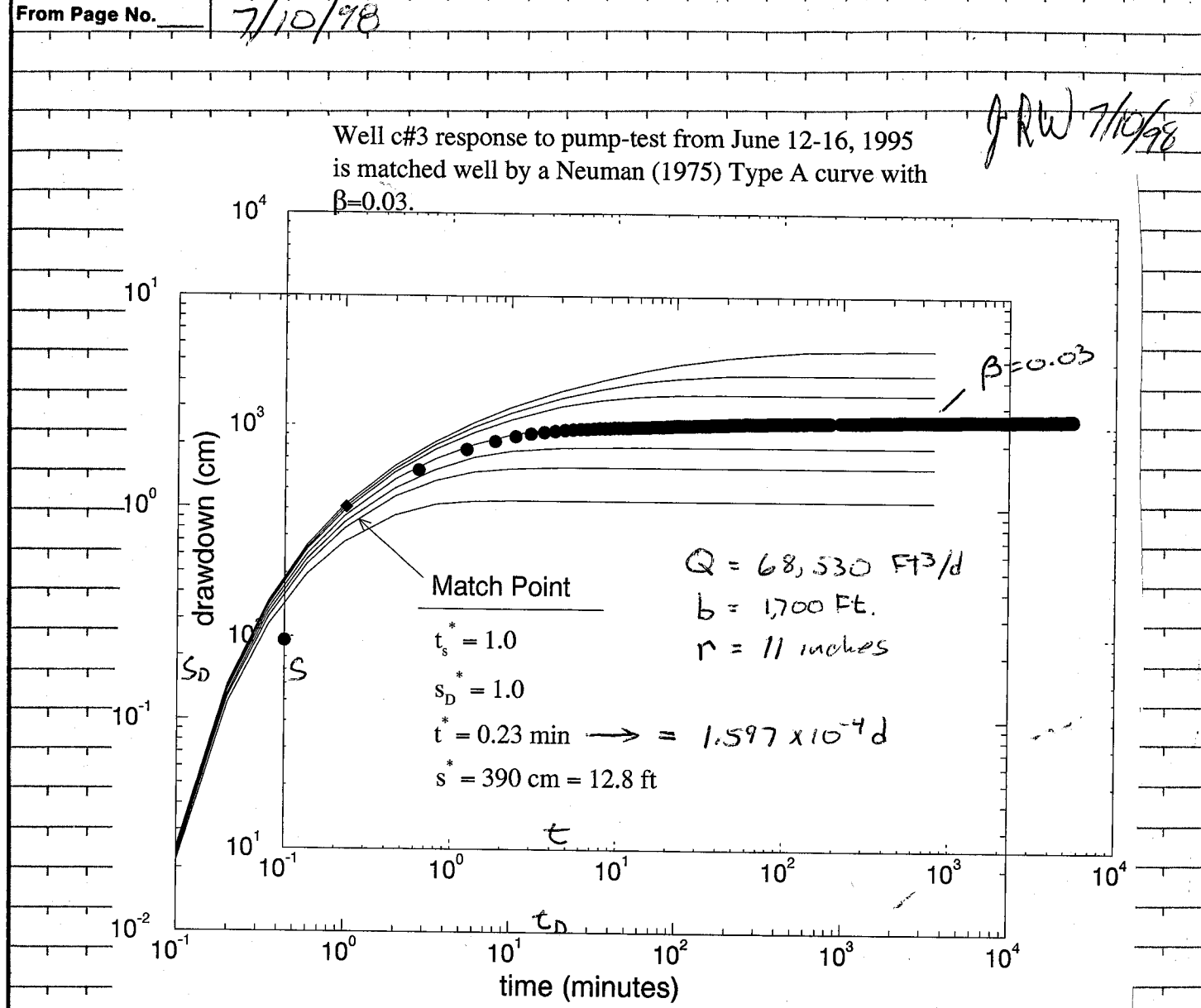
$T = 0.0796 \cdot \frac{68530 \text{ FT}^3/\text{d} \cdot (1.0)}{(12.8 \text{ FT})}$

$T = 426 \text{ FT}^2/\text{d}$

error in storativity calc. corrected on pg 29:
 $S = \frac{T \cdot t^*}{r^2 \cdot t_s^*} = \frac{0.23 \cdot 426 \text{ FT}^2/\text{d}}{1.0^2 \cdot 0.84} = 116$
 Does not make sense! S should be less than 1.0

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Using Theiss method:
 match of above data to Theiss curve gives match point $w(u) = 1$

$\frac{1}{u} = 1$
 $t^* = 0.1 \text{ min} =$
 $S^* = 422 \text{ cm} = 13.8 \text{ FT}$

$T = \frac{1}{4\pi} \cdot \frac{Q \cdot w(u)}{S^*}$
 $S = \frac{4T \cdot t^*}{r^2}$

$T = 395 \frac{\text{FT}^2}{\text{d}} \rightarrow S = 188$ Nonsense!

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From Page No. 7-13-98 Well C#3 correction
to calculations.

$$S = \frac{T t^*}{r^2 t_s} = \frac{0.23 \text{ min} \cdot 426 \text{ Ft}^2 \text{ d}^{-1}}{0.84 \text{ Ft}^2 \cdot 1} \times \frac{1 \text{ d}}{1440 \text{ min}} = 0.081$$

$$\boxed{S = 0.081}$$

$$\boxed{T = 426 \text{ Ft}^2 \text{ d}^{-1}}$$

Neuman 1975 'TYPE A' curve
match to single well
drawdown data for
pumped well C#3. Fo
test conducted June 12-29, 1995

PAW 7-13-98

From ~~Geldon~~ Theis-curve analyses of single
well pump test data for C#3 from test
conducted June 12-29, 1995

$$\boxed{T = 395 \text{ Ft}^2 \text{ d}^{-1}}$$

$$\boxed{S = 0.13}$$

Similar pump test conducted in C#3 ^{PAW 7-13-98} and from
May to June, 1984 and interpreted by Geldon
give:

$$T = 300 \text{ Ft}^2 \text{ d}^{-1} \text{ using Cooper (1963) Fissure-block curve}$$

$$T = 270 \text{ Ft}^2 \text{ d}^{-1} \text{ using Theis assumptions}$$

Geldon did not estimate storage but from the
match points he selected in his (1996) report
I calculate S below

$$t^* = 0.72 \text{ min} \rightarrow S = \frac{4 \cdot 0.72}{1440} \cdot \frac{270}{0.84} = 0.6$$

However, this method of Cooper (1963) assumes no
storage, according to Geldon so, probably shouldn't
use this estimate.

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From Page No. _____ Well ONC-1 response to long-term
pump test conducted from May 9, 1996 - March 26,
1997.

$$Q = 29,100 \text{ Ft}^3/\text{d} \text{ on average } \left\{ \begin{array}{l} \text{ref Geldon, 1997} \\ r = 843 \text{ m} \end{array} \right.$$

from curve match shown below,

$$T = \frac{Q W(u)}{4\pi s^*} = \frac{29,100 \cdot 1}{1440 \cdot 0.11} \cdot 0.796 = 21,100 \frac{\text{Ft}^2}{\text{d}}$$

$$S = \frac{4T t^*}{r^2} \cdot \frac{1}{4} = \frac{4 \cdot 21,100 \cdot 307 \text{ min}}{(843 \text{ m})^2 \cdot 1440 \frac{\text{min}}{\text{day}}} = 0.025$$

$$\boxed{S = 0.025}$$

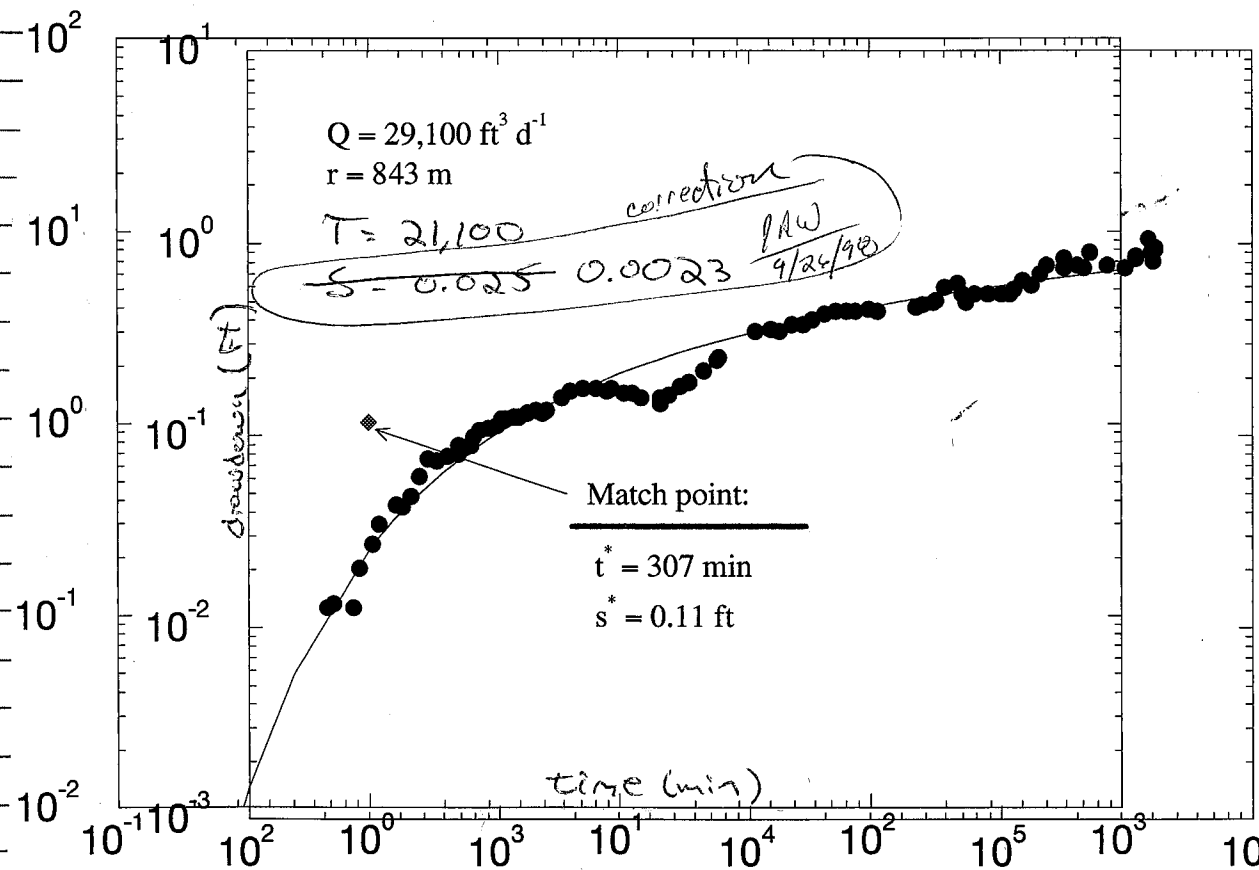
$$\boxed{T = 21,100 \frac{\text{Ft}^2}{\text{d}}}$$

$$\boxed{10.76 \text{ Ft}^2/\text{m}^2}$$

$$\boxed{= 0.00232}$$

Fit of ONC-1 drawdown data from long-term pump test
to Theis curve.

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This transmissivity estimate to be used in
following interpretation of regional anisotropy.

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From Page No. _____

Fitting Horizontal Anisotropy Ellipse
to region encompassed by C-well Long-Term
pump test.

Well Locations

	Lat - Lon	Lon - Lat	
C#1	756,840.59	569,682.71	757,095.49
C#2	756,840.59	569,634.94	756,844.74
C#3	756,904.90	569,553.75	756,909.22
H-4	756,904.90	563,906.50	761,644.88
ONC#1	756,904.90	568,094.64	759,198.19
WT-3	756,904.90	573,381.87	745,993.95
WT-14	756,904.90	575,206.20	761,651.28

In GIS Database, x-y coordinates

are given.

X

Y

C#1	563,911.11	761,643.62
C#2	569,633.80	756,848.80
C#3	569,554.90	756,909.90
ONC-1	568,097.70	759,188.70
H-4	563,911.11	761,643.62
WT-3	573,384.41	745,995.09
WT-14	575,210.10	761,650.60
C#1	569,680.44	757,095.85

Well Locations with respect to C#3 at 0,0

in Cartesian Coordinates. X (ft) Y (ft) (in Feet)

C#1	125.4	185.95	T = 28,000 ft^2/d
C#2	78.9	-61.1	T = 28,000
ONC-1	-1457.2	2288.8	T = 11,000 *
H-4	-5643.2	4733.7	T = 7,000
WT-3	3829.5	-10,914.8	T = 28,000
WT-14	5655.2	4740.7	T = 14,000

* ONC-1 T = 11,000 w/ Fissure-block type curve
per Gelton (1997). I reinterpreted it with Thies
curve and estimate 21,100 ft^2/day

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From Page No. _____

Use DEST code to optimize Transmissivity
ellipse fit to regional pump test results

1. Observation 1 - wells WT3, WT14, ONC1, H4
T = 28,000; 14,000; 11,000; 7,000
optimized values of a, b, c define an
ellipse with $r = \sqrt{T}$ with angle, $\theta = \text{zero}$ at
due north and origin at C#3.

a = 1.566 ; b = -0.470 ; c = 0.10 *
* (c-parameter is limited by range that I specified
[0.1 < c < 2] to prevent ellipse from becoming a
hyperbola.

These parameters can be plugged into eqn for an
ellipse

$$ax^2 + bxy + cy^2 = 1$$

calculate rotation necessary to align principal
axes (N-S) with ellipse.

to find $\theta \Rightarrow \cot 2\theta = \frac{A-C}{B} = -3.119$

$\text{arccot}(3.119) = \boxed{\theta = -8.9^\circ} \rightarrow \text{neg} = \text{clockwise}$

That is, ellipse major axis is aligned
N 8.9° E

2. wells WT3; WT14; ONC1*; H4

$T(\frac{\text{ft}^2}{\text{d}}) = 28,000; 14,000; 21,100^*; 7,000$

* ONC1 reinterpreted using Thies to be consistent
w/ other data from other wells.

a = 1.280 ; b = -0.174 ; c = 0.172

$\theta = \boxed{-4.46^\circ}$

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From Page No. _____ Continue determination of axis rotation.
 3. wells ONC-1, H4, WT3, WT14, C#1, C#2
 T (FT²/d) 21100, 7000, 28000, 14000, 28000, 28000

$$a = 0.9706; b = -0.2011; c = 0.2384$$

4. same wells as (3) with $T_{\text{ONC-1}} = \frac{1}{2} 11000 \frac{\text{FT}^2}{\text{d}}$

$$a = 0.804; b = -0.086; c = 0.263$$

$$\theta = -4.5^\circ$$

Plots show results on opposite page.
 * Regional wells provide good fit to an ellipse, indicating that on a scale of several km a conceptual model of a homogeneous continuum with horizontal anisotropy is reasonable for vicinity of c-wells. Major axis of anisotropy is oriented between 4.5° to 8.9° NNE depending on which T -values are used. This angle is consistent with the strike of the local fault system.

