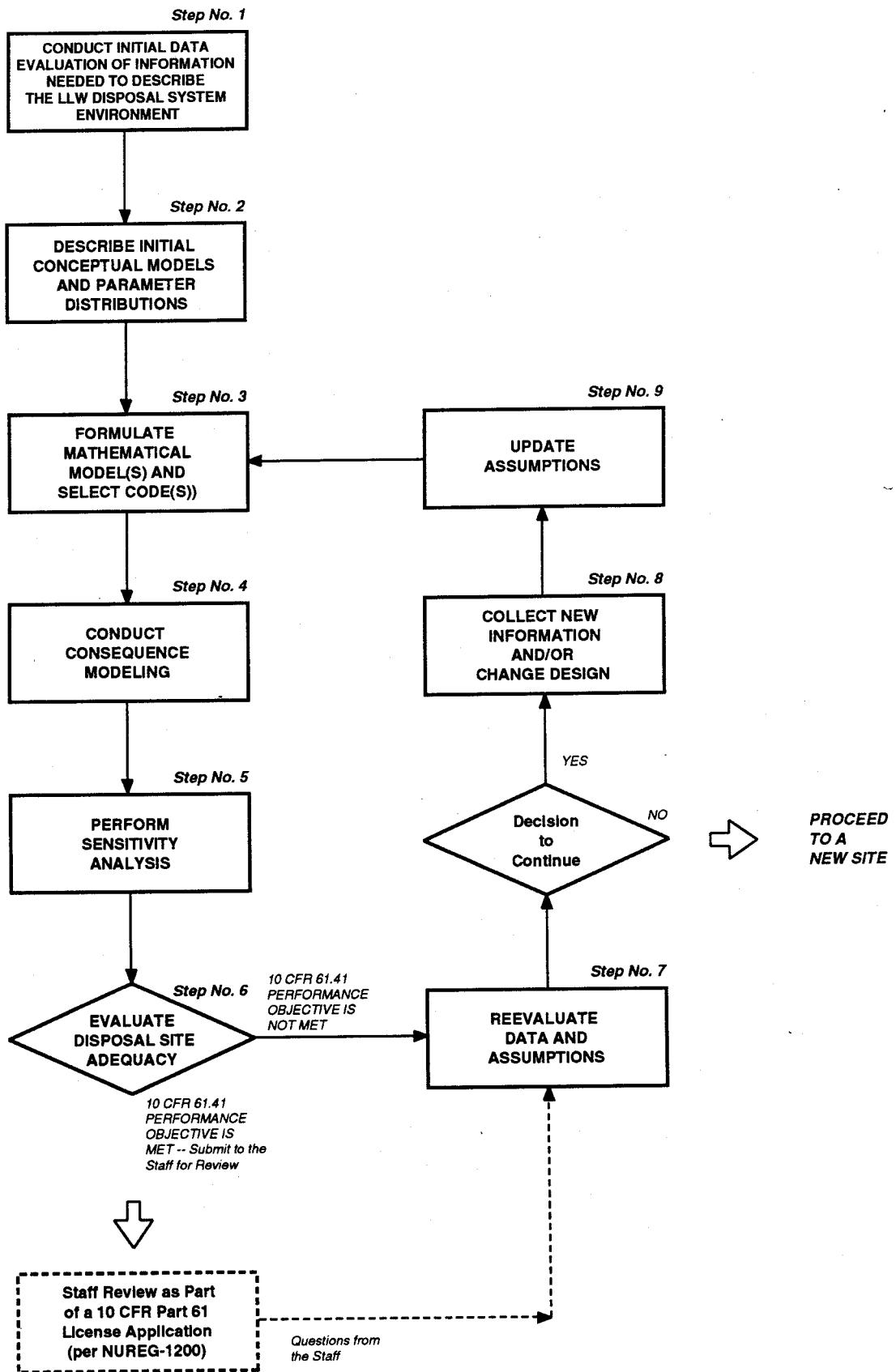
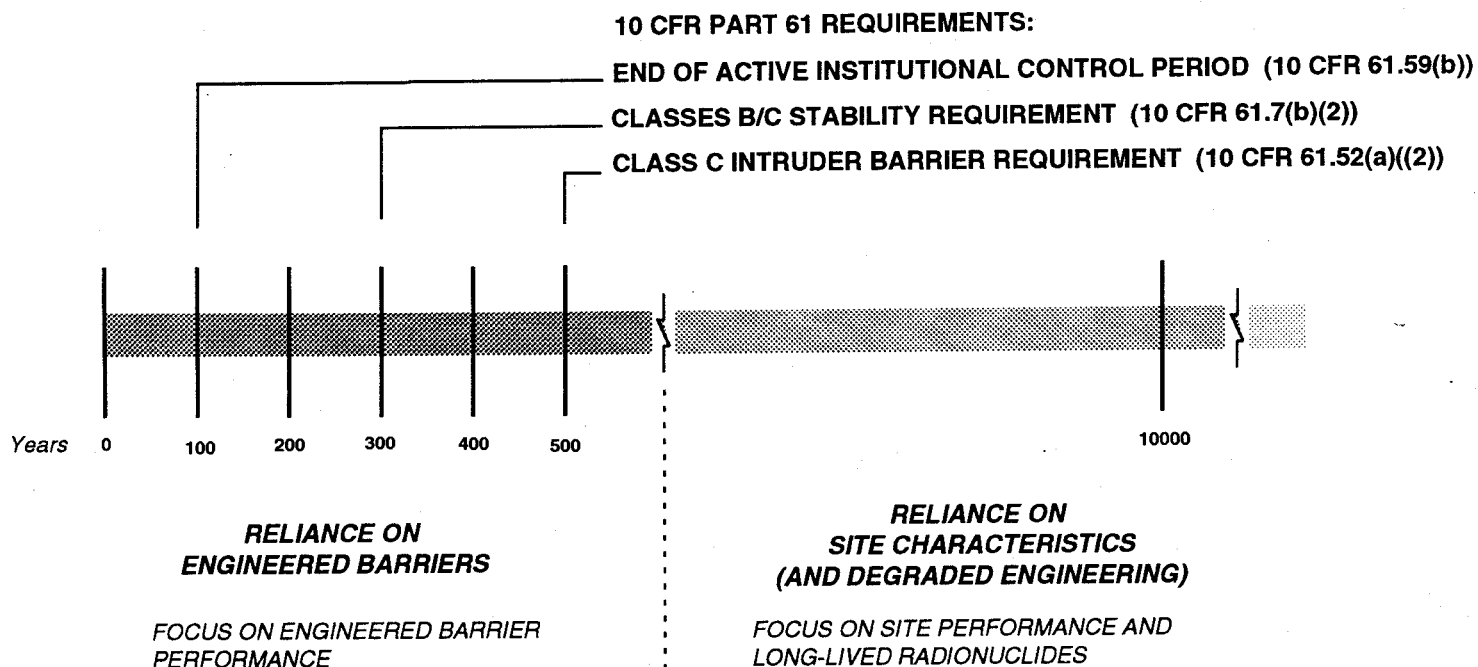