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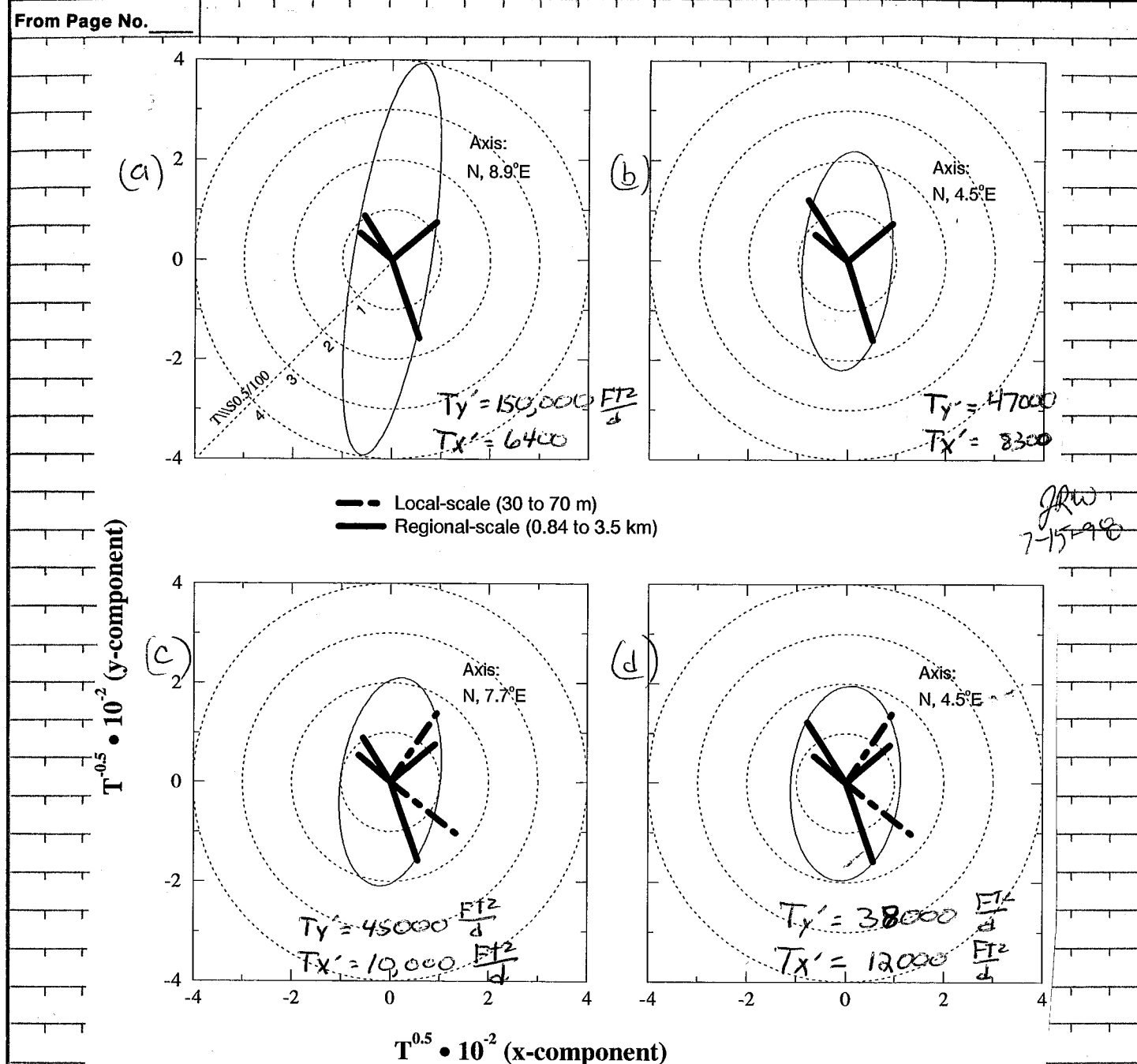
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The length of rays extending from origin represents the square-root of transmissivity (ft^2/d); the angle of the rays represents the direction of the observation well with respect to the pumped well, UE-25 c#3. When the endpoints of many such rays approximate an ellipse, then the assumption of a homogeneous porous medium is valid. If the ellipse is a circle (or sphere in 3-D) then the aquifer is also isotropic. Plotted transmissivity values are based on a pumping test conducted from May 9, 1996 to March 26, 1997. Plots represent: (a) transmissivity estimates of Geldon (1997) for distant observation wells (0.84 to 3.5 km from pumped well); (b) same as graph (a) with transmissivity for well ONC-1 reevaluated using Theis (1935) method, which Geldon (1997) used for all wells except ONC-1; (c) same as (a) with added transmissivity values from two local wells (30 to 70 m); and (d) same as (b) with local transmissivity values.

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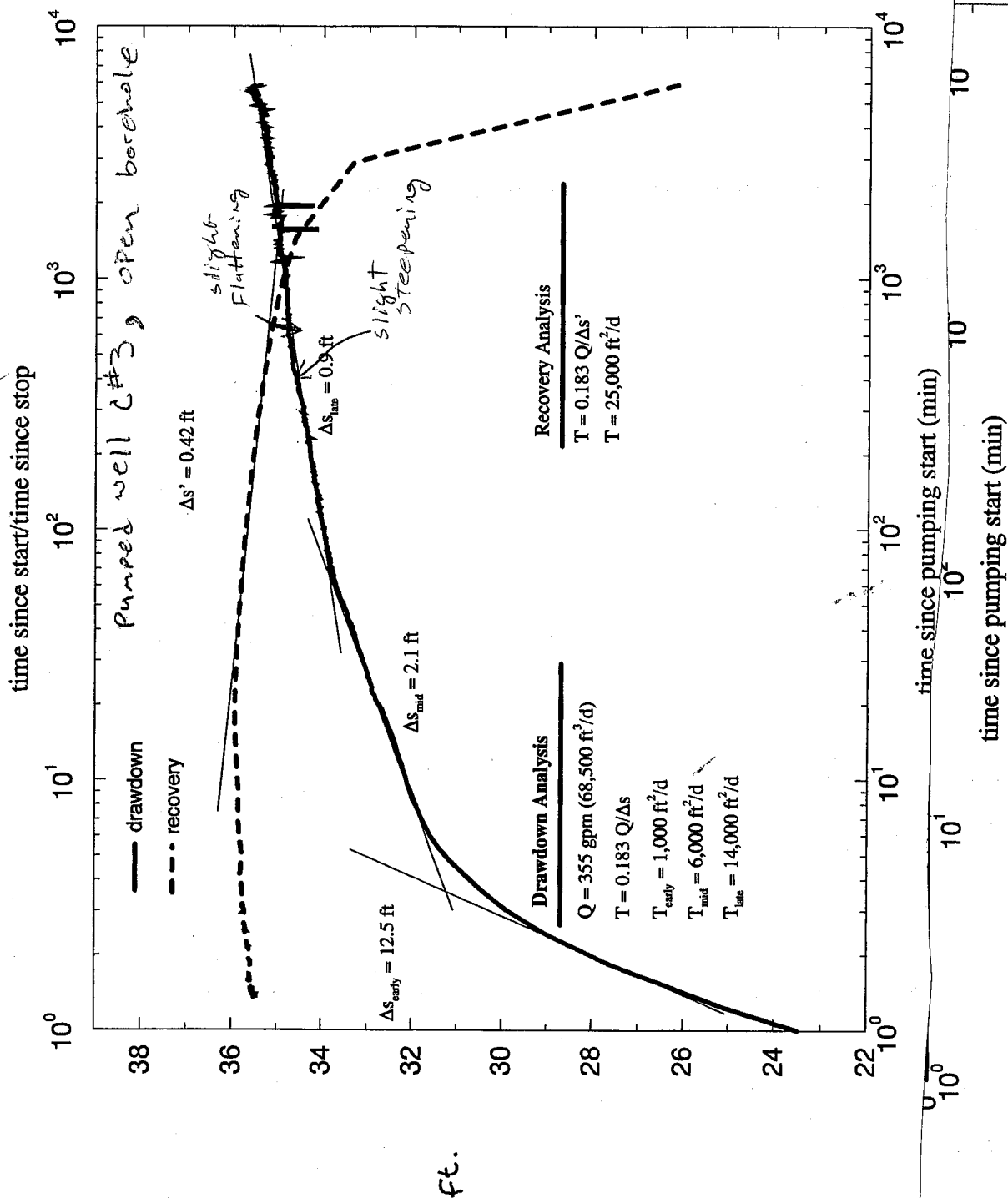
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3. plots, Taped to page, represent interpretation of June 12-29, 1995 pump test.

8-11-98

drawdown / recovery / 1.5 - 10 min



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Recorded by

J. R. White

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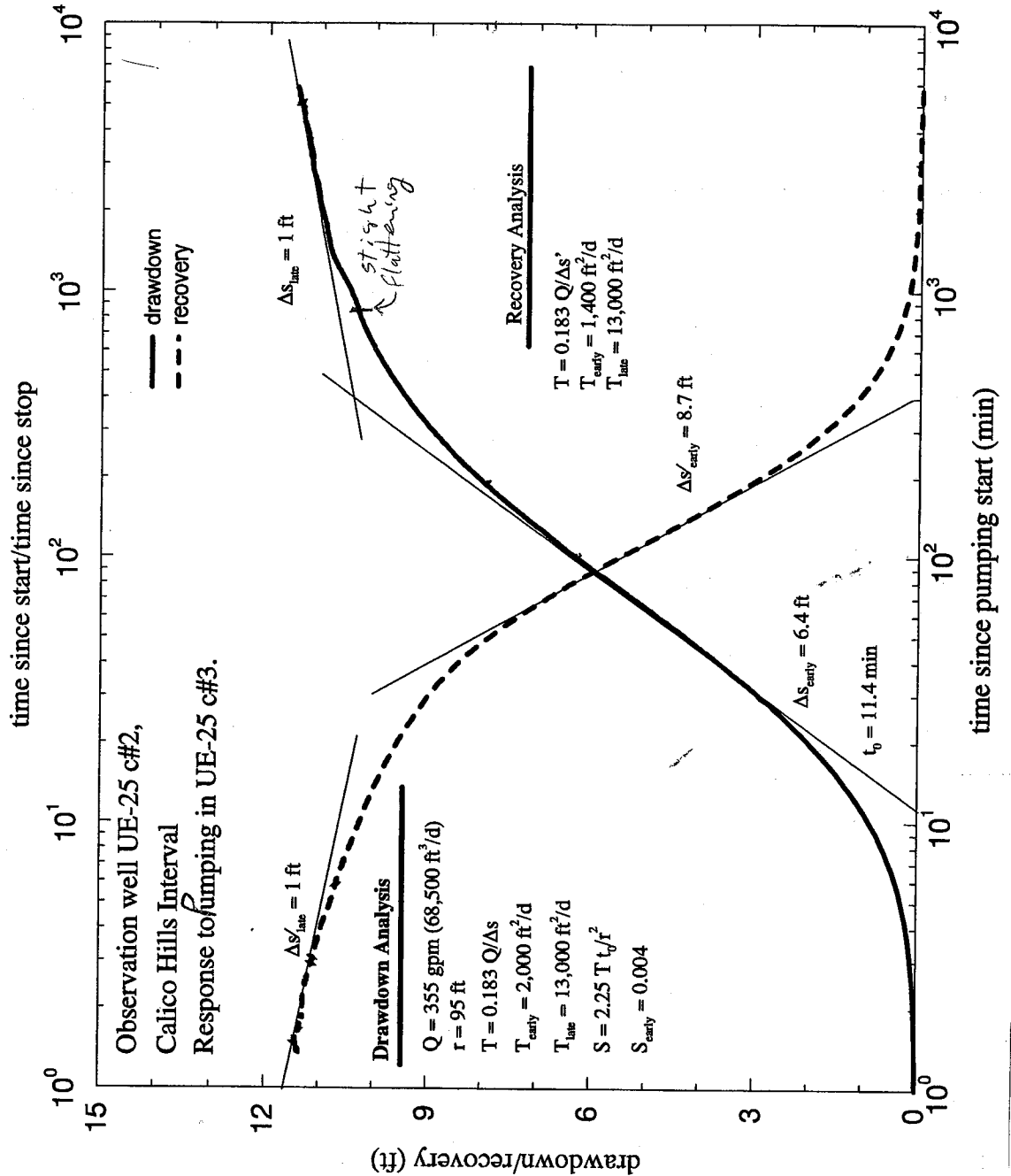
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3 plots, Taped to page, represent interpretation of June 12-29, 1995 pump test.

RAW 7/11-98

pump-tests / June 12-29-95 / Ca_obs / Cat1-semilog.xvg



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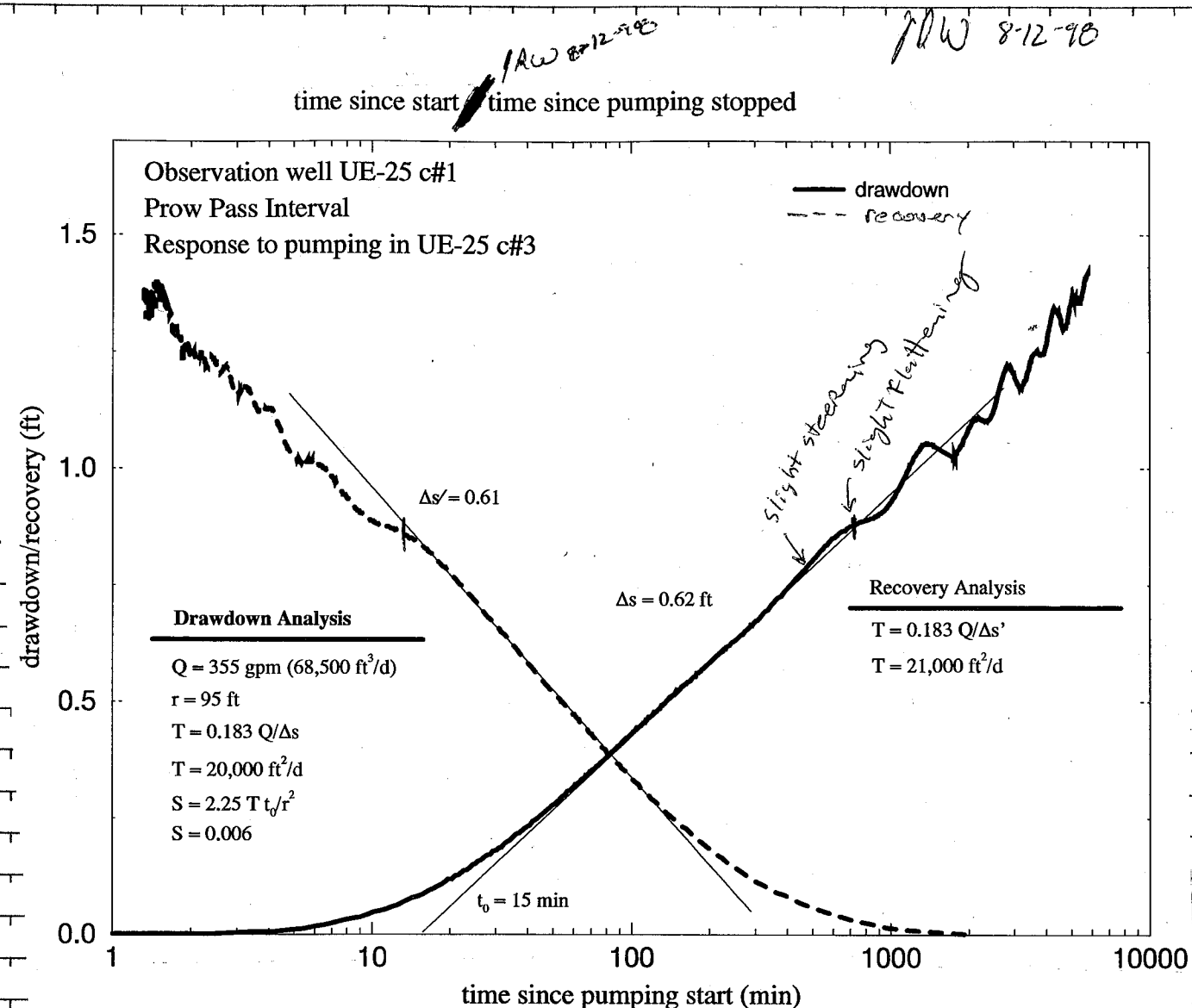
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From Page No. _____ More results from June 12-29, 1995 Pump Test.



note: slight steepening at ~400 min followed by slight flattening at ~700-800 min is observed on nearly all plots for other observation & pumped well. These features are likely the beginning of where earth-tide effects become important.

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D. White

8-12-98

From Page No. _____ 8-12-98 Pump test interpretation (cont'd)

• Calico Hills interval in both pumped well c#3 and obs. well c#2 show "two-limbed" response on semilog plot. This has been previously interpreted as typical of an unconfined response. Estimates of Transmissivity based on an unconfined (delayed yield) response are as follows: (for pumped well c#3)

estimate

source

$$T = 426 \text{ Ft}^2/\text{d}$$

• pg. 30 of this notebook using Neuman Type A Curve.

$$T = 270 \text{ Ft}^2/\text{d}$$

• Gelber (1996) using early part of semilog plot (this solution)

$$T = 300 \text{ Ft}^2/\text{d}$$

• using leaky confined sol'n of Cooper 1963.

• These T-values are much lower than those estimated from observation wells (factor of 100), which causes me to have reservations about this interpretation. Consider the following regarding use of unconfined and leaky response curves

• For Neuman type curve matches, as shown on pg. 29 of this notebook, β -values of about 0.03 are used. To estimate β assume CHn interval behaves as porous medium, isotropic, homogeneous (water table is in CHn)

$$\beta = r^2 K_2 / (K_1 b^2) \rightarrow \text{isotropic} \rightarrow \frac{K_2}{K_1} = 1$$

$$\beta = \frac{r^2}{b^2} \approx \frac{0.5^2}{3000^2} \rightarrow 10^{-8}$$

A value of β this low would basically result in a Theis-type curve. For obs well c#2: $\beta \approx \frac{r^2}{b^2} \approx \left(\frac{95}{3000}\right)^2 = 0.001$ which could be reasonable but is still pretty low and would result in later-time data being affected by delayed yield.

• If we were getting large releases from storage response at distant wells wouldn't be so fast.

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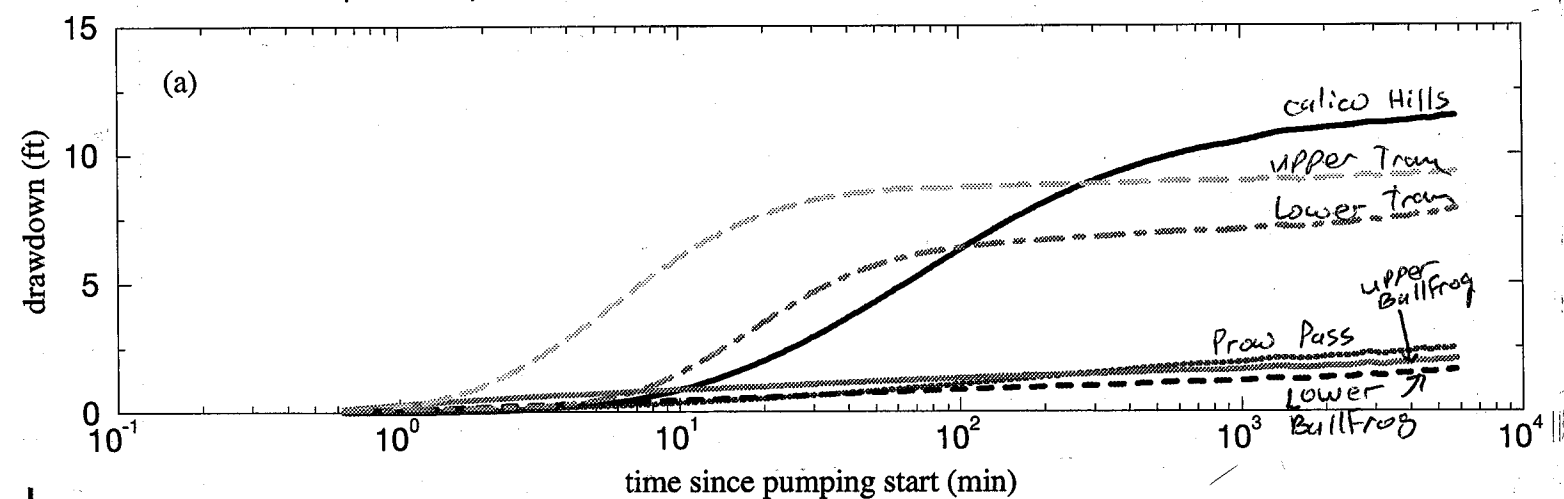
8-13-98

From Page No. 8-13-98 C-well purptest of June 12-29, 1995.

- leaky aquifers could cause results seen at C-holes (i.e., dual-limbed semilog response).
- However, rather than leaky aquifer consider underlying high transmissive zones as a recharge boundary of sorts. Then, rather than estimating T for calico hills only from early time, the flattened limb of semilog curve may reflect Transmissivity of "outer" transmissive zones.
- This is supported by C#2 observations that show 2-limb semilog plot on calico hills interval, but "ideal" behaviour in Bullfrog interval. It takes awhile for drawdown in calico hills to be affected by Bullfrog, but eventually it is.
- Furthermore - the slopes of the semilog plot lines approach similar values for all of the drawdown curves for fig well C#2 (see below)

1/June 12-29-95/C2_obs/C2-ddh-nov-all.xvg

RAW 8-18-98



Q: What sort of vertical flow do we expect from layering where drawdown is much less in some layers than in others?

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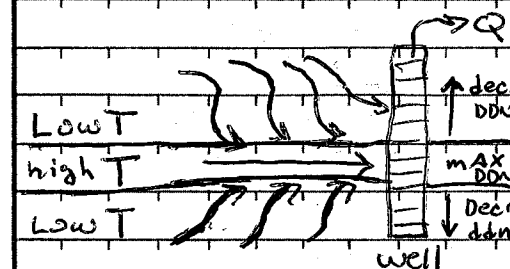
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J. R. W. W.

From Page No. 8-18-98

IF the transmissive Fracture network (where drawdown in C#2 is less) were connected to the pumped well we would expect max drawdown to be felt in the transmissive intervals, with flow from less transmissive intervals going toward more transmissive as shown below. This would require



lower drawdown in less transmissive intervals. However, in fig on pg 40, lowest drawdown occurs in welded-fractured rock. Also, during the May, 1995 Pump test, the same

well were used w/o packers, and it seems the drawdown in well C#2 was dominated by the "low drawdown intervals", suggesting that is where the water comes from

8-19-98

- what I think is happening:
 - where Fractures intersect well (High T zone) the "ramming effect" (Winograd & Thorarsson, 1975) creates a high large head drop in the high T layer that dissipates very rapidly away from the well.
 - This large head drop is 'felt' through the entire well casing (i.e., no packers) and transmitted to the Low T layers where flow is mainly through matrix.
 - Thus the large drawdown is transmitted away from the wells in these Low T layers.
 - now we have a situation where horizontal layers are at different head potentials
 - we already know from (Geldon^{et al} 1997) that horiz. layers are not hydraulically isolated (i.e., leaky)
 - Thus pumping in un-packed C#3 induces vertical flow from High-T zone to Low T zones

→ cont'd

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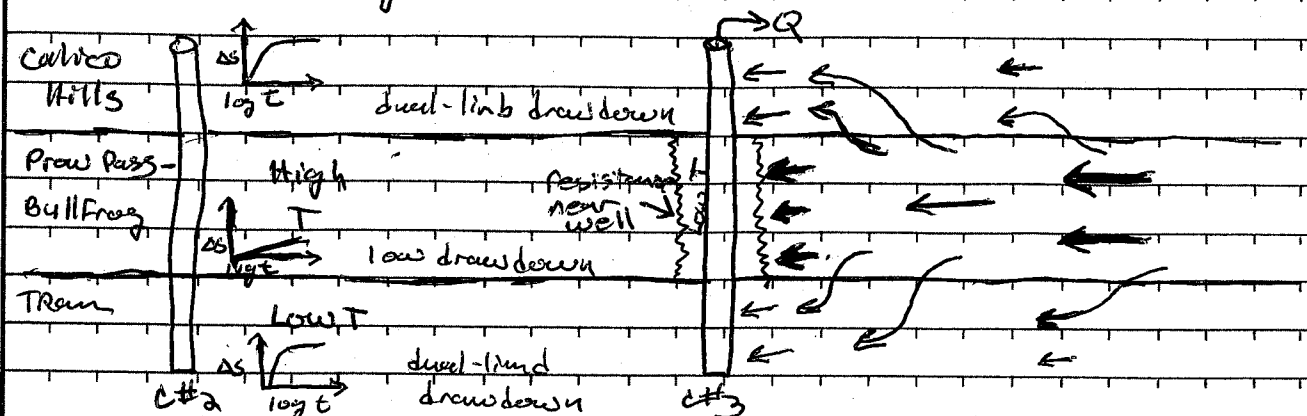
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8-19-98

J. R. W. W.

From Page No. 8-21-98

- If the "ramming effect" causes the high T zone to behave like a low T zone only very close to the well then we can conceptualize the effects as drawn below:



- some might argue that large initial head drop is due to turbulent flow - But this effect seems to prevail at low as well as high pump rates. (Winograd & Thordarson, 1975, give a good discussion of Ramming effect on page C-21 of OFR Professional Paper 712-C, USGS)

8-24-98

- the above explanation explains the observation of dual-limbed behavior in single well pump tests and in the "matrix flow" layers in observation wells

9-1-98

- Looking at Report from USGS testing of UE-256#1
• Fit Neuman 1975 Type curves to Data from observation well UE-25-a#1

Type A match point (31 min, 0.61 m) for $\beta = 0.2$

$$S = \frac{Q}{4\pi T} W(u_a, u_b, \beta) = 0.61 = \frac{38.7 \text{ L/s}}{4\pi T} \cdot 1$$

$$T = 400 \frac{\text{m}^2}{\text{s}} \quad \beta = 0.4$$

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 $r = 107 \text{ m}$

$$1/S_A = \frac{r^2}{4T u_a \cdot t} = \frac{(107)^2}{4 \cdot 400 \cdot 1 \cdot 31/1440}$$

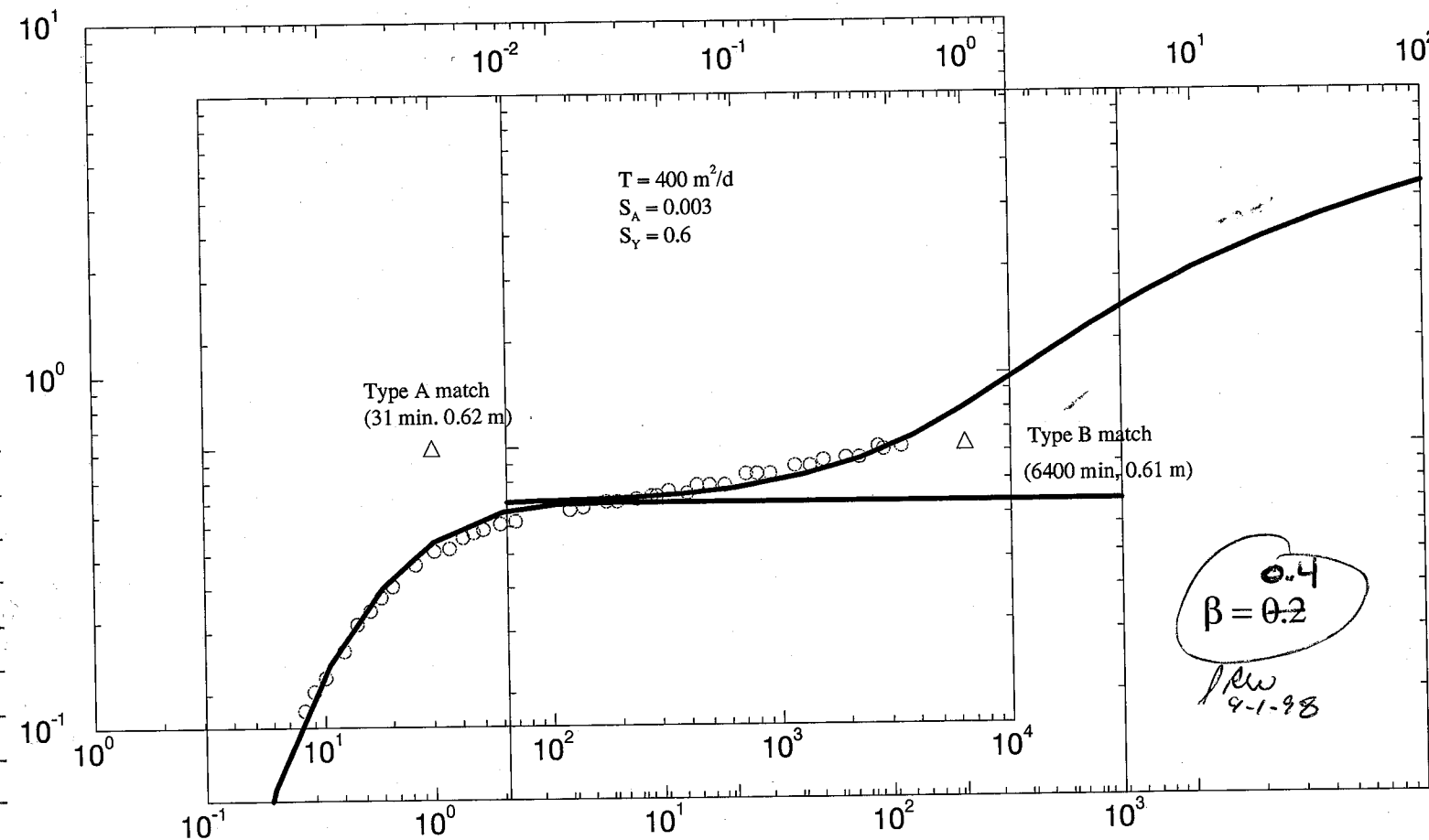
$$S_A = 0.003$$

Type B match point (6359 min, 0.61 m) $\beta = 0.4$

$$S_y = \frac{4Tt}{r^2 u_b} = \frac{4 \cdot 400 \cdot 6359}{(107)^2 \cdot 1 \cdot 1440}$$

$$S_y = 0.62 \rightarrow \text{very high!}$$

PRW 9-1-98



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From Page No. 9-1-98 UE25 b#1 interpretation

for match to $\beta = 0.2$ type curve

$$T = 650 \frac{\text{m}^2}{\text{d}}$$

Type A match (22 min, 0.38 m)