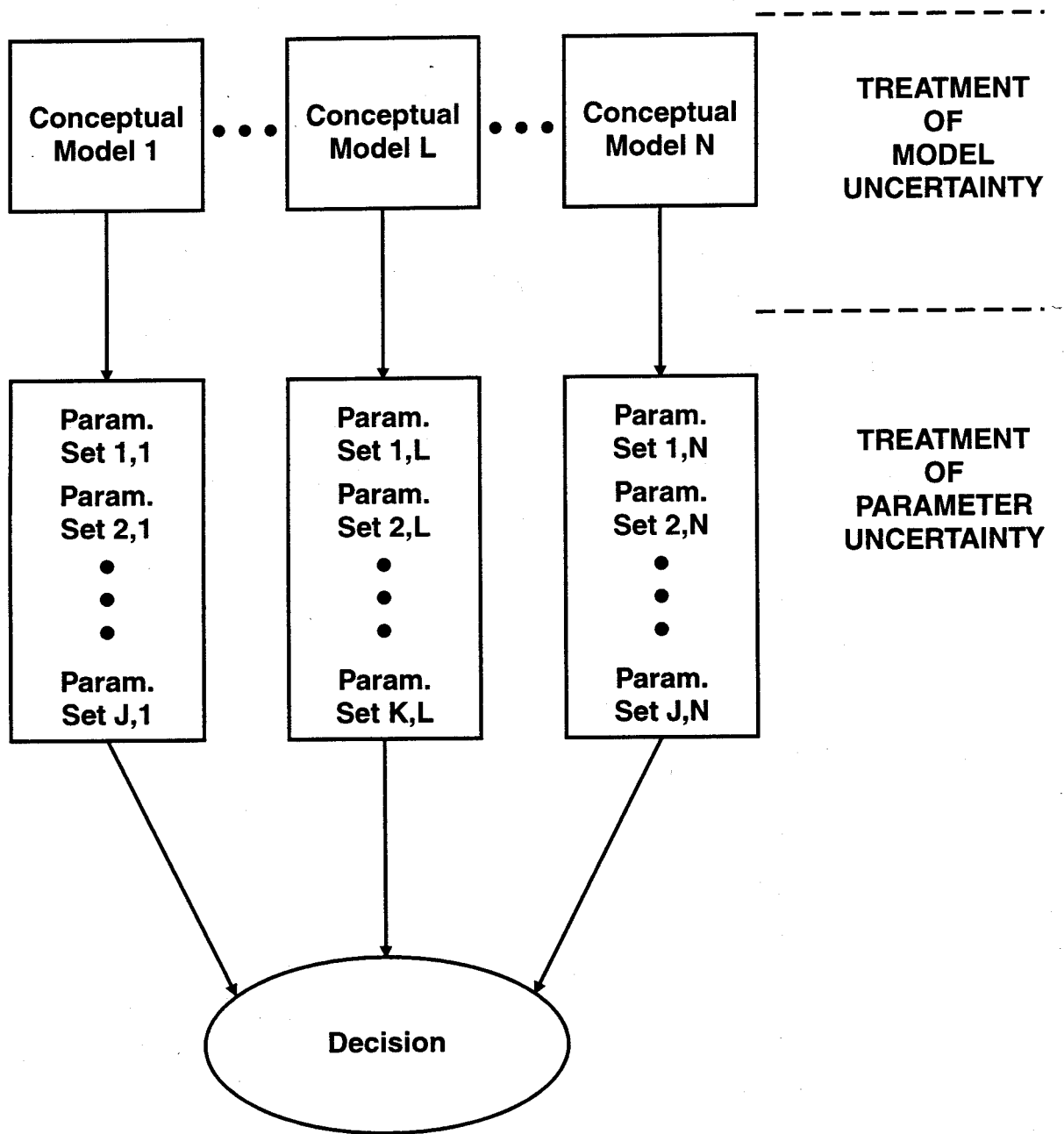