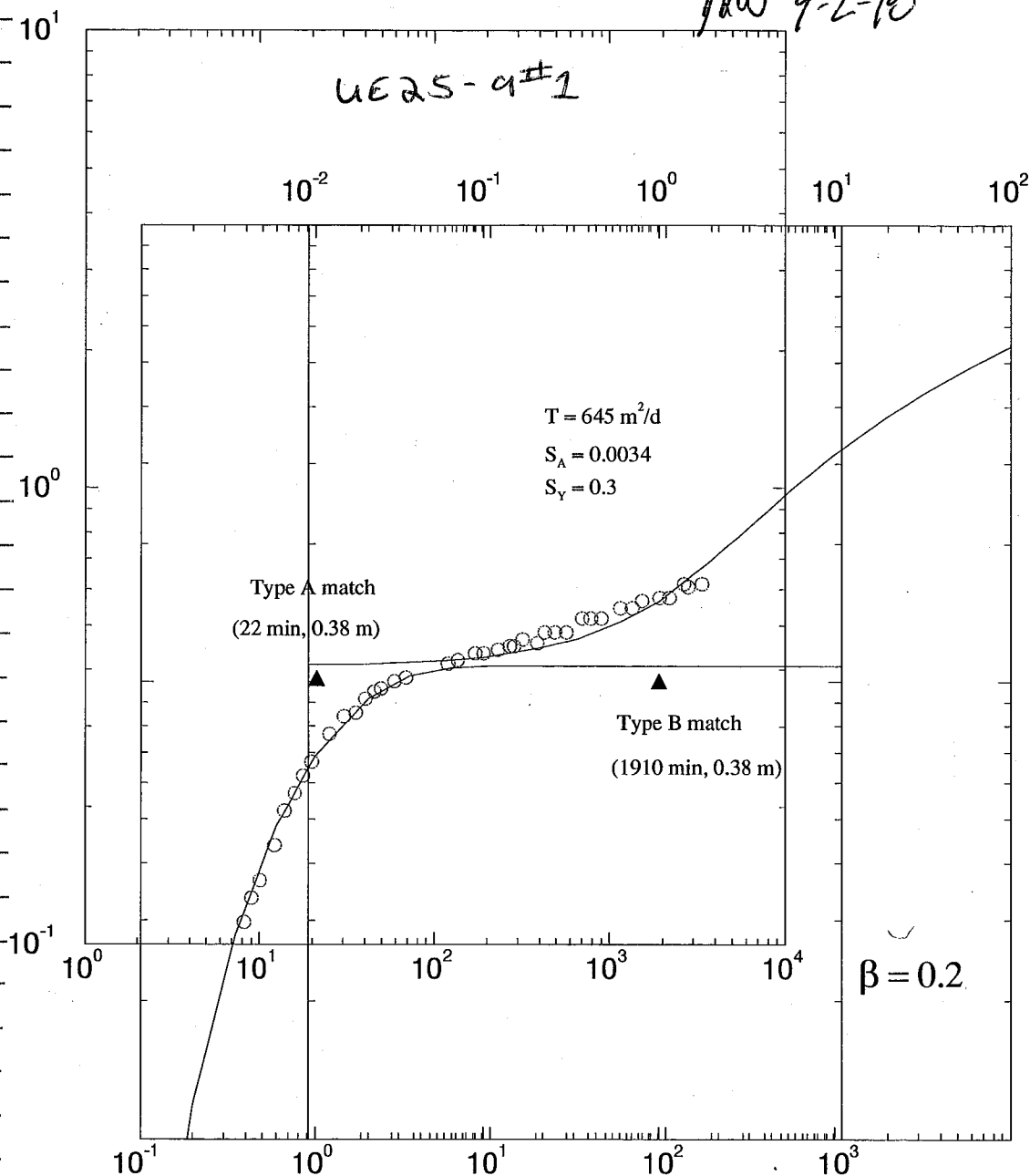
Type B match (1910 min, 0.38 m)

$$S_A = 0.0034$$

$$S_y = 0.3 \rightarrow \text{still a tad high!}$$

JAW 9-2-98

UE25-a#1



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From Page No. 9-2-98 still interpreting UE25 b#1

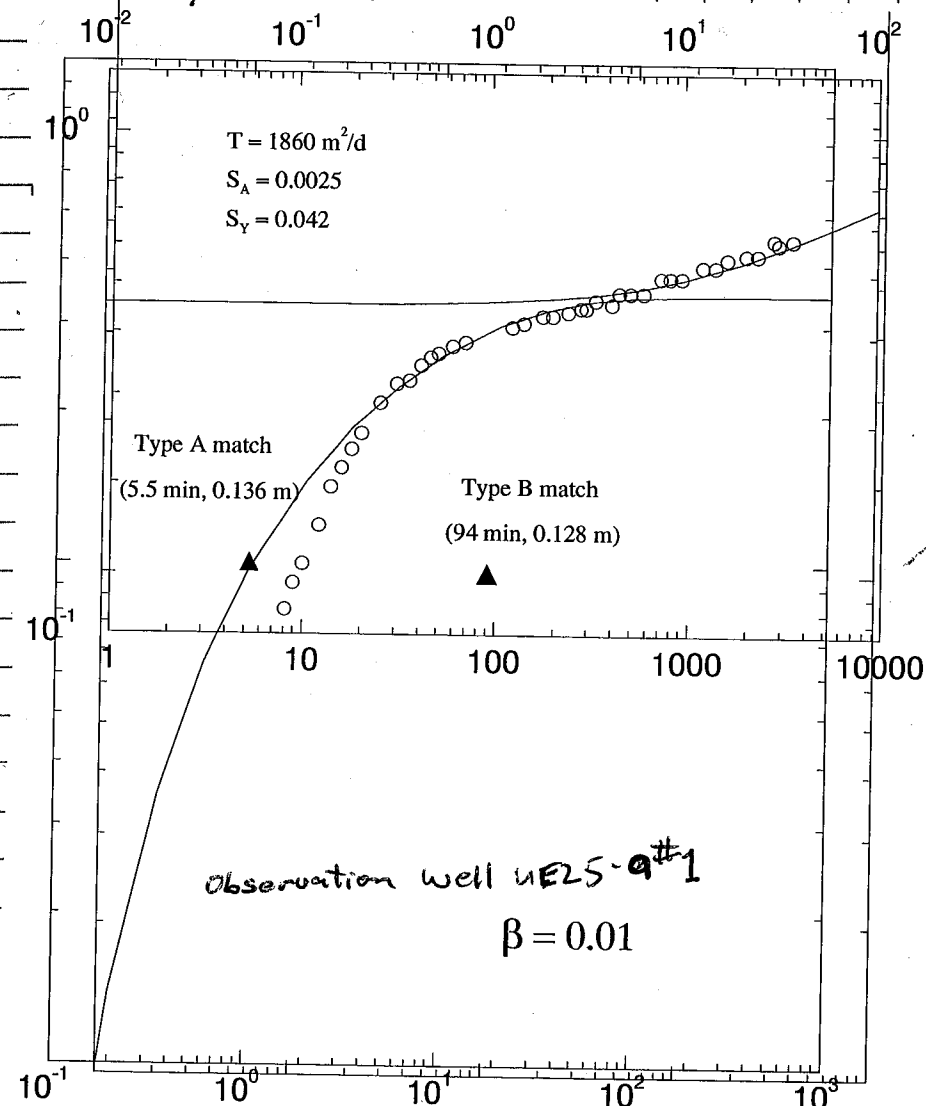
Pump test #3. Lets try data fit to late-time first (type B curve), then fit type A:

$$T = \frac{Q}{4\pi S} = 1860 \frac{\text{m}^2}{\text{d}}$$

$$S_A = 0.0025$$

$$S_y = 0.042 \rightarrow \text{more in line w/ } S_y \text{ for unconf. aquifer}$$

JAW 9-2-98



$$K_v = \frac{\beta b^2 K_h}{r^2}$$

$$= \beta T \cdot b$$

$$r^2$$

$$= \frac{0.01 \cdot 1860 \cdot 749}{(107)^2}$$

$$K_v = 1.2 \frac{\text{m}}{\text{d}}$$

$$K_h = \frac{T}{b}$$

$$K_h = 2.5 \frac{\text{m}}{\text{d}}$$

Notes:
I like that
 K_h and K_v
are of same
order of magnitude!

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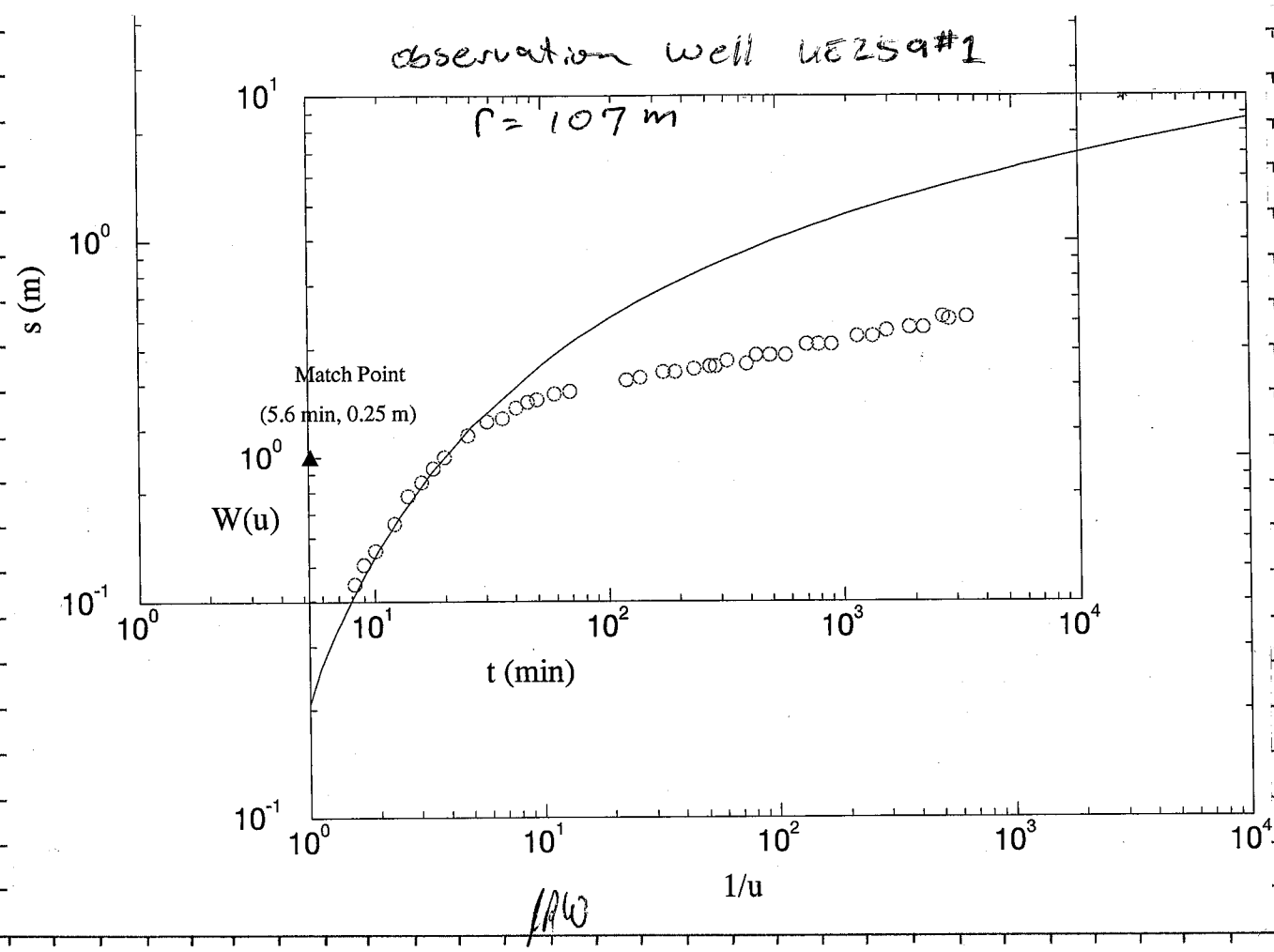
From Page No. UE-25b#1 analysis

This curve fit to early-time data gives
Transmissivity value of: (match point: 5.6 min, 0.25 m)

$$T = \frac{1}{4\pi} \frac{Q}{S} W(u) = \boxed{981 \frac{\text{m}^2}{\text{d}}}$$

obs. well $\rightarrow r = 107 \text{ m}$

$$S = \frac{4Tt}{r^2} = 0.0013$$



This is not an estimate of transmissivity
that I would use, but could be an
upper-end estimate.