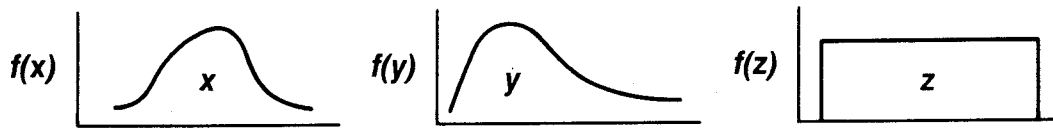
F. G. 2







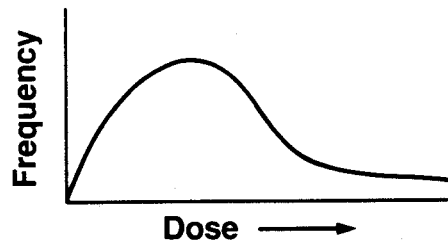
**Estimate Distributions of Values  
for Parameters x,y, and z**



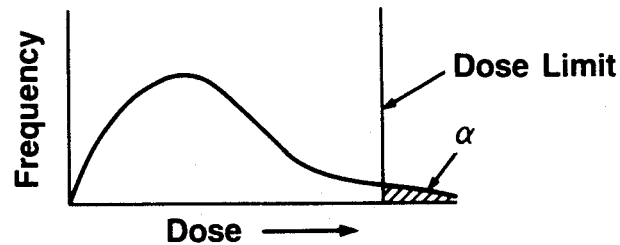
**Input Distributions Into Model**

$$\text{Dose} = g(x,y,z)$$