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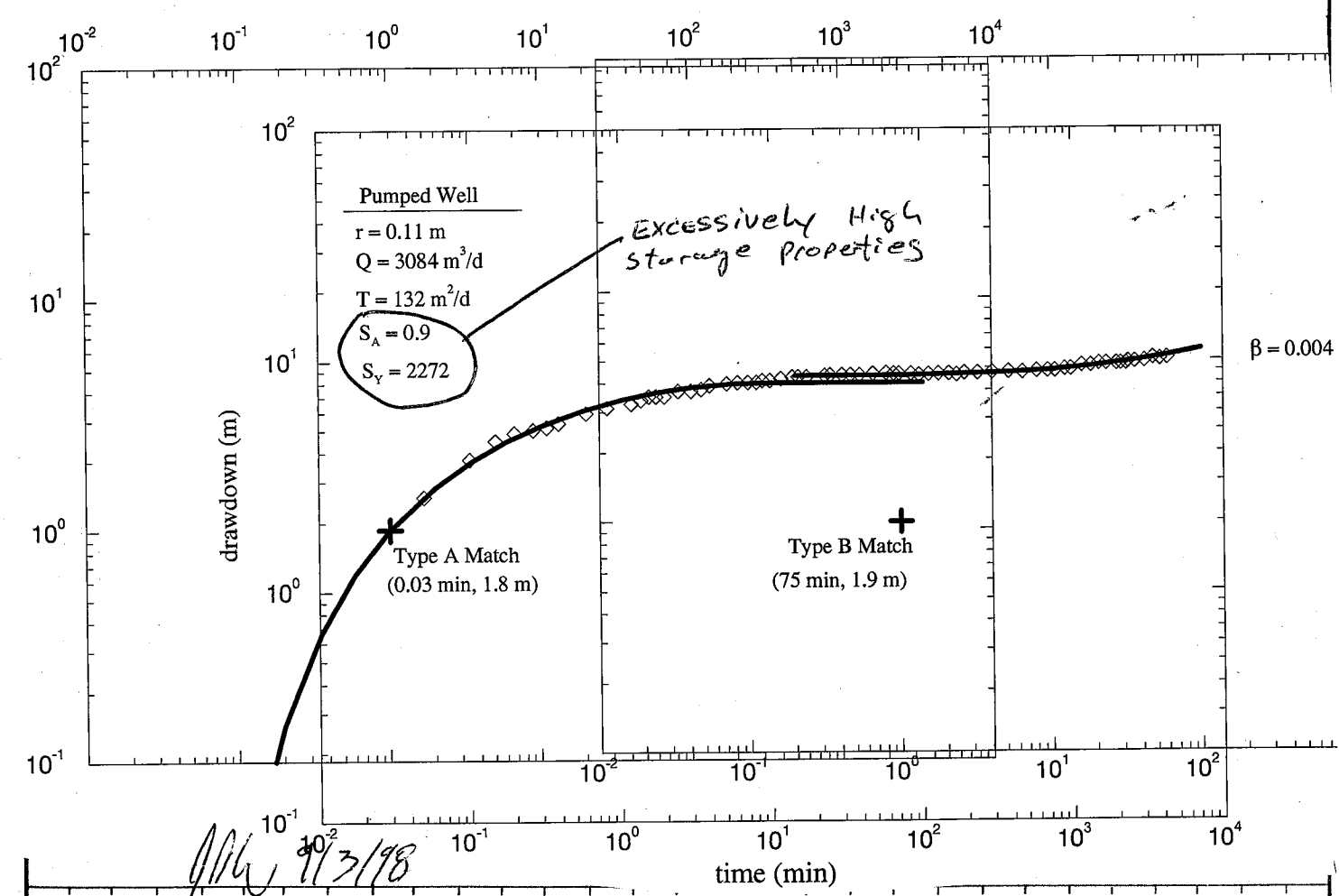
From Page No. 9-3-98

Newman Type curve fit to UE25b#1 (shown below)
yields a good fit, but the specific yield
estimate is completely unrealistic!
overall, based on inconsistency between a#1
and b#1 results I'd say Newman method is
not appropriate.

MOENCH - (1984) WRR 20(7) used double porosity
to fit both wells simultaneously.

$$T = 350 \text{ m}^2/\text{d} \quad S' = 0.12 \text{ (matrix)} \\ S = 0.0006 \text{ (Fractures)}$$

Nueman (1975) type curves for unconfined response fit to pump test data for Pump Test 3 in well UE-25b#1



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		Recorded by <i>[Signature]</i>	9-3-98

From Page No.	Evaluation of Anisotropy from C-wells		
Well ID	Trans (Te)	Td(0)/S	Notes
ONC1	1960 m ² /d	845,244	see pg 31 of notes
WT#3	2600 m ² /d	1,300,000	golden
WT#14	1300 m ² /d	650,000	H4 may be low due to boundary of fault.
H-4	650 m ² /d	325,000	

Ellipses should be plotted as $(T/S)^{1/2}$, however, those shown on pg 35 of these notes were plotted using only Te. Now I go back and estimate approx Td for each well, assuming constant S.

9-29-98 Reinterpret long-term pump test data using method of Papadopoulos (1965)

Well ONC1 - from pg 31 of notes.
 $T_e = 1960 \frac{m^2}{d}$
 $\sqrt{T/S} = 920 \frac{m}{d}$

Well USW H-4 - from curve match on following pg.
 match at $t = 1145 \text{ min (0.795 day)}$, 0.046 m

$$T_e = \frac{1}{4\pi} \frac{Q}{S} W(u) = \frac{823 \frac{m^3}{d}}{4\pi \cdot 0.046} \cdot 1.0$$

$$T_e = 1423 \frac{m^2}{d}$$

$$\frac{T_d(0)}{S} = \frac{r^2}{4t^*} \cdot \frac{1}{u} = \frac{(2245 \text{ m})^2}{0.795 \text{ d}} = \frac{6.34 \times 10^6}{2.2}$$

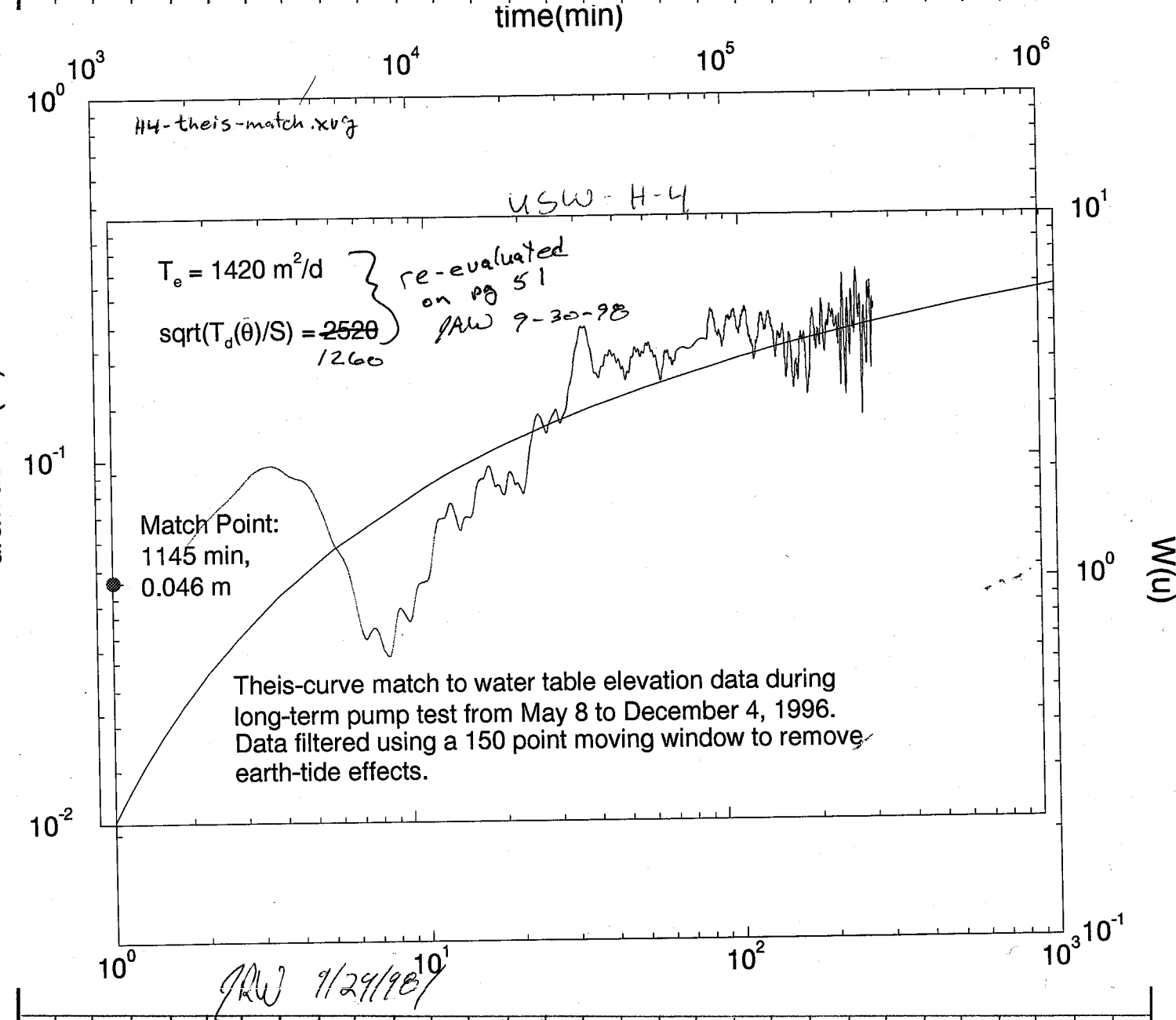
$$\sqrt{T/S} = \frac{2520 \text{ m}}{2} = 1260$$

UE25 - WT#14 see match on pg 50: $r = 2249 \text{ m}$
 match point = $1300 \text{ min (0.90 d)}$; 0.043 m (from transparency)

$$T_e = 1500 \frac{m^2}{d} \quad \sqrt{T_d(0)/S} = \frac{1123 \text{ m}}{2.370 \frac{m}{d^{0.5}}}$$

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 Recorded by 9-29-98

From Page No.	9-29-98
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UE25 - WT#3 - see pg 51

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9-29-98

Interpretation of WT#14 during long-term pump test

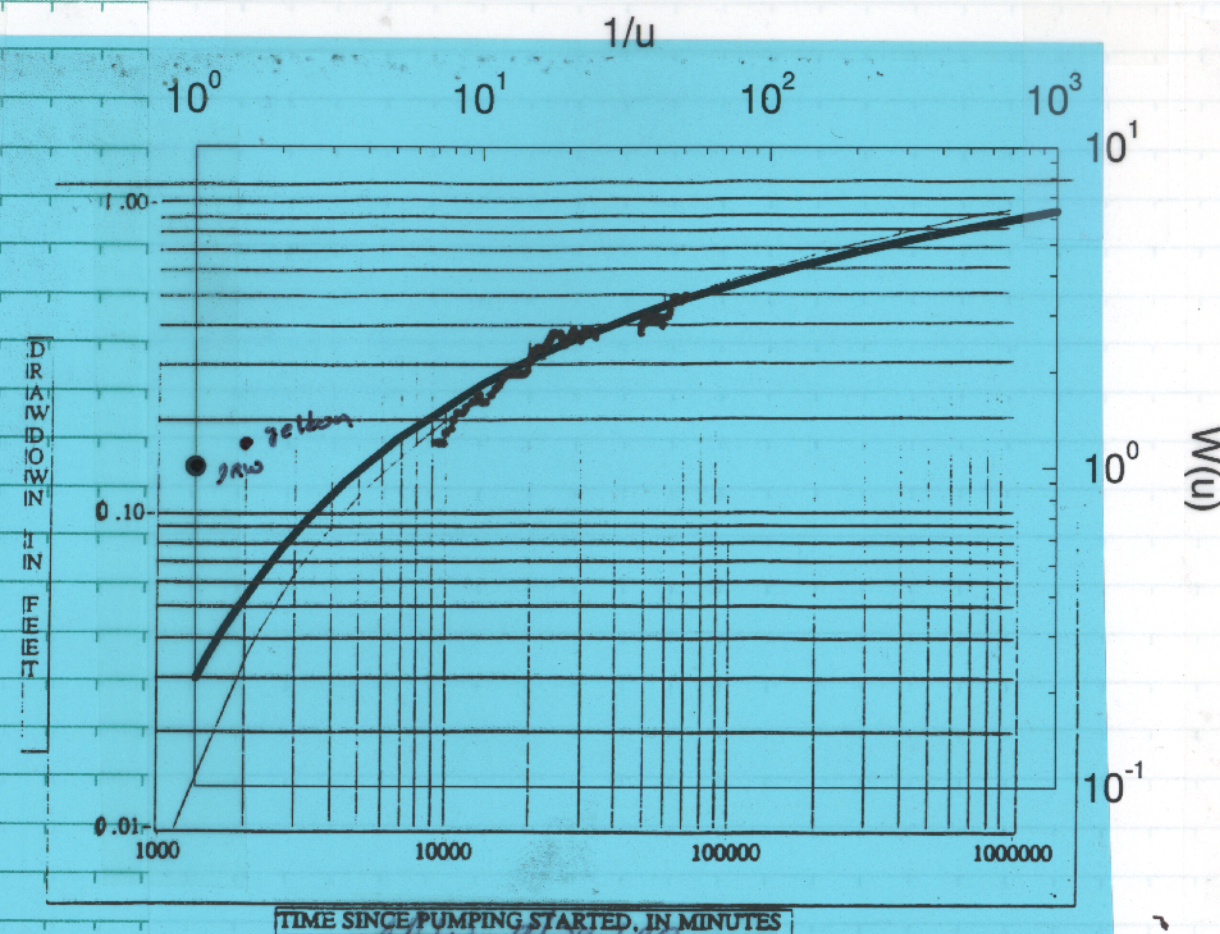
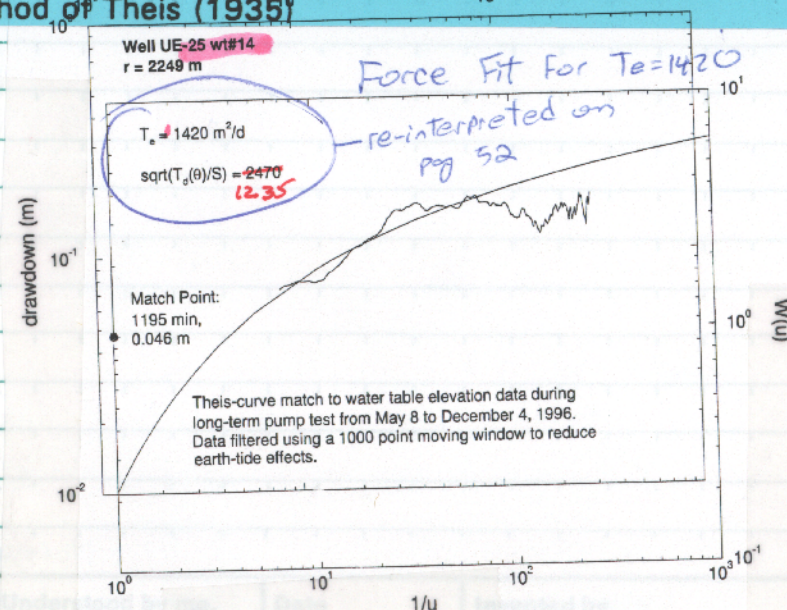


Figure 34 - Analysis of drawdown in UE-25 WT#14, May 8 to June 27, 1996 | the method of Theis (1935)



Witnessed & _____

Date _____

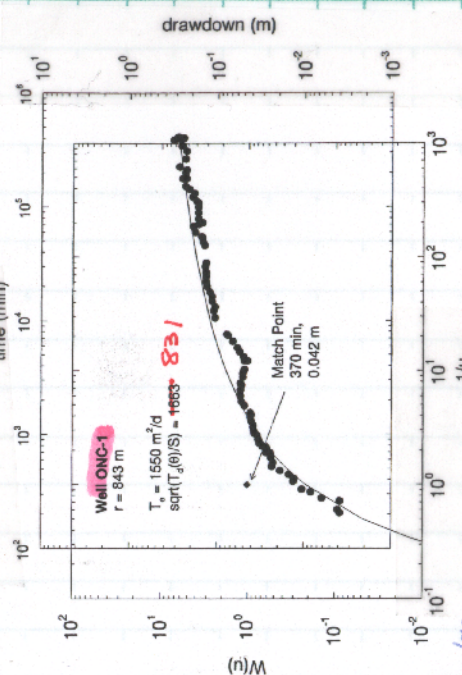
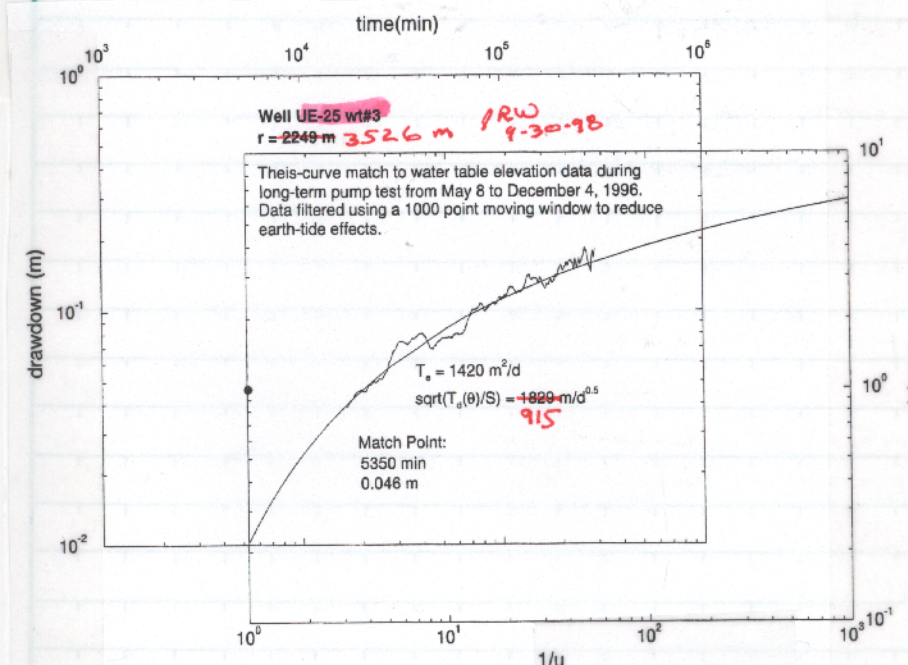
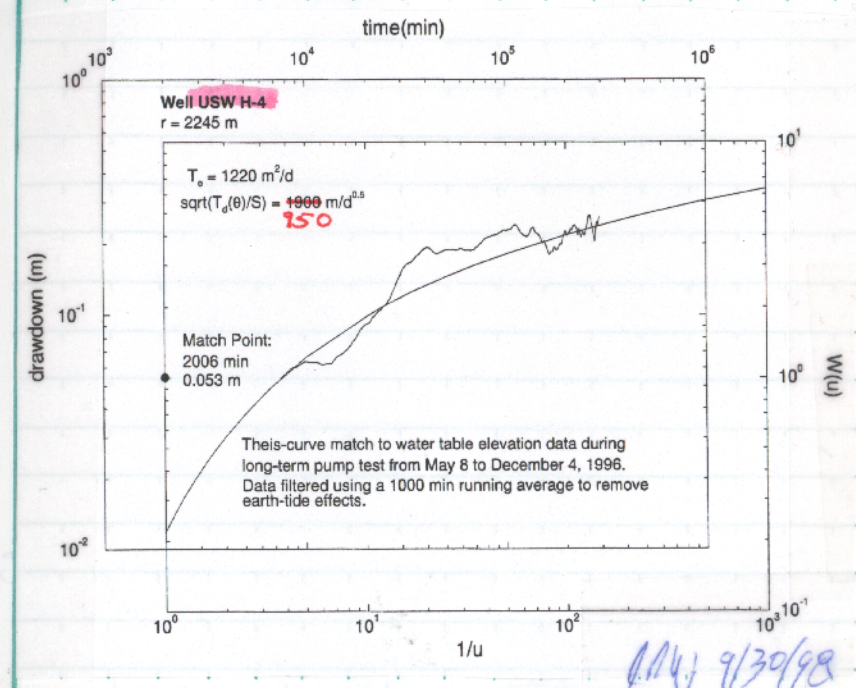
9-29-98

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R. White

TITLE _____

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These Theis-fits
(on this pg) are all off
by Factor of 2
on estimate of
 $\sqrt{T_e(\theta)/S}$; corrected
values shown in
red

Well	r	θ	T_e	$\sqrt{T_e(\theta)/S}$
OWC1	843		1550 $\frac{m^2}{d}$	1660 $\frac{m}{d^{0.5}}$
H-4	2245 2245		1220 1220	1900
WT3	2249 3526		1420	1829
WT14	2249		1500	2370

Witnessed & Understood by me, _____

Date _____

Invented by _____

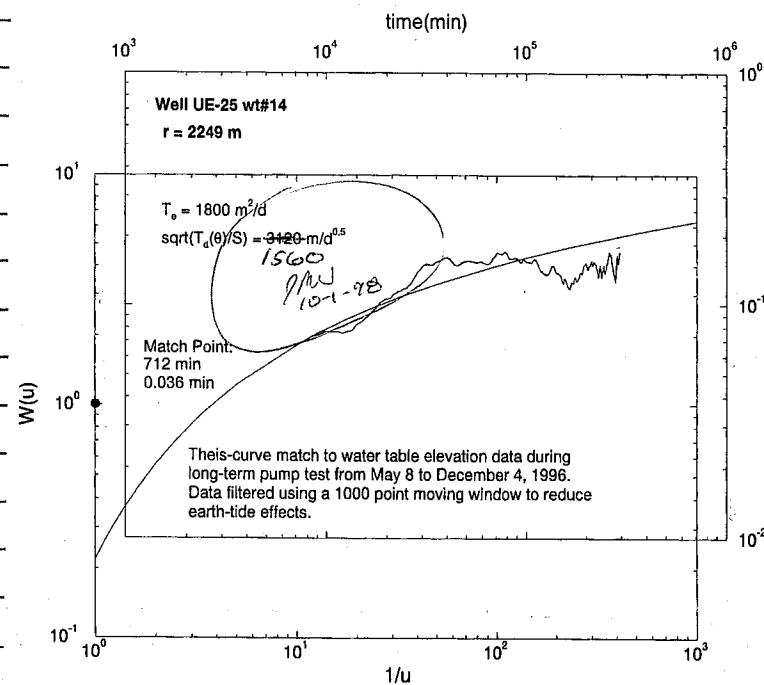
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R. White

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OK - now after all this type-curve confusion, lets see what we have. We basically did two sets of analyses: a set of fits where T_e was forced to be as close as possible to $1420 \frac{m^2}{d}$ and a set where this restriction was relaxed. Tables below summarize results

1. Forced Fits to $T_e \approx 1420 \frac{m^2}{d}$			
Well	T_e	$\sqrt{T/S}$	θ from North
ONC1	1550 $\frac{m^2}{d}$	831	327.5°
H-4	1420	1260	320.0° 310.0°
WT14	1420	1235	40.0° 50.0°
* WT3	1420	915	160.67°
Best Fit to individual wells			
2. ONC1	1960	920	327.5°
H-4	1220	950	30°
WT14	1800	1560	50°
* WT3	1420	915	161°

* Need to check location of WT#3 ✓ good

From Page No. 10-1-98
Used PEST code to obtain best fit of ellipse to $\sqrt{T/S}$ data from "Best Fit" data.
- After multiplying $\sqrt{T/S}$ by 10^{-3} , ellipse parameters are
$$\left. \begin{aligned} A &= 0.7480 \\ B &= -0.4125 \\ C &= 0.9812 \end{aligned} \right\} ax^2 + bxy + cy^2 = 1$$

- To find rotation of ellipse axis from principle coordinate system (N-S = y; E-W = x)
$$\cot 2\theta = \frac{A-C}{B} = 0.5653 \rightarrow \theta = 30^\circ$$

- Rotation of major axis from North $(\alpha) = 60^\circ$

* Calculate Storativity

$$\frac{T_e}{S} = \sqrt[4]{T_{ONC1} \cdot T_{H4} \cdot T_{WT3} \cdot T_{WT4}}$$

$$\frac{T_e}{S} = 1570 \frac{m^2}{d}$$

$$\frac{T_e}{S} = \sqrt{\frac{T_{major}}{S}} \cdot \sqrt{\frac{T_{minor}}{S}} \quad \text{where } T_{major} \text{ and } T_{minor} \text{ are max \& min Transmissivity.}$$

$$\sqrt{\frac{T_{major}}{S}} = \frac{1750}{1260} = 1.389$$

$$\sqrt{\frac{T_{minor}}{S}} = 960$$

$$S = \frac{T_e}{\sqrt{T_{major}} \sqrt{T_{minor}}} = 0.0013$$

From Page No. 10/19/98 Correct well data for atmos
pressure variations.
AWK script used to process raw wsl data

```
#!/bin/sh
# awk script to filter atmospheric signal from water level data
# by Jim Winterle, 10/19/98
# Usage: cnvt.sh arg1 arg2 arg3 arg4
# arg1 is file with raw water level data
# arg 3 is weighting factor for atmo signal
# arg3 is mean value for atmo signal
# arg4 is offset used to plot atmo signal on same scale as wsl
# Example: cnvt.sh wt14.raw 0.5 12.85 729.5

echo $2 $3 $4 > temp1
cat temp1 $1 atmo.dat > temp

awk '
BEGIN { i=1; j=1}
NR==1 {factor=$1; const=$2; offset=$3}
/\#begin-data/, /\#end-data/ {
if($0 !~ /\#/) { t[i]=$1; h[i]=$2; i++}
}
/\#begin-atmo/, /\#end-atmo/ {
if($0 !~ /\#/ && $1>=t[j] && $1<=t[j+1]){
print t[j],h[j],(h[j]+((($2-const)*factor)+offset))/4,$2-const+offset; j++
}
}
}' < temp > $1.out
xvgr -nxy -param correct.parms $1.out &
rm temp temp1
```

9RW
10/19/98

correction
9RW
10-19-98

Raw data files, xvgr files (plots) and .out files
are in directory "jwinterle/cwells/pump-tests/LTPT/
atmo correct"
and associated subdirectories

On facing page, shows plot of a portion of
corrected data for WT#14.

Similar plots were made for wells H-4 and
WT#3. Next step is to convert to
time-drawdown plots.

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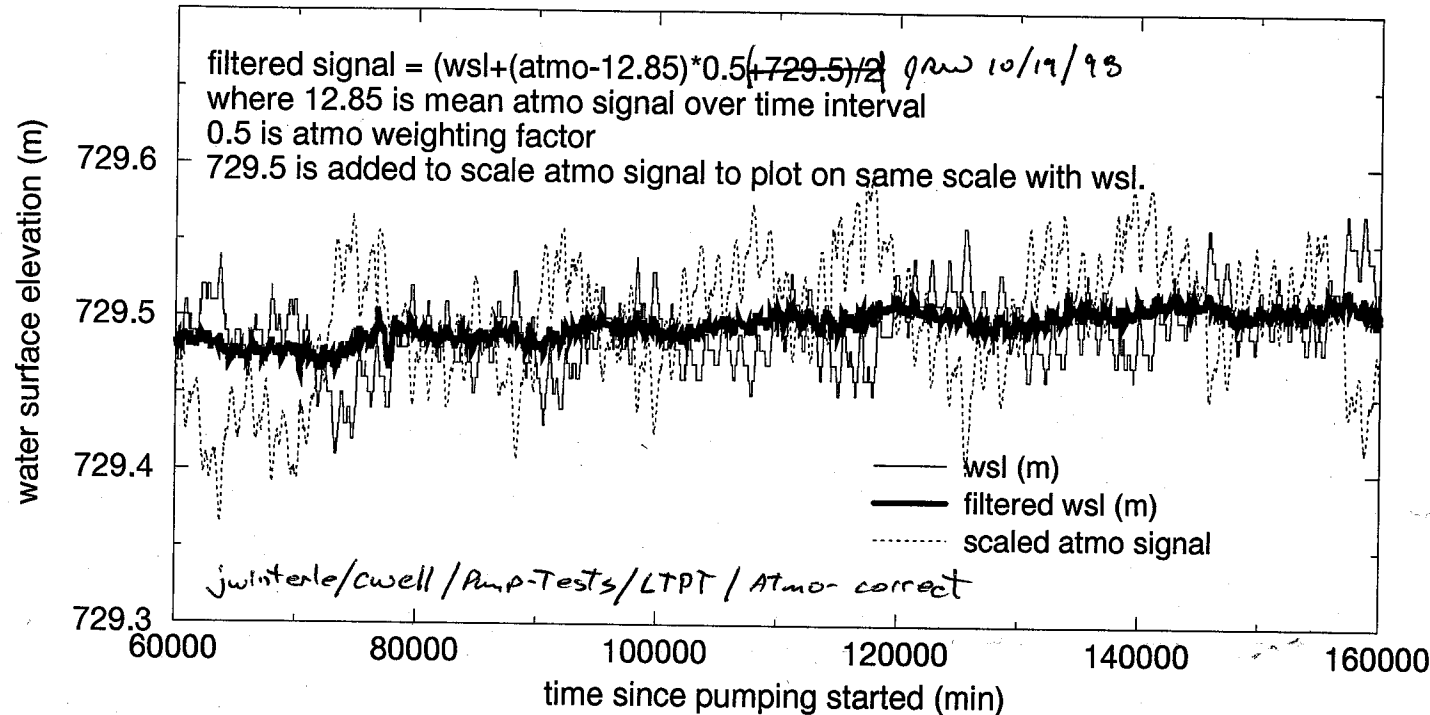
Jim Winterle

10/19/98

From Page No. 10/19/98

Water level data filtered to remove atmospheric signal
for well UE-25 wt#14

9RW 10/19/98



After filtering to remove atmo, data are
converted to time-drawdown, by subtracting
static water level and multiplying by Neg1
* note: found mistake in program and fixed it, see
red corrections, (above and opposite).