**Produce Distribution of Model Results**



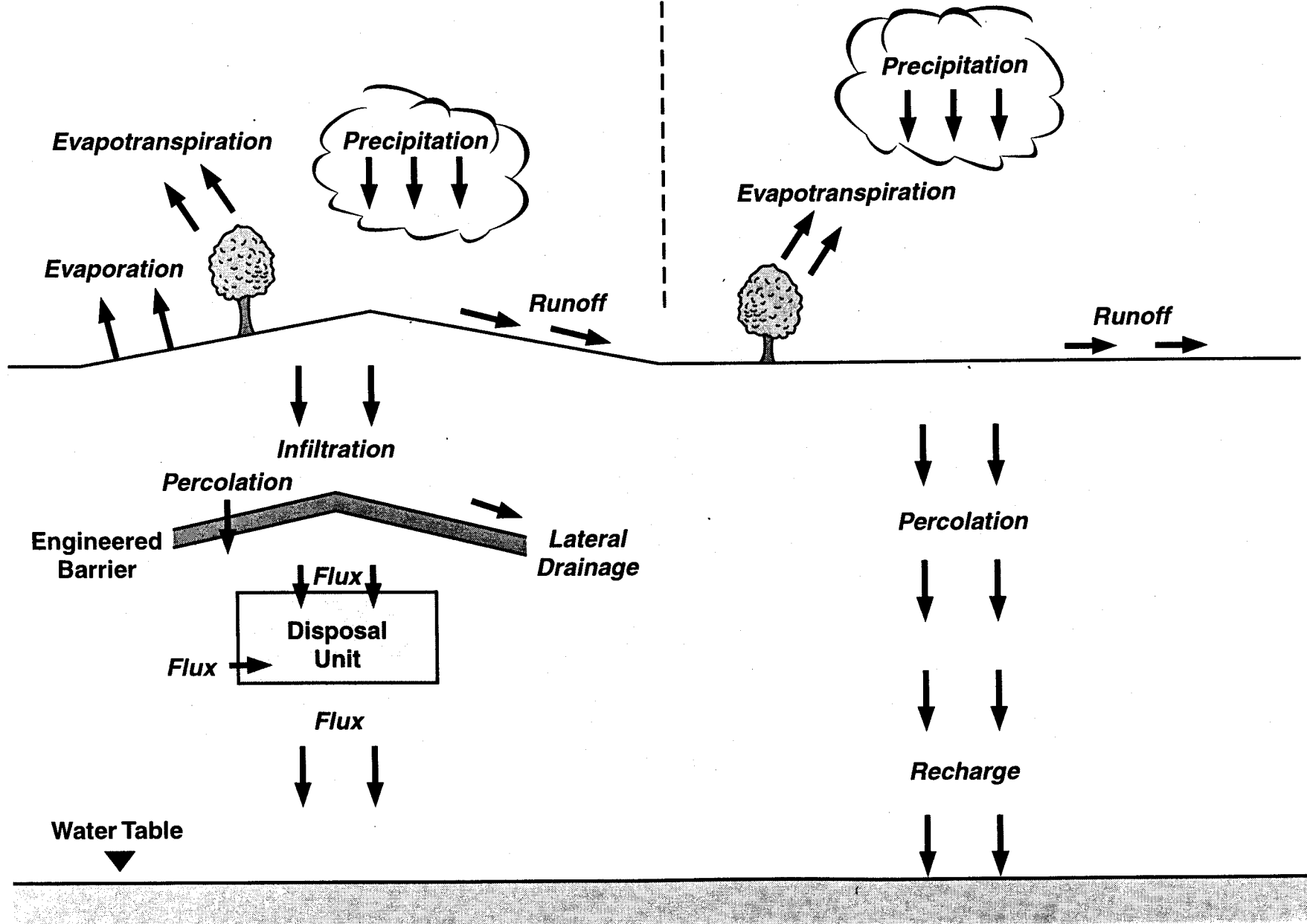
**Compare With Dose Limits**

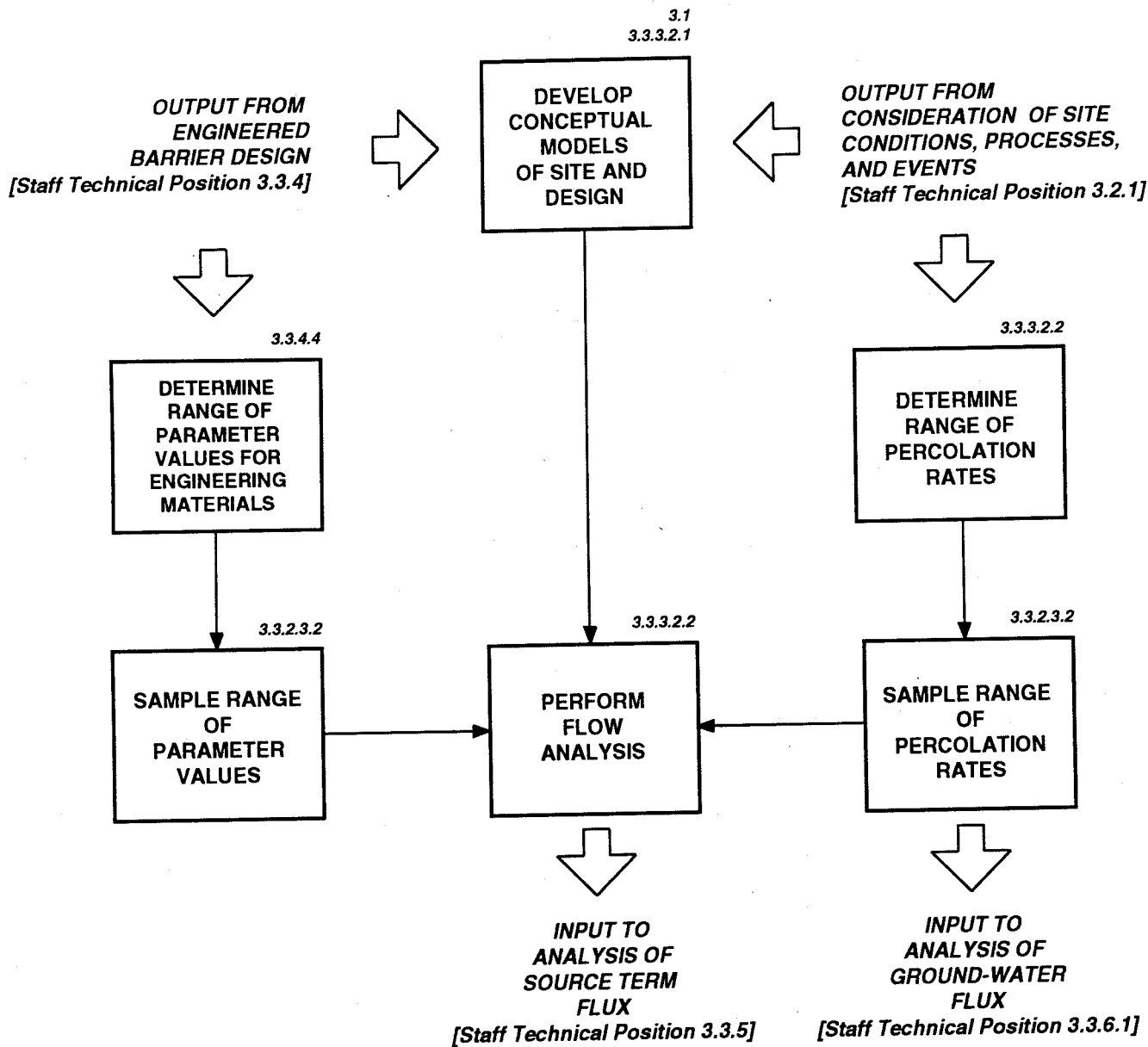


$\alpha$  = Probability of Dose Limit  
Being Exceeded

## ENGINEERED SYSTEM

## NATURAL SYSTEM







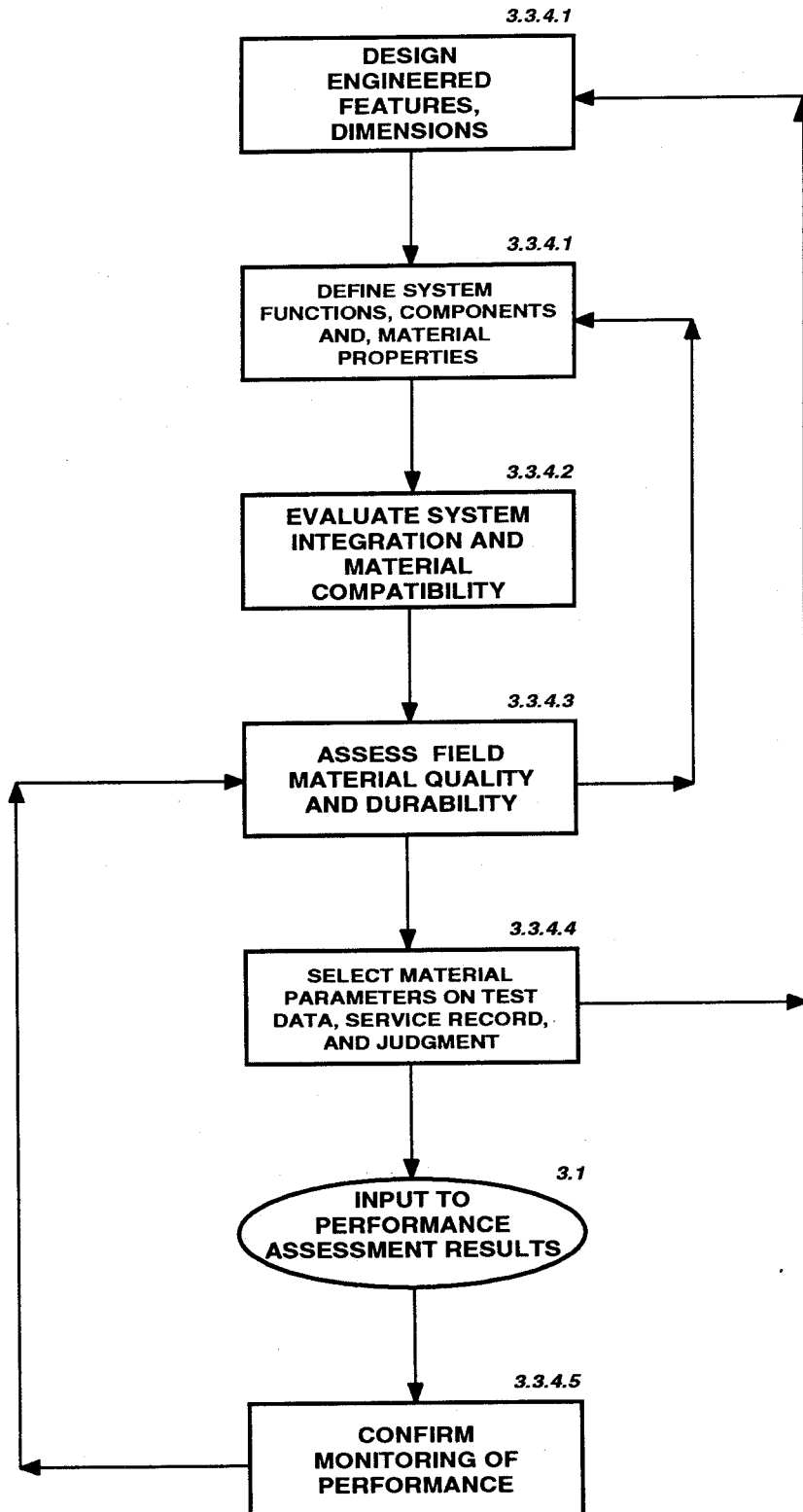
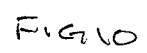