Data for WT-14 converted to time-drawdown
plot by subtracting 729.65 m from wsl,
based on static water level reported by
Graves et al (1998, USGS OFR 98-169), and then
multiplying by -1. See plot on facing page (pg 56)
Note that early time data (before drawdown response)
and late-time data (after boundary effects (?))
are cut from data.

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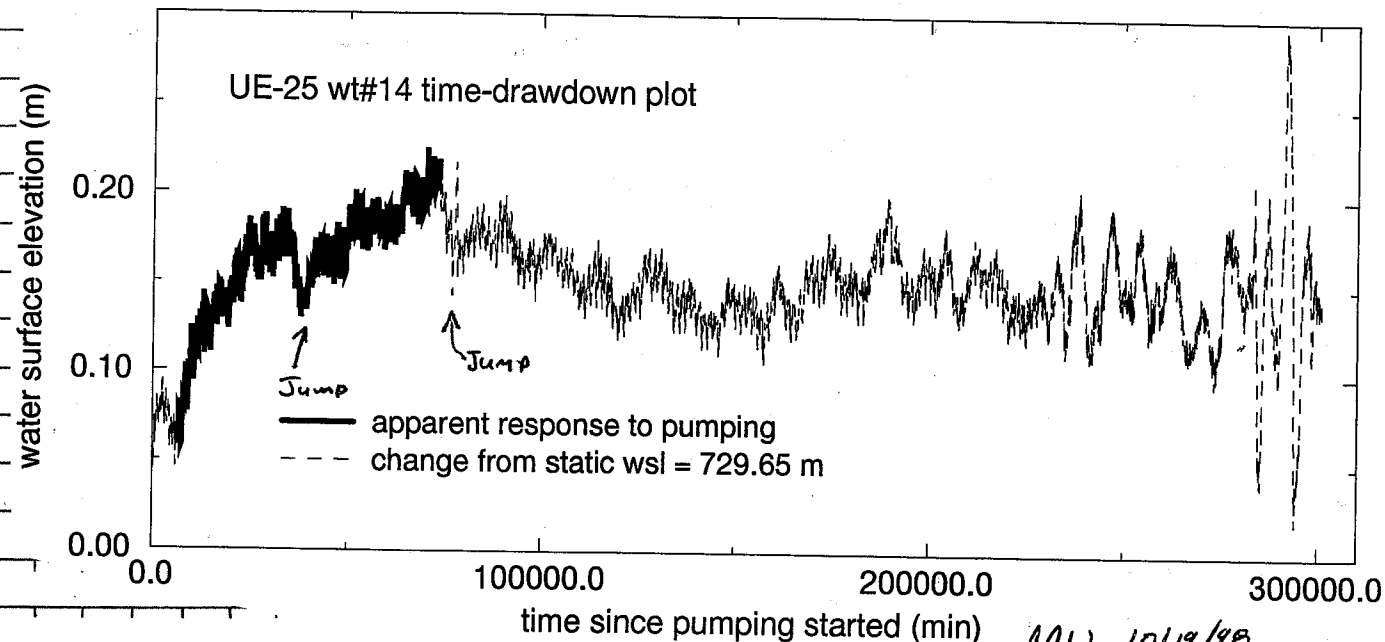
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Note the jumps in pressure response at about $t = 40,000$ and $t = 75,000$ on above plot. These jumps are also present on atmo signal

10-27-98 -

At this point I am deeply suspicious regarding USGS correction of barometric efficiency. It appears that USGS subtracted atmos. pressure from well pressure transducer data in order to obtain gauge pressure, then added it back in to correct for what they called response to atmospheric pressure. It seems to me that since transducers were packed-off they should have been isolated from the atmospheric pressure. Thus there was no need to subtract out atmo pressure. Of course, this rant only applies to packed-off intervals of c-wells - wells wt3, wt14, H-4, and ~~one~~ ^{one} are water table elevation data that are not corrected for atmo.

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From Page No. _____

10/28/98

correcting data for Barometric Pressure. Message below confirms that ONC1 is packed off from direct atmospheric pressure with 10/28/98

Date: 10/26/98

Sender: <METLASVEGA@aol.com>

To: jwinterle@swri.edu

cc: StellaNick@aol.com

bcc: Jim Winterle

Priority: Normal

Subject: Re: Transducer pressures in ONC1

Mr. Winterle:

Nick Stellavato of Nye County forwarded your e-mail regarding data at ONC#1 to me. I am assuming that you have been successful in obtaining the data from www.nyecounty.com.

The raw data in the zip files are transducer pressures in absolute psi. There is no correction for earth-tides no for barometric effect. The zones, where pressure is monitored, are packed off; therefore, your assumption of shut in is correct. The only atmospheric connection is through the unsaturated zone. Please let me know if you have any further questions. Thank you.

Perry Montazer

Multimedia Environmental Technology, Inc.

12/16/98

Hypothesis:

Low-Freq (days to weeks) oscillations in atmospheric pressure are felt by water table after a lag period which gives appearance of reduced barometric efficiency compared to daily higher freq. fluctuations. This is evidenced by looking at ONC1 data which was packed-off from atmospheric effects (see fig on next page); after smoothing it can be seen that peaks in water pressure signal lag peaks in atmo pressure signal. Below is a comparison of times of obvious peaks in atmo and water pressure signals.

Atmo PK (min)	water press. PK (min)	lag (min)
-18160	-17630	530
-13759	-12720	1039
35770	37310	1340
77110	77810	700
97340	100720	3380 (outlier)
133110	133810	700
160420	181064	640
239450	240410	960

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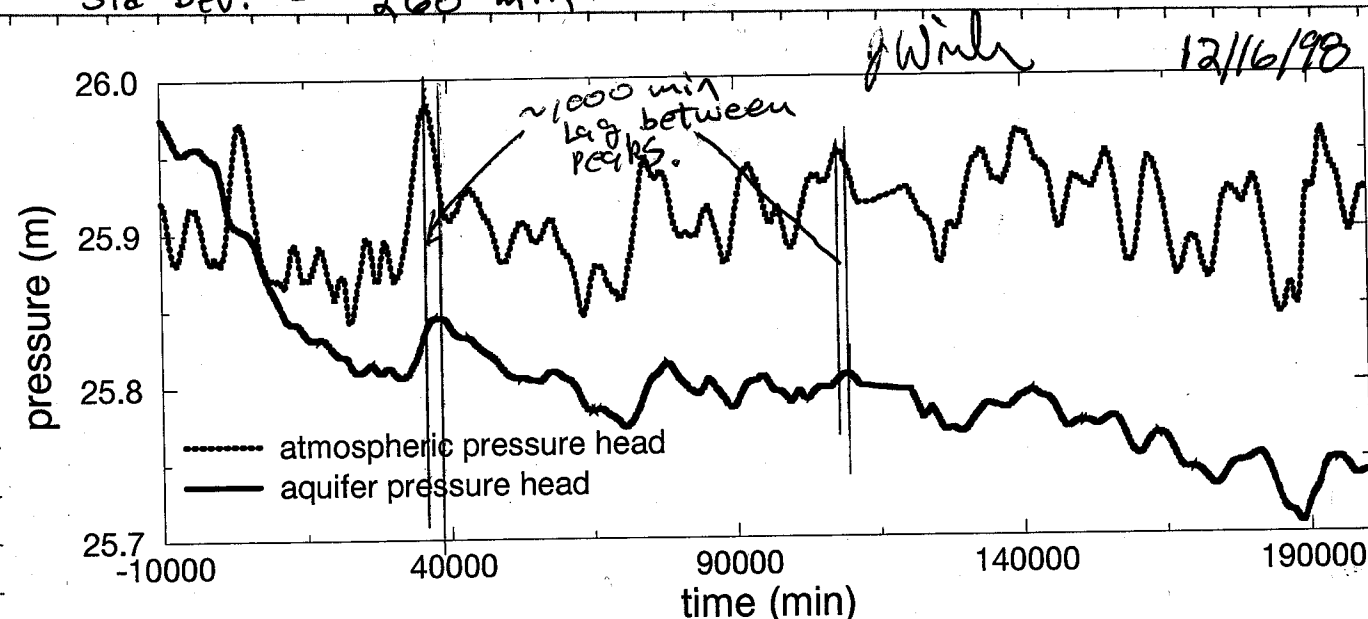
Date _____

Recorded by _____

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From Page No. _____	12/16/98	
Atmo PK (min)	water Press. PK (min)	lag (min)
244570	245690	1120
274860	276100	1240
292010	292950	940
317770	318890	1120
327430	328490	1060
330560	331800	1240

mean lag = 970 min
std Dev. = 260 min



After playing with this idea awhile, I found that filtering atmo signal with a 500 pt running average makes it look qualitatively like water pressure signal. I then found that an 1800 min lag results in good correlation with peaks of both data sets (see fig on opposite page). Regression of prepump atmo & baron signal gives atmo-water regression coeff. of 0.56. Corrected water pressure head curve reflects subtraction of atmo signal after scaling by 0.56. I'm a genius!

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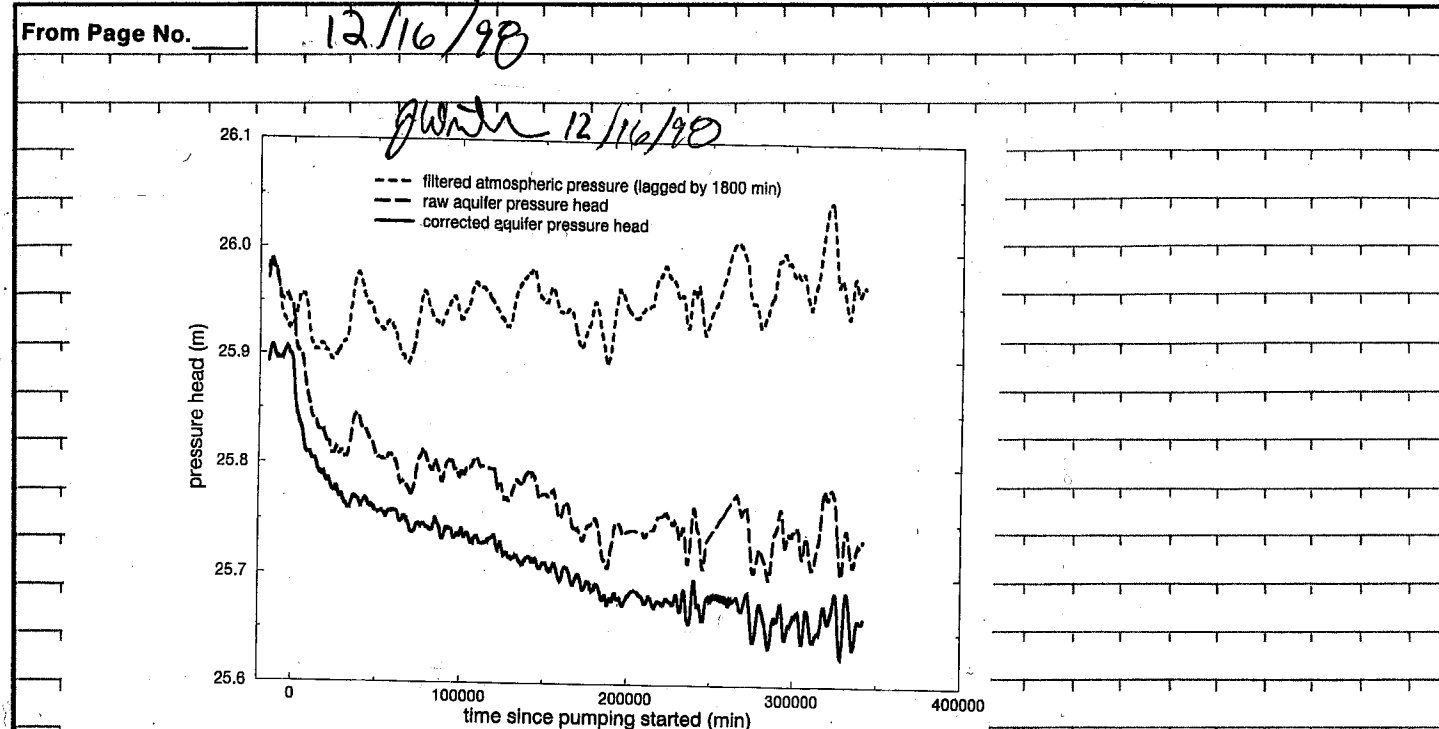
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12/16/98



2/28/99 Correcting Daily well water levels from periodic network from May 22 to June 12, 1999.