FIG 9



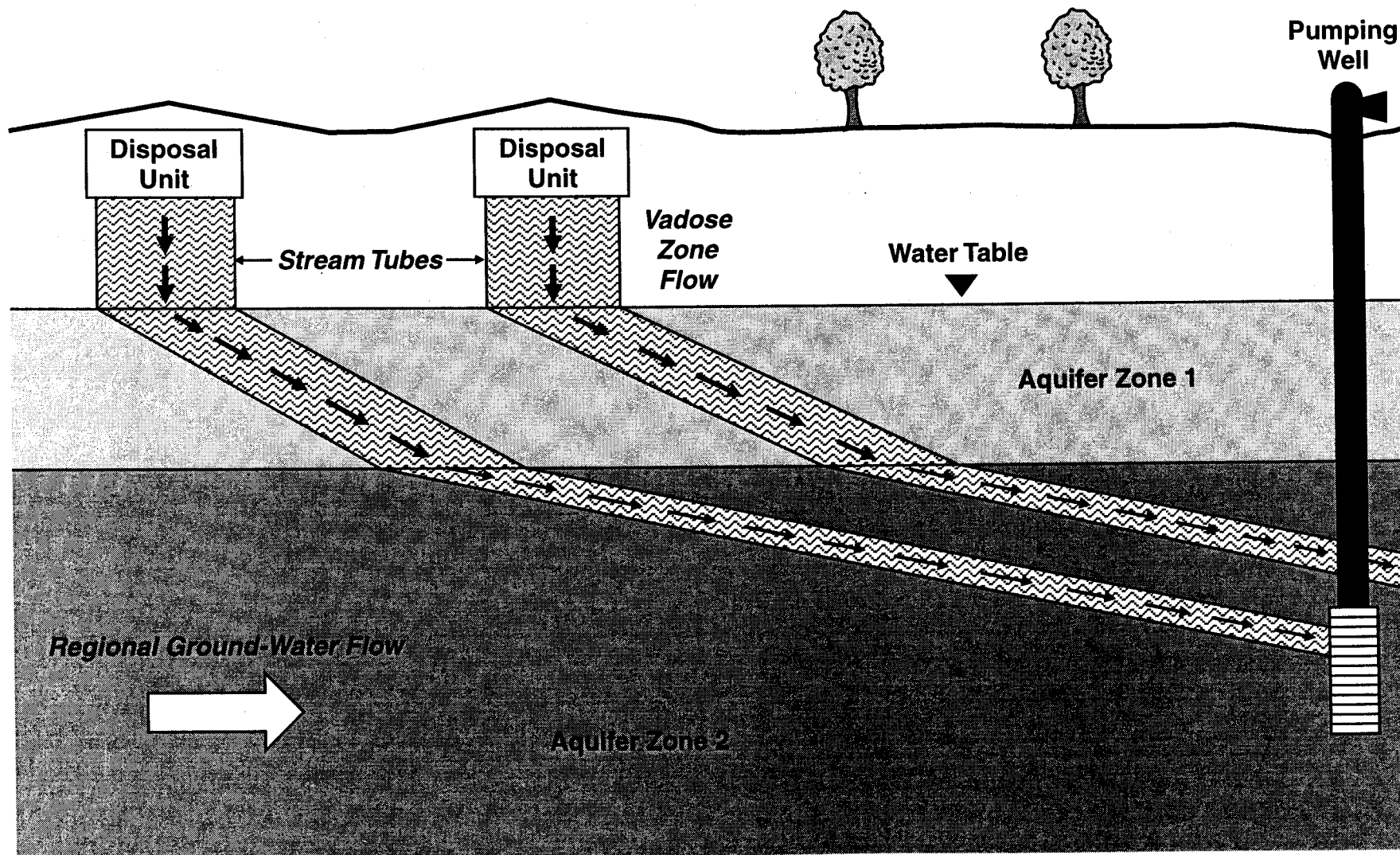