• These are manual water sfc elev. readings; Date is given, but time is not, in GS9607083123/2.009

• using atmo pressure at chokes for those dates, assume readings taken at ~ 12:00. smooth atmo

2/28/99 using 100 pt running avg; take diff from smoothed atmo

Day 0 = March 22, 1995

Day	atmo change	Day	atmo change
0	0.0 m	7	+0.01 m
1	0.02	8	+0.037 m
2	0.0	9	0.0
3	0.0	10	-0.035
4	+0.012	11	0.0
5	+0.00		
6	-0.01 m		

on second thought, this is bogus

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2/28/99

From Page No. 3/3/99 Analysis of May 22 Pump Test at C-Holes: A fresh look

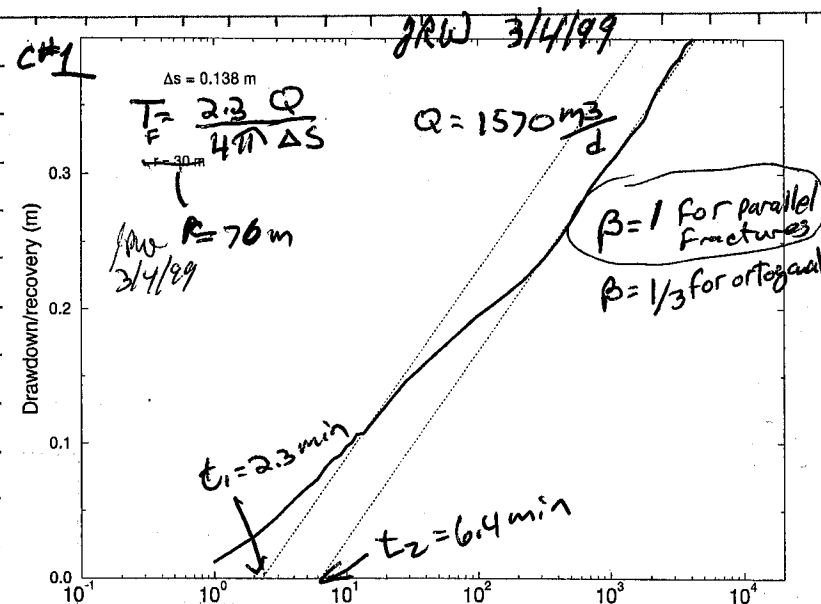
1. C well data: corrected raw water data for atmo pressure \rightarrow Raw data is in pressure, so it should not be affected by down-borehole effects of atmo pressure. \rightarrow So, I only need to do stage 2 of filtering as described on pg. 58 with an attenuation factor of 0.2 and a lag of 1800 min.

\rightarrow Convert raw data to hourly, then filter using 20 hr running average, then go back and replace first few data points (30 min) with original data. This approach puts back early time data to interpret initial pump test response.

\rightarrow Final atmo conversion for all C-wells was lag of 1800 min and Attenuation Factor 0.18

\rightarrow Semilog analyses of Drawdown Follow.

3/4/99 Plot below is used for Kazemi et al method (1969) on well C#1 following approach on page 257 of Kruseman & DeRidder.



This plot shows some dual-porosity effects.

$$T_F = 2080 \text{ m}^2 \text{ d}^{-1}$$

$$t_1 = 0.0016 \text{ day}$$

$$S_F = \frac{T_F t_1^{2.25}}{r^2} = 0.008$$

$$0.0013$$

$$t_2 = 0.0044 \text{ day}$$

$$S_{FSM} = \frac{T_F t_2^{2.25}}{r^2} - S_F$$

$$S_m = 0.014$$

$$0.0022$$

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3/4/99

PRW 3/4/99

From Page No. _____

For well C#2: $\Delta S = 0.094$; $t_1 = 3.5E-4 \text{ d}$; $t_2 = 0.0033$

$T_F = 3060 \text{ m}^2/\text{d}$ - note these values will likely change in final report as I refine my atmospheric correction method

3/16/99 Type curve fitting to May 1995 P.T. data using AQTSolve software \rightarrow Version 2.12 Professional

Well C#1 Moench (1987) solution for Fractured Aquifers. need to make some assumptions about matrix properties. From L. Flint (1996) matrix K_{sat} in the Bullfrog and Prow Pass units is on the order of 10^{-5} m/d

PRW 3/16/99 IF we assume most storativity in matrix is due to compressibility of water; From standard Hydraulics text (Roberson/Crowe 5th ed.) $1/\beta = E_v = \text{Bulk modulus of water}$

$$E_v \approx 2.2 \times 10^9 \text{ N/m}^2 \times \frac{1 \text{ m}^3}{1000 \text{ kg}} \times \frac{1 \text{ g}^2}{9.81 \text{ m}} \quad (E_v \cdot P \cdot \gamma)$$

$$\text{gives } E_v \text{ in meters } 1/E_v = \beta = 4.46 \times 10^{-6} \frac{\text{m}^3 \text{ water}}{\text{m}^3 \text{ vol.} \cdot \text{m ahead}}$$

$$S_s' = \beta \cdot \phi \Rightarrow \text{assume porosity } (\phi) \approx 0.2$$

$$S_s' = 4.46 \times 10^{-6} \times 0.2 \text{ m}^{-1}$$

$$S_s' = 8.92 \times 10^{-7} \text{ m}^{-1} \rightarrow \text{round up to allow for slight formation compressibility.}$$

$$S_s = 10^{-6} \text{ m}^{-1} \rightarrow \text{use this as minimum value}$$

Use constant K' and S_s' in Moench Solution of AQTESOLV software. see final report for outputs (Winterle - letter report 861-950, June, 1999)

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Invented by _____

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Recorded by _____

3/16/99

PRW 3/16/99

From Page No. 8/4/99 Processing of Raw data from
May 22, 1995 Pumping test.

Hourly water table levels were obtained from
Kristi Lewis at USGS (303) 236-5050 x 265. These
data are referenced under Yucca Mountain Data Tracking Number
~~GS97~~ GS960708312312.009
MOL. 19970717.0348

The data are hourly water levels for Jan 1, 1995 through
approximately Oct. 1, 1995 (stop dates vary). Data are
from wells:

USW H1 - transducer #3
USW H1 - transducer #4
USW H3 - lower interval
USW H3 - upper interval
USW H4 - lower "
USW H4 - upper "
USW H5 - lower " and upper
USW H6 - lower " and upper
UE-25 p#1
UE-25 wt1
UE-25 wt10
UE-25 wt14
UE-25 wt3
UE-25 wt4

- The data were not delivered in a usable format,
so I had to write an algorithm to process
the data into two-column, time (hours since 000 on
Jan 1, 1995) and water surface elevation (meters).
This algorithm is taped to facing page (63).

- The next step is to correct the data for
barometric pressure effects. This required a
record of atmospheric pressure in the area.

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#! /bin/sh

nawk

BEGIN {NR=999}

/PROVISIONAL/ {

NR=0

if(\$3 == "JANUARY") mhours=0

if(\$3 == "FEBRUARY") mhours=31*24

if(\$3 == "MARCH") mhours=59*24

if(\$3 == "APRIL") mhours=90*24

if(\$3 == "MAY") mhours=120*24

if(\$3 == "JUNE") mhours=151*24

if(\$3 == "JULY") mhours=181*24

if(\$3 == "AUGUST") mhours=212*24

if(\$3 == "SEPTEMBER") mhours=243*24

if(\$3 == "OCTOBER") mhours=273*24

if(\$3 == "NOVEMBER") mhours=304*24

if(\$3 == "DECEMBER") mhours=334*24

dhours = mhours+(int(\$4)-1)*24

}

NF==0 {NR=999}

NR>0 && NR<=20 && NF%2==0 {

split(\$1, t, "."); print dhours+t[1]+t[2]/60, \$2

if(NF>2) {split(\$3, t, "."); print dhours+t[1]+t[2]/60, \$4}

if(NF>4) {split(\$5, t, "."); print dhours+t[1]+t[2]/60, \$6}

if(NF>6) {split(\$7, t, "."); print dhours+t[1]+t[2]/60, \$8}

if(NF>8) {split(\$9, t, "."); print dhours+t[1]+t[2]/60, \$10}

}

< \$1.raw > temp

sort -n temp > ../\$1.95

rm temp

xvgr -nxy ../\$1.95 &

PAW
8/4/99

← Program used
to strip data from
the raw data files
provided by USGS.

output is time,
water-surface elev.
Written with nawk,
runs on unix OS.

Last line, 'xvgr...';
plots output using
XVgr so it can
be checked for
errors qualitatively.

Program: getdata.sh

- Raw data file for atmospheric pressure at weather
station WX3, near Yucca Mtn, was obtained from
www.ymp.gov, Data Tracking Number GS96080831211.003.
- Atmospheric pressure in raw data file was in
kPa units: need to convert to meters of
H₂O. Calculation shown on next page.

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Conversion of atmospheric pressure in kPa to m_{H_2O}

- density of water is temperature dependent

$$\rho_{H_2O} @ 35^\circ C = 994 \text{ Kg/m}^3$$

$$\rho_{H_2O} @ 50^\circ C = 988 \text{ Kg/m}^3$$

approx. range
of observed water
temperatures in
boreholes near YM.

$$\text{meters of pressure head} = \frac{\text{Pressure}}{\rho \cdot g}$$

$$@ 35^\circ C \quad 1 \text{ kPa} \times 1000 \frac{\text{Pa}}{\text{kPa}} \times \frac{994 \text{ Kg}}{\text{m}^3} \times \frac{9.81 \text{ m}}{\text{s}^2} = 0.1026 \frac{\text{m}}{\text{kPa}}$$

$$@ 50^\circ C \quad 1 \text{ kPa} \times 1000 \frac{\text{Pa}}{\text{kPa}} \times \frac{988 \text{ Kg}}{\text{m}^3} \times \frac{9.81 \text{ m}}{\text{s}^2} = 0.1032 \frac{\text{m}}{\text{kPa}}$$

both of these round out to 0.103 $\frac{\text{m}}{\text{kPa}}$

$$\text{compare to Golden 1998} \rightarrow 0.707 \frac{\text{m}}{\text{psi}} \times \frac{1 \text{ psi}}{6.894 \text{ kPa}} \rightarrow 0.1026 \frac{\text{m}}{\text{kPa}}$$

- over range of temperatures, error is less
than 1/2 % of average conversion factor.

- Wrote program in 'awk' language to convert raw data file to a usable format. This awk program is taped to the facing page.

- Note problems with Raw data file: (1) The year 1994 was incorrectly entered as 1995 for several lines in the 10/94 area of the file. (2) The month of June ('06') was incorrectly entered as '05' for several lines on June 25, 1995. I corrected these errors prior to processing raw data.

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#! /bin/sh

Program to process atmospheric pressure data from station
WX3 near Yucca Mountain, Nevada. Data obtained from YMP internet site
at www.ym.gov data tracking no. GS960808312111.003.
Written by Jim Winterle, 8/4/99.

nawk

BEGIN {

factor=0.103 # conversion factor: meters-water per kPa based on water
density within a temperature range of 35-50 Celsius.

}

NR >= 21 && NF==9 && \$3>0 { # process data, which begins on line 21

split(\$8, date, "/") # split date field into an array

split(\$9, time, ":") # split time field into an array

if(date[3]=="1995") yhours=0.0 # zero hour is Jan 1, 1995

if(date[3]=="1994") yhours=-8760 # that makes 1994 negative

calculate total hours since 0000 on January 1, 1995

if(date[1]=="01") hours=0 +yhours+(date[2]-1)*24 + time[1] + time[2]/60

if(date[1]=="02") hours=31*24 +yhours+(date[2]-1)*24 + time[1] + time[2]/60

if(date[1]=="03") hours=59*24 +yhours+(date[2]-1)*24 + time[1] + time[2]/60

if(date[1]=="04") hours=90*24 +yhours+(date[2]-1)*24 + time[1] + time[2]/60

if(date[1]=="05") hours=120*24 +yhours+(date[2]-1)*24 + time[1] + time[2]/60

if(date[1]=="06") hours=151*24 +yhours+(date[2]-1)*24 + time[1] + time[2]/60

if(date[1]=="07") hours=181*24 +yhours+(date[2]-1)*24 + time[1] + time[2]/60

if(date[1]=="08") hours=212*24 +yhours+(date[2]-1)*24 + time[1] + time[2]/60

if(date[1]=="09") hours=243*24 +yhours+(date[2]-1)*24 + time[1] + time[2]/60

if(date[1]=="10") hours=273*24 +yhours+(date[2]-1)*24 + time[1] + time[2]/60

if(date[1]=="11") hours=304*24 +yhours+(date[2]-1)*24 + time[1] + time[2]/60

if(date[1]=="12") hours=334*24 +yhours+(date[2]-1)*24 + time[1] + time[2]/60

PressHead=\$3*factor # convert kPa to meter of water

print hours, PressHead # print the results

}

< wx3_94-95.dat

Nawk Script used
to process raw
atmospheric pressure
data from
weather stn.
WX-3 on
Yucca Crest.

- The next step is to find borehole config. info. for each of the boreholes under consideration. This will allow for proper selection of proper correction method for barometric effects. Sources are:
* Graves et al, 1997 → USGS WRIR 96-4256
* Graves, 1998 → " OFR 98-169

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Next: need to convert time-drawdown data so that $t=0$ is at start of May 22, 1995 pumping test. start of test is 3422 hrs, 59 min since January 01, 1995, 0000hrs.

- Thus I will make the first data point from $t=0$ the point from hour 3423 hrs, and call it $t=1.0$ min.

nmw Although subsequent data points will be ~~hr + 1 min, etc.~~ it will be sufficient to round it to the hour.

for use in pump Test Analyses, it is necessary to determine distance (r) from the pumping well, UE-25 c#3. The spread sheet below was used to calculate r and Azimuth angle (degrees clockwise from True North) for the hourly-monitored wells, based on well locations in GIS database: doc-wells.txt.

nmw 10/6/99

Well ID	UTM-X (m)	UTM-Y (m)	Radius (m)	Azimuth
c#3	550919.8	4075886.0	0	N/A
WT-1	549151.7	4074967.0	1993	243
WT#3	552090.0	4072550.0	3535	161
WT-4	550438.5	4079411.8	3558	352
WT-10	545964.3	4073377.6	5554	243
WT#14	552630.5	4077329.6	2238	50
USW H-1	548727.0	4079925.6	4596	332
USW H-3	547561.7	4075759.1	3360	268
USW H-4	549187.8	4077309.0	2242	309
USW H-5	547668.3	4078841.1	4394	312
USW H-6	546188.1	4077816.1	5110	292
UE-25 p#1	551501.2	4075658.7	624	111

ONC1 $r = 843$ $\theta = 327^\circ \rightarrow$ (see pp. 32 + 52)
(Geldern et al., 1998)

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- At This point we have data reduced to a Time series of water-level measurements beginning 500 hrs before start of pumping test, ending 500 hrs after. $t=0$ at 1500 hrs, May 22, 1995.
- Each File of data contains 3-columns: time in hrs; change in Water Level from time $t=0$; change in atmospheric pressure from time $t=0$.

Note: since all of the wells in the hourly monitor network are pretty far away, it took a while for them to respond to pumping. Thus, it was a convenient approximation to make $t=0$ at Time 1500 hrs on May 22, 1995, even though pumping actually began a minute earlier.

- The next step is to investigate response to atmospheric pressure fluctuations.

nmw 5/3/00
No Further Entries

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Final Entry:

This Notebook Appears
to comply with
QAP-001.

E. C. [Signature]
5/4/2000

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Date _____

Recorded by _____