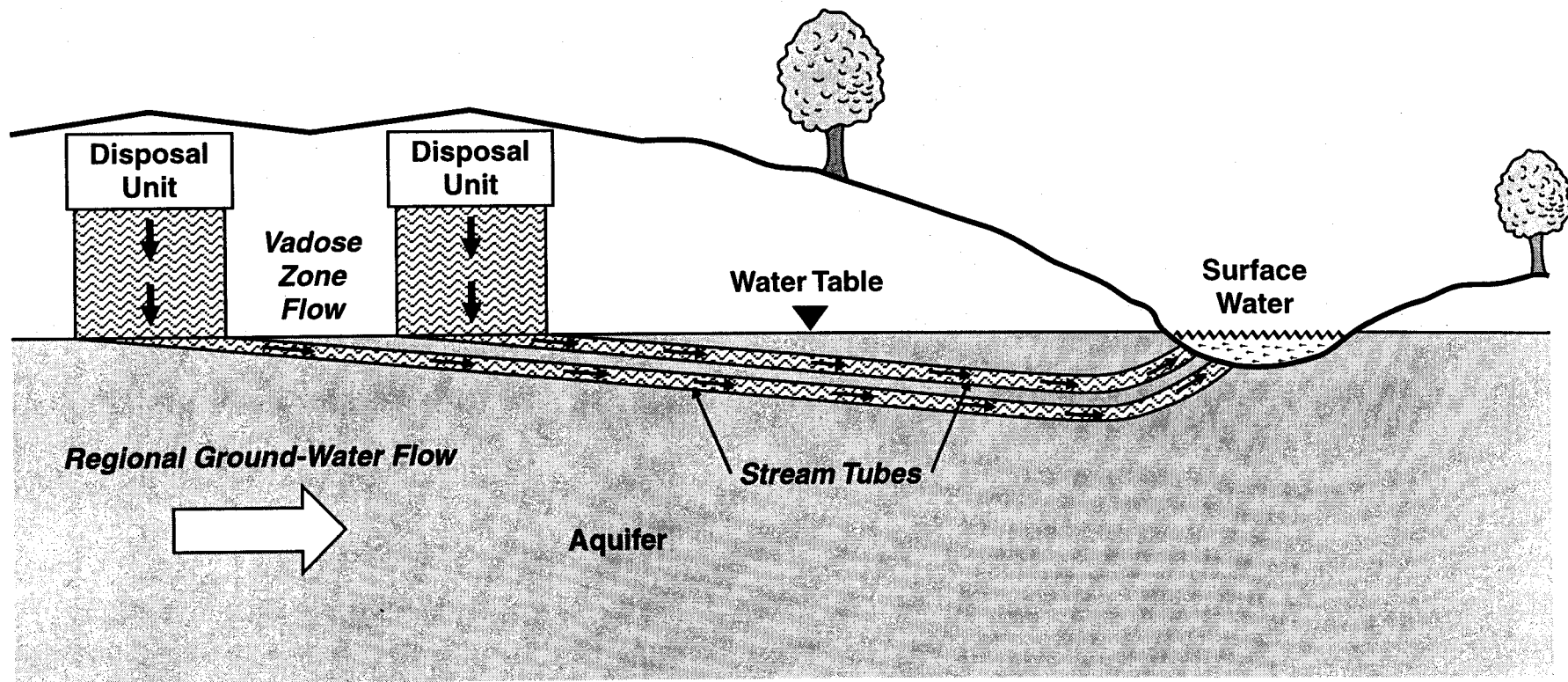
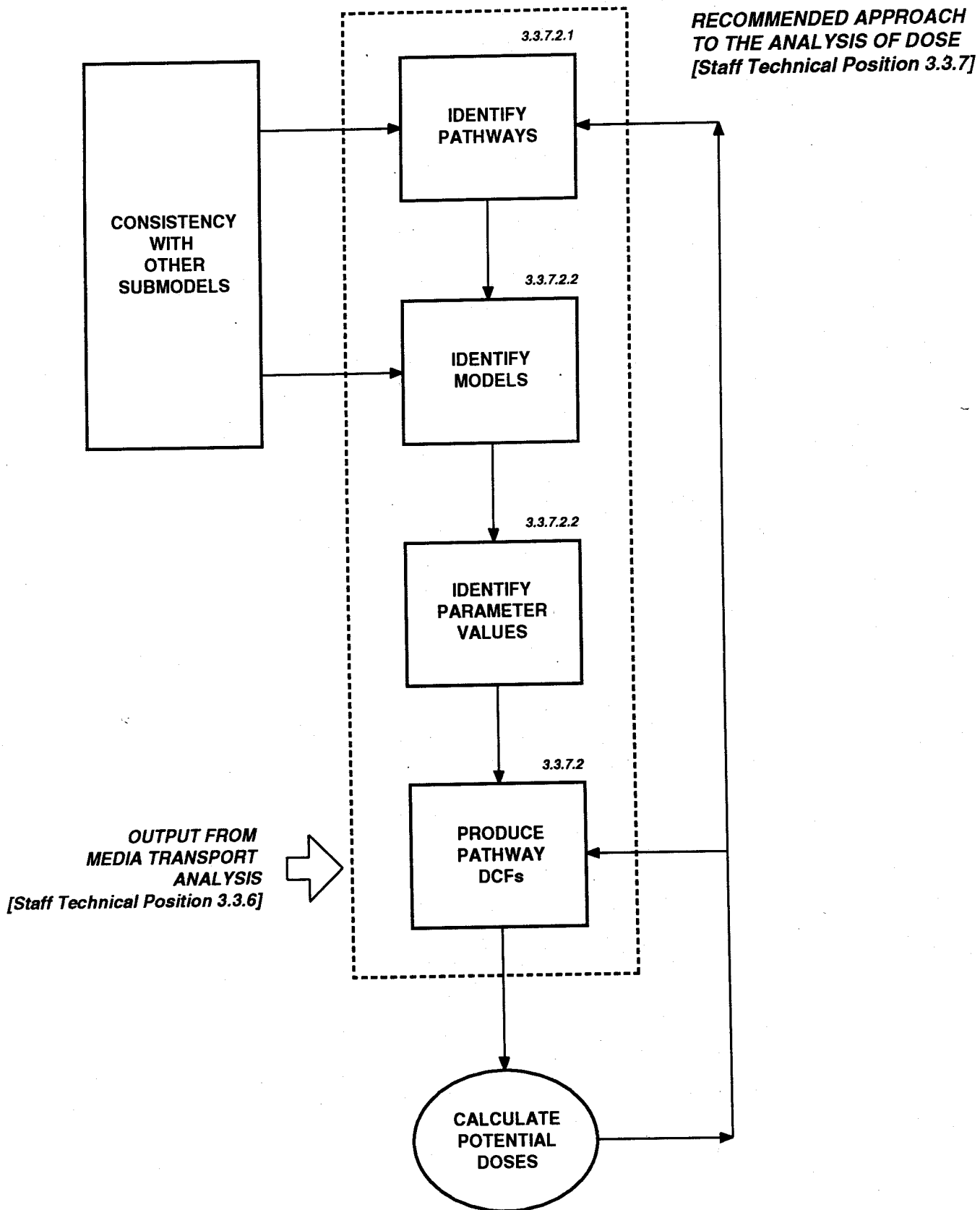


FIG. 11





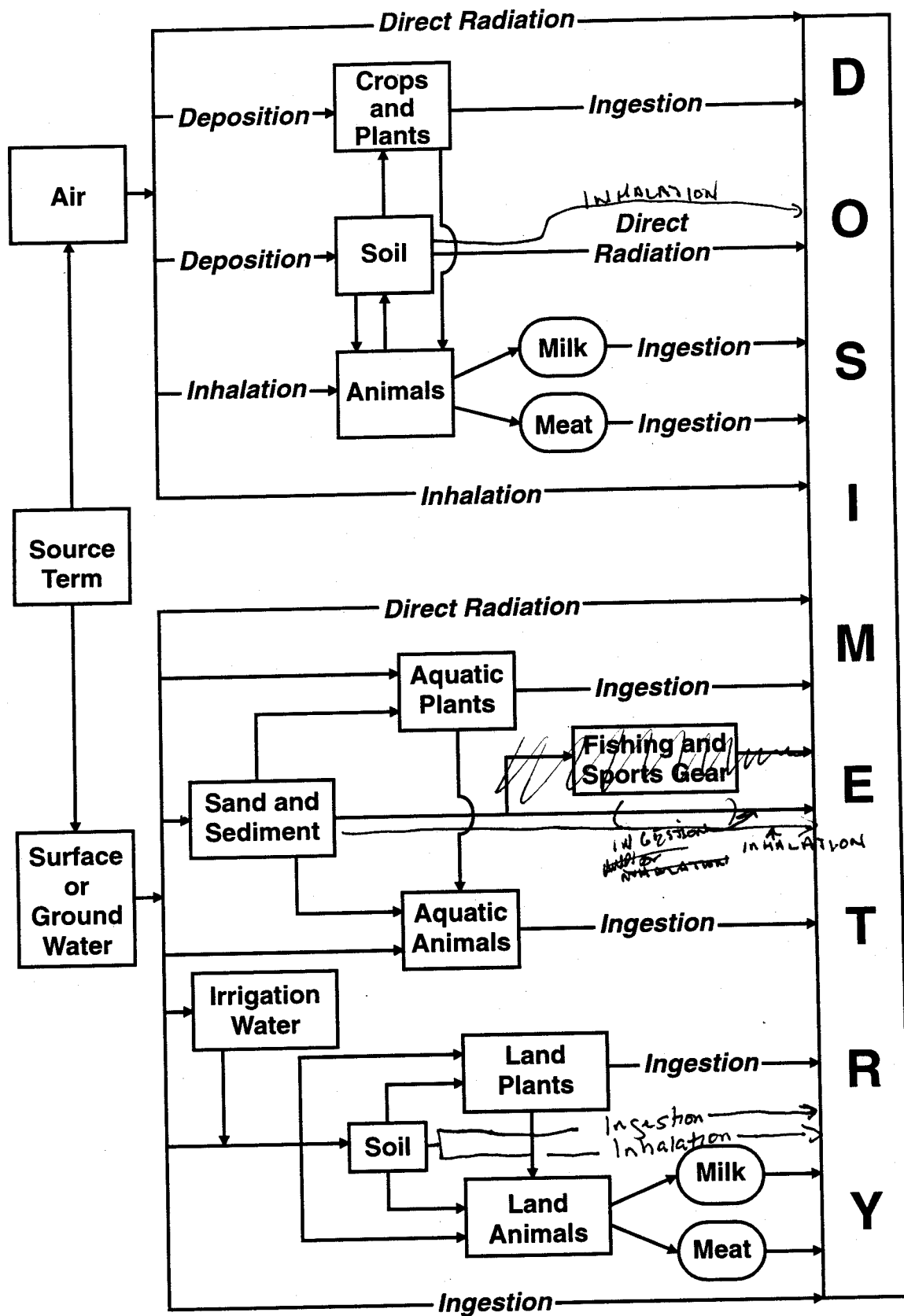
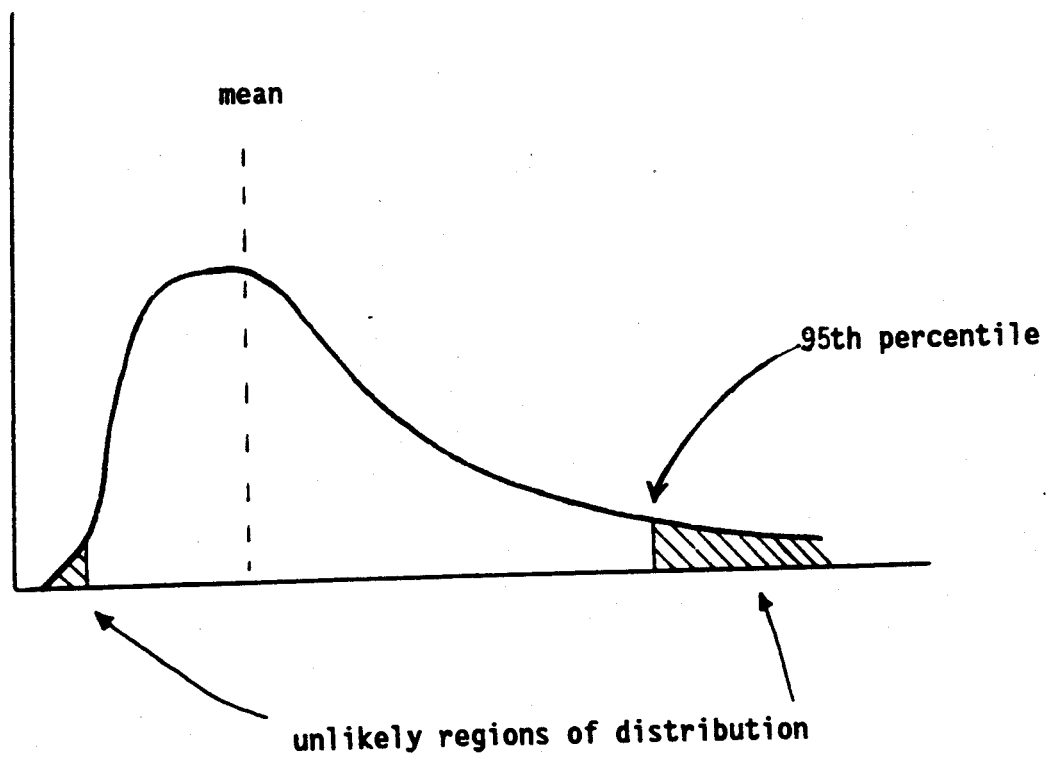
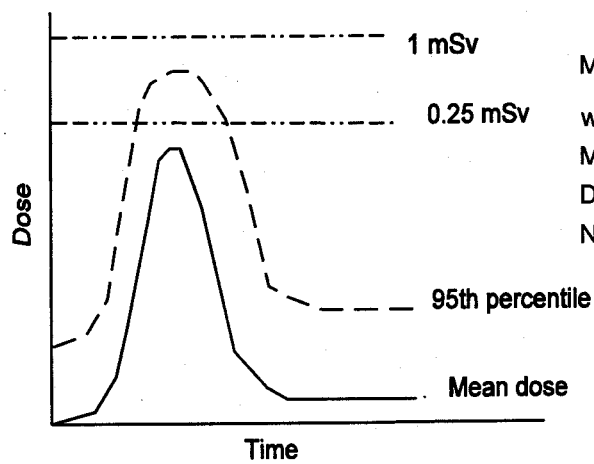


FIG 14



B-1  
Figure 4. Hypothetical distribution of results from uncertainty analysis showing mean and 95th percentile of distribution.

### Proposed Approach



$$\text{Mean}(t) = \frac{\sum_{k=1}^N \text{Dose}_k}{N}$$

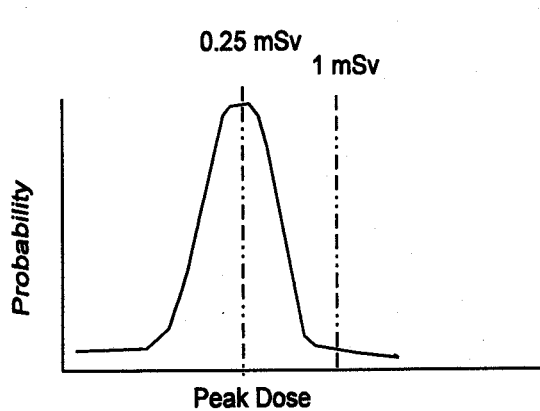
where:

Mean(t)  $\equiv$  mean dose at time t

Dose<sub>k</sub>(t)  $\equiv$  dose for run k, at time t

N  $\equiv$  total number runs

### Previous Approach



$$\text{Mean} = \frac{\sum_{k=1}^N \text{Peak}(k)}{N}$$

where:

Mean  $\equiv$  mean peak dose

Peak(k)  $\equiv$  peak dose for run k

N  $\equiv$  number of runs

Figure B-2 Staff Recommended Approach to Calculating the Peak of the Mean Dose